



Determining causality in auditory pathways with TRENTool

Causality in source space:
a FEM-aided MEG study

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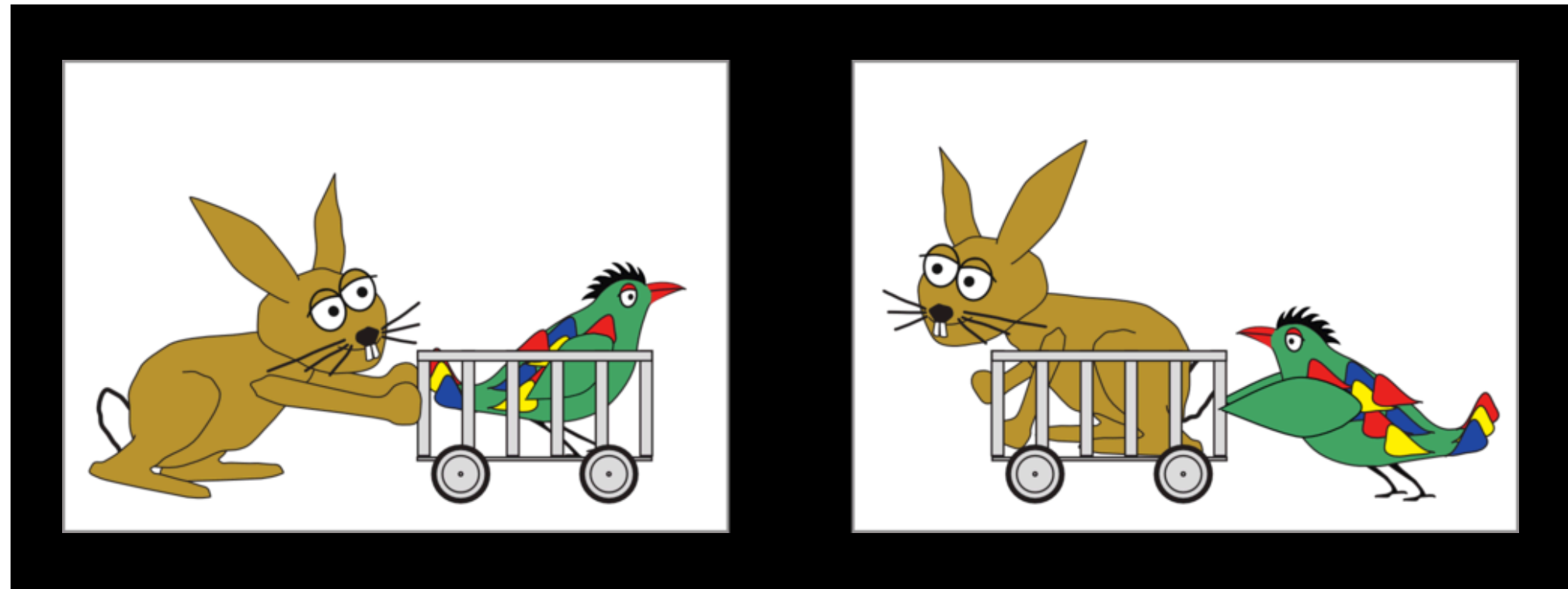
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Overview

- Task paradigm
- Cognitive background
- Data analysis
- Modeling Causality
- Transfer Entropy
- Properties of TRENTool

Task

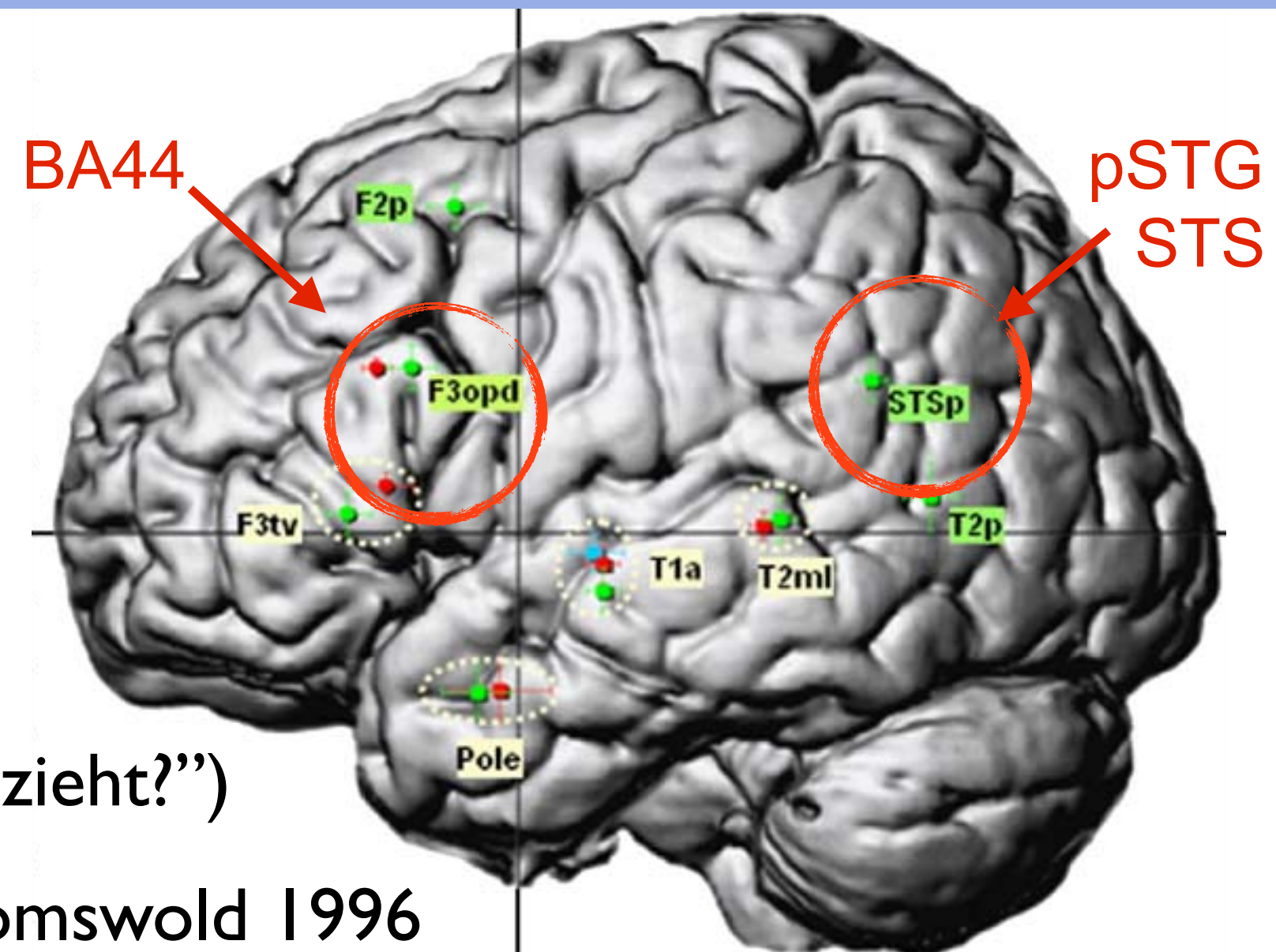
- Picture-Selection task
- 216 trials (Pilot, 18min)
304 trials (MEG, 25min)
- Tutorial: random trials until 90% correct
- Feedback:
 - immediate: Correct response
 - delayed: Accuracy, Speed



“Wo ist das Tier, das **der** Vogel schiebt?”
“Wo ist das Tier, das **den** Vogel schiebt?”

Paradigm

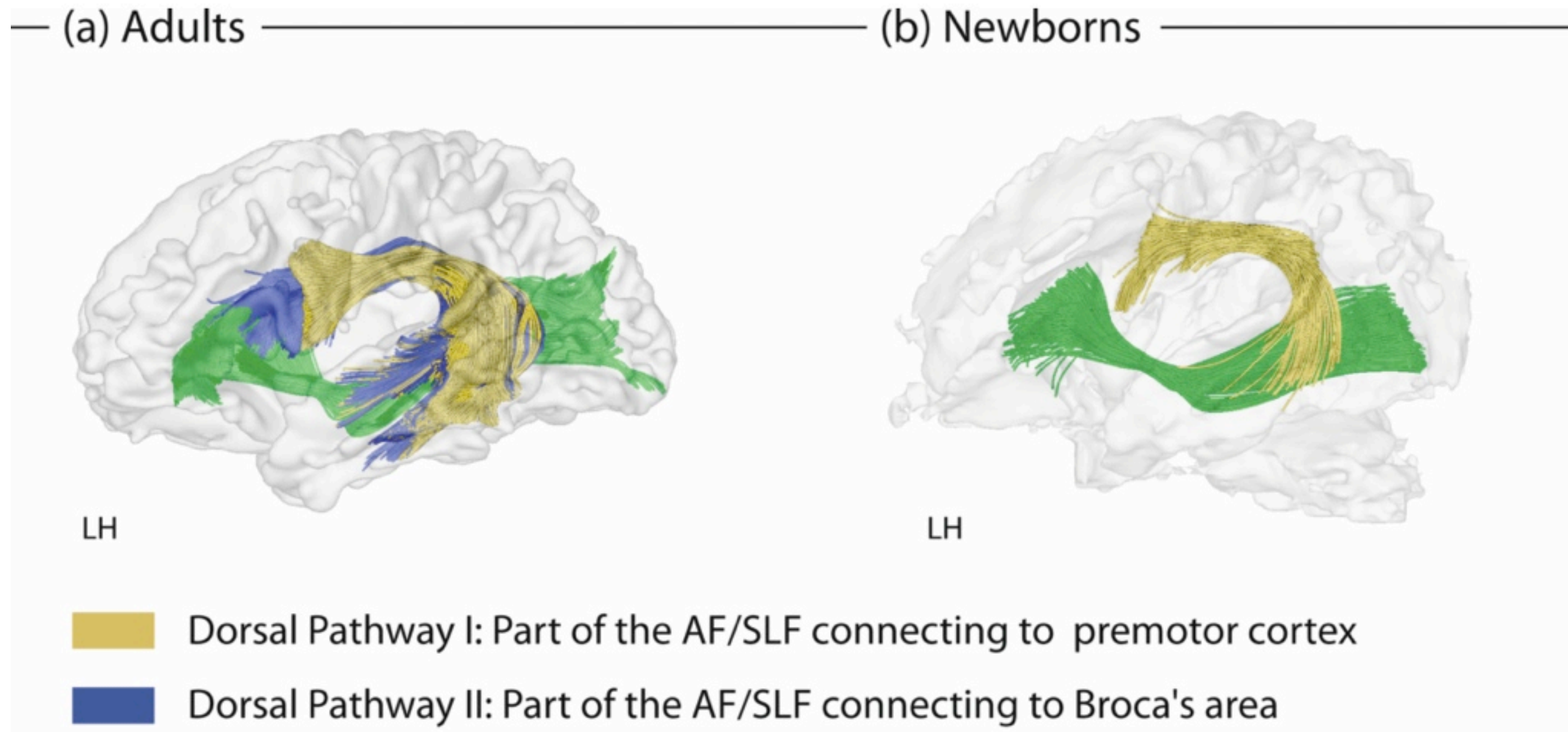
- “Subject-object” paradigm (“Wo ist der Affe, den der Tiger zieht?”)
- fMRI evidence: Cooke 2002, Stromswold 1996
- Activation in pSTG/STS during syntactic comprehension
- Contrast in BA44 between subject/object-first conditions



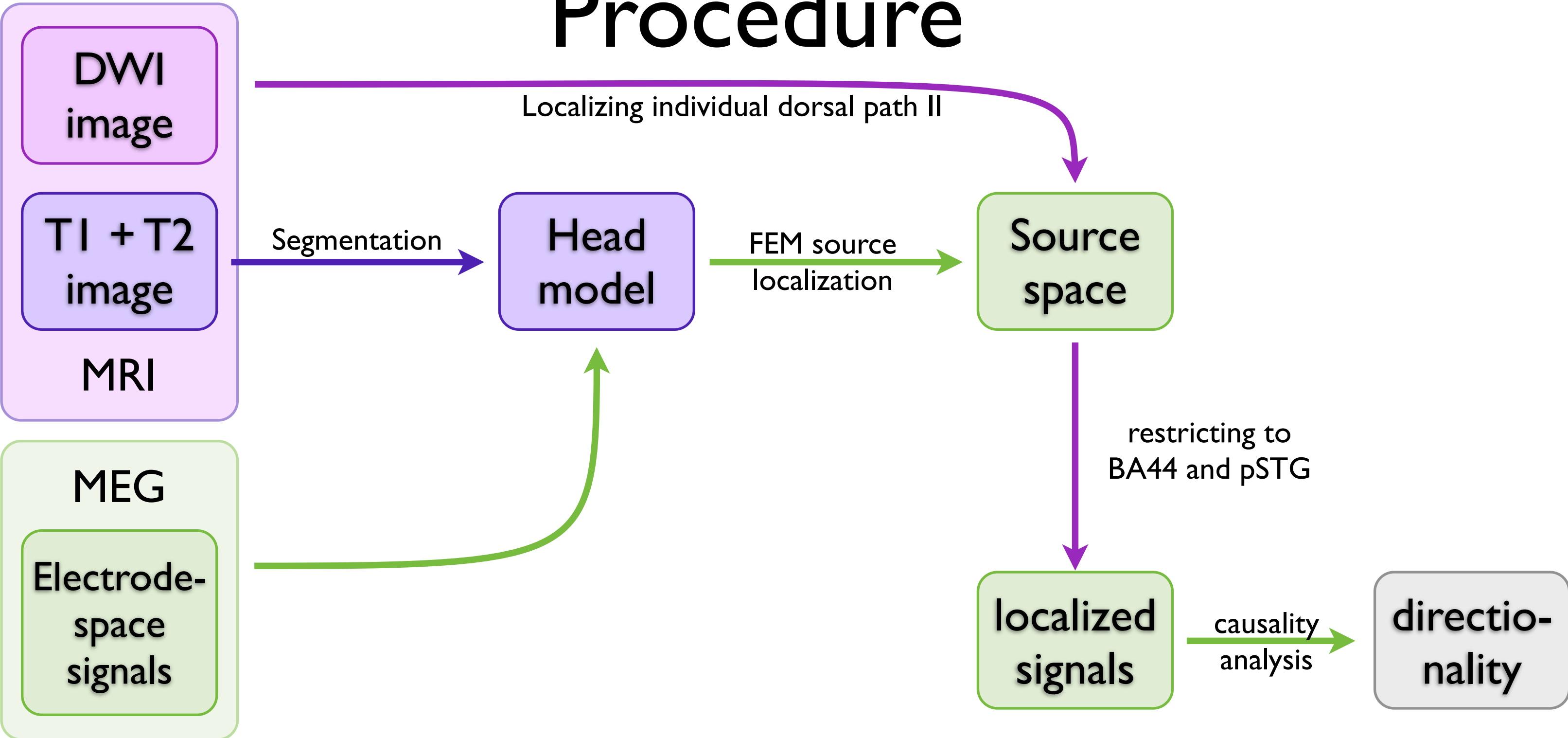
Vigneau 2006, NeuroImage

Age influence

Perani et al., PNAS 2011

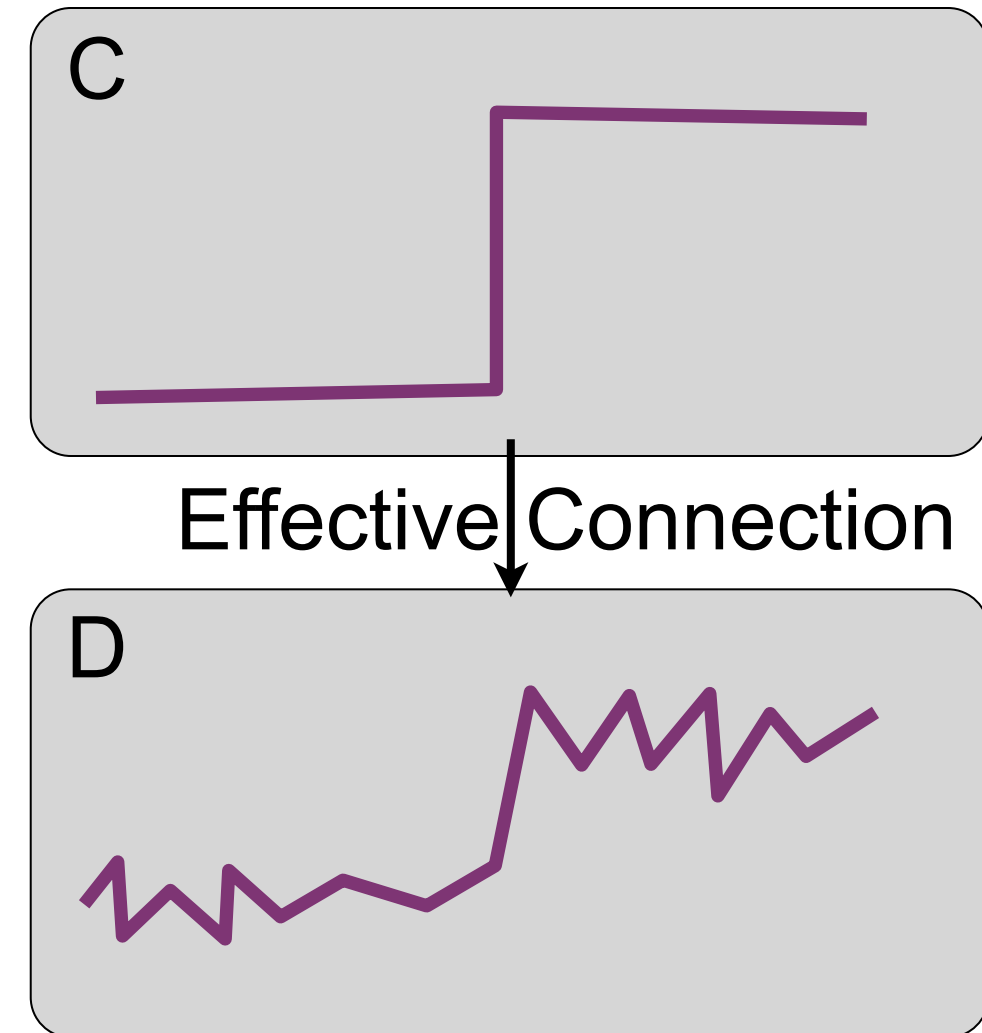
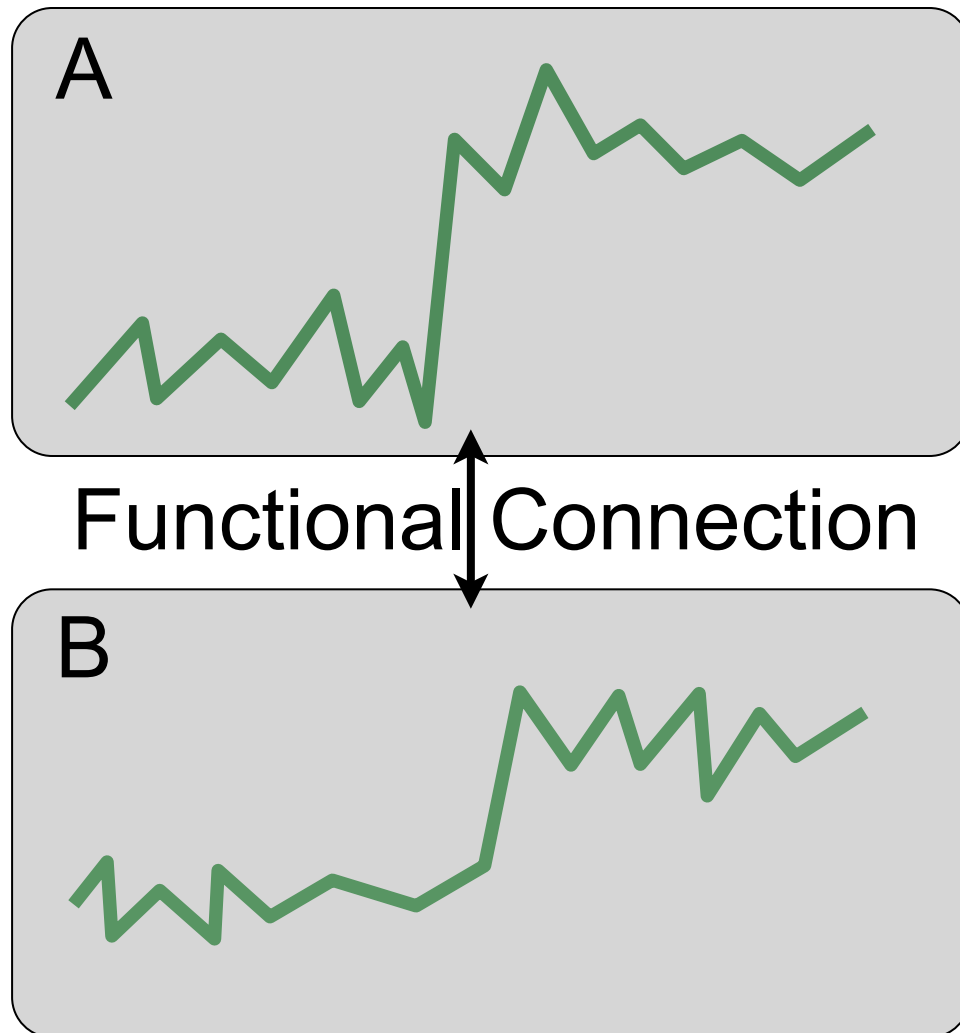


Procedure



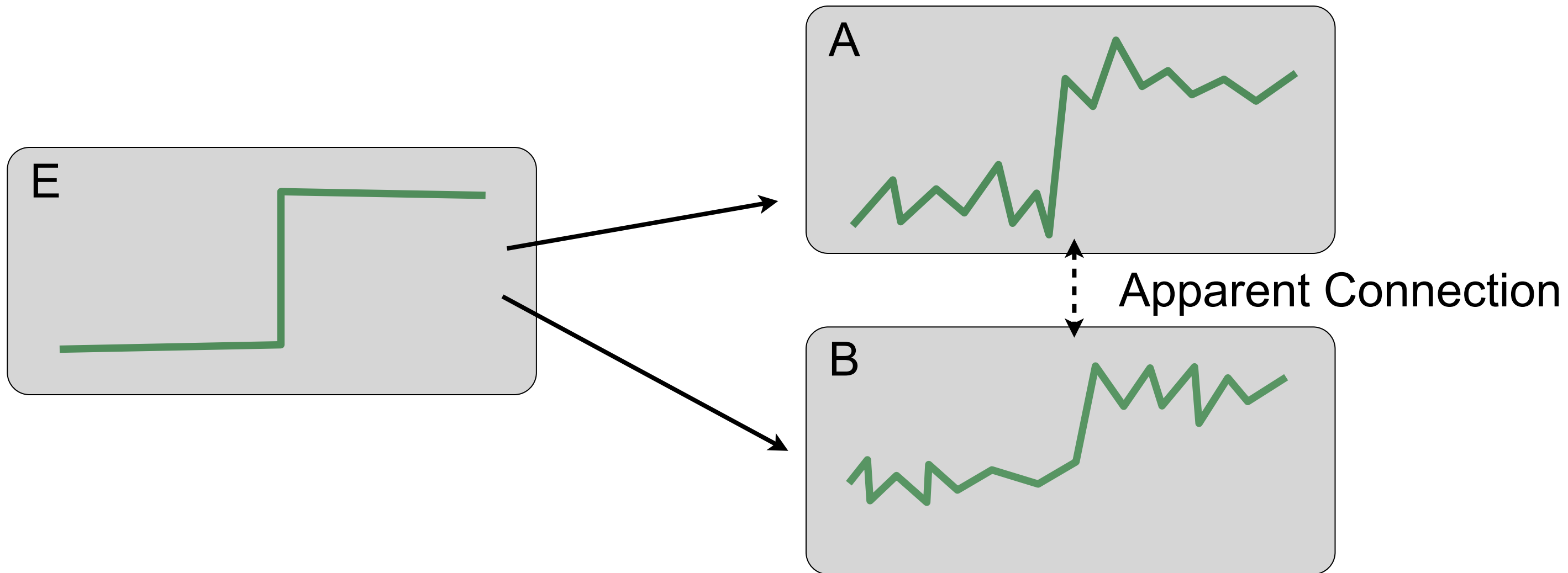
Functional vs. effective causality

Discriminating cause and effect



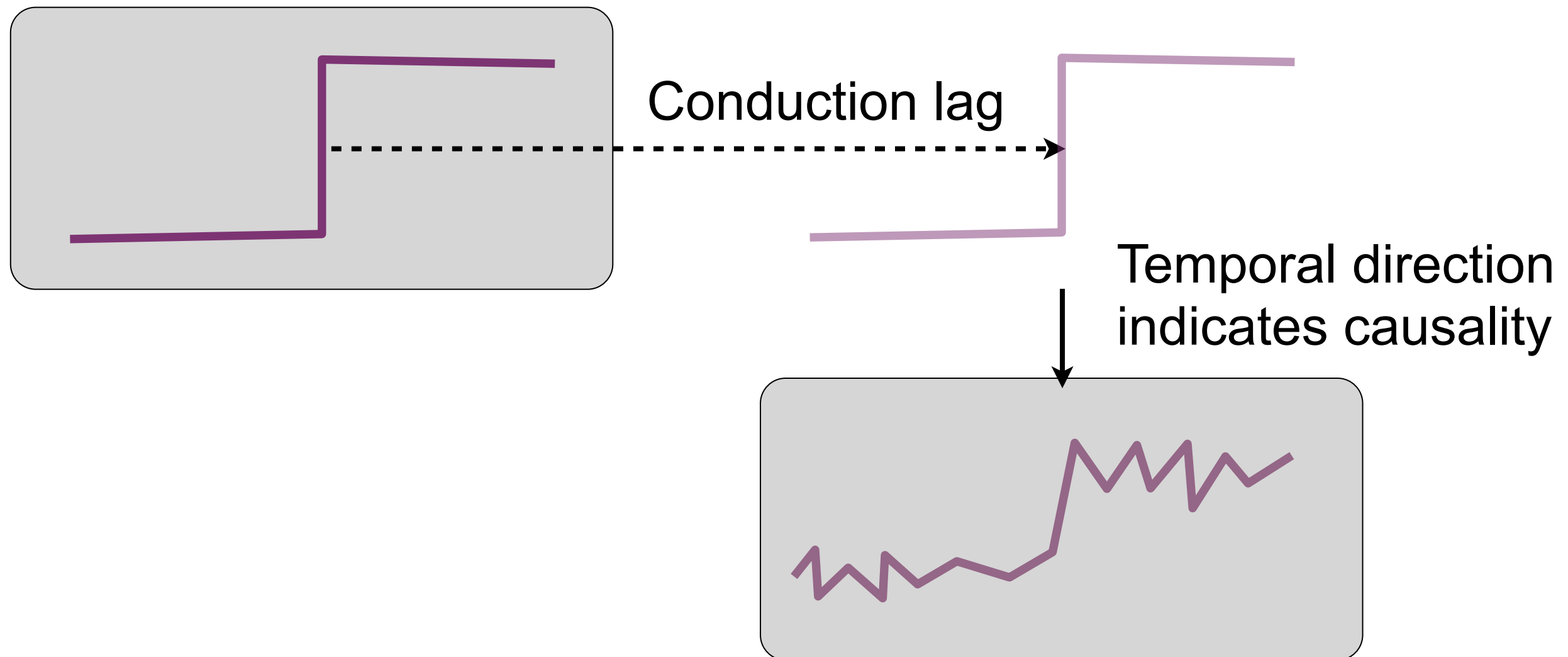
Functional vs. effective causality

The pitfalls of functional causality



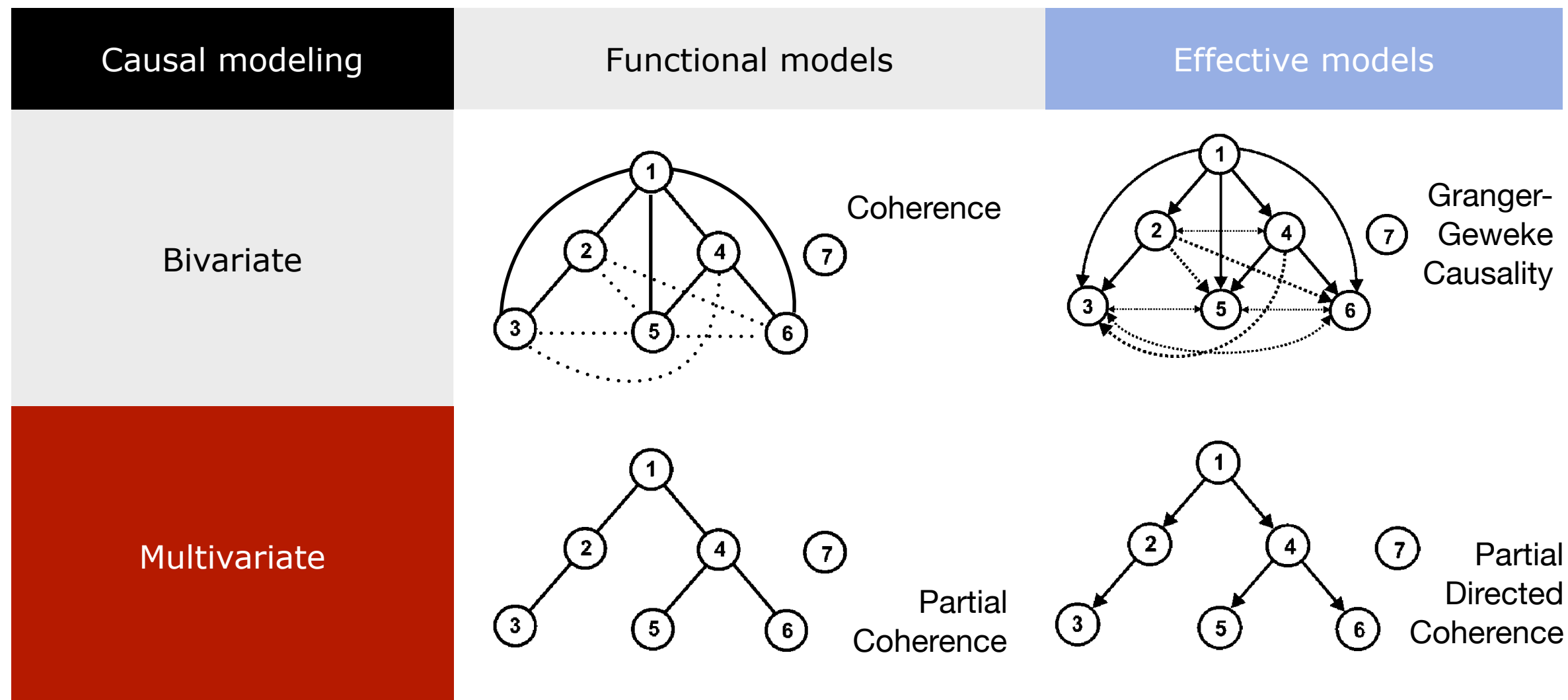
Functional vs. effective causality

Effective Causality in cognitive Science



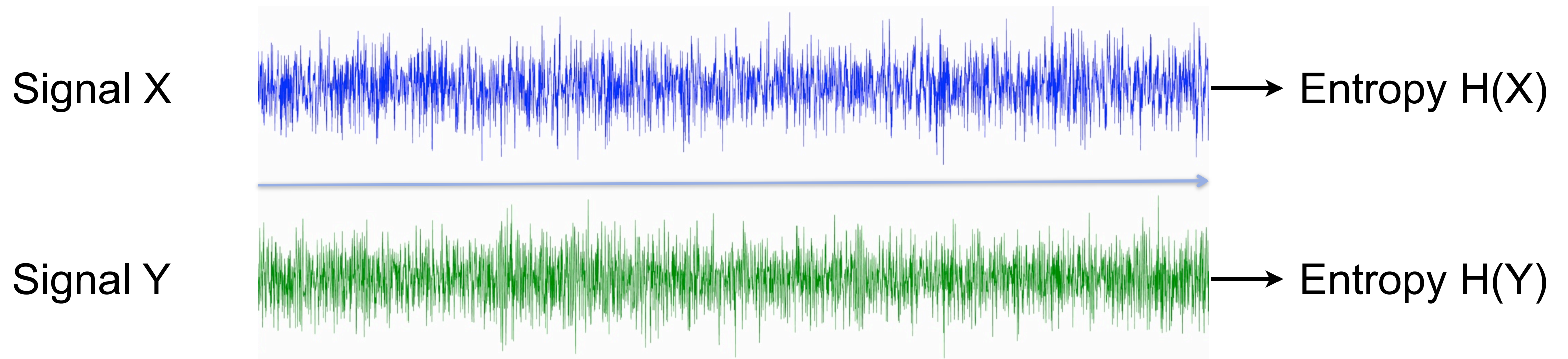
Functional vs. effective causality

Causality methods



Transfer Entropy

Entropy components



$$H(X) + H(Y) = H(X_{t+1}|X_t) + H(Y_{t+1}|Y_t) + I(X, Y)$$

Entropy

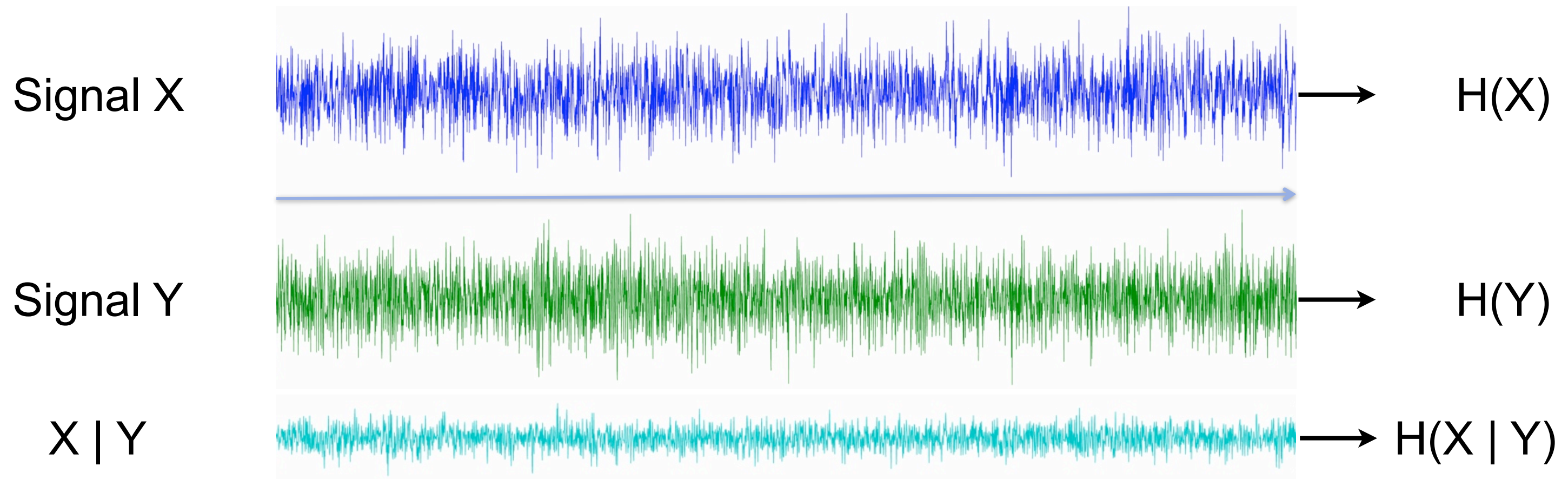
Conditional
Entropy

Mutual
Information

Schreiber 2000

Transfer Entropy

Mutual Information



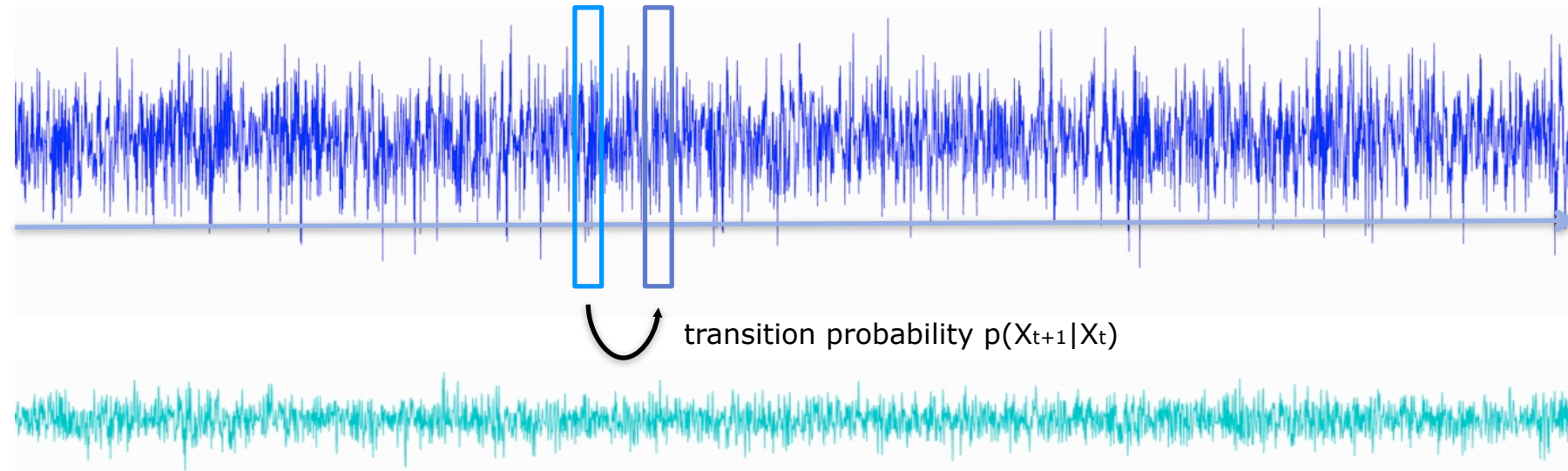
$$I(X, Y) = H(X) + H(Y) - H(X|Y)$$

“Mutual information”

Transfer Entropy

Conditional Entropy

Conditional Entropy: $H(X_{t+1}|X_t)$



Mutual information: $I(X, Y)$

“Apparent Transfer entropy”

Conditional mutual information: $I(X, Y_{t+1}|Y_t)$

“Conditional transfer entropy”

predictive information: $H(X_{t+1}) - H(X_{t+1}|X_t)$

total uncertainty
about the future

uncertainty
about the future,
given the past

Full length implementation formulas:

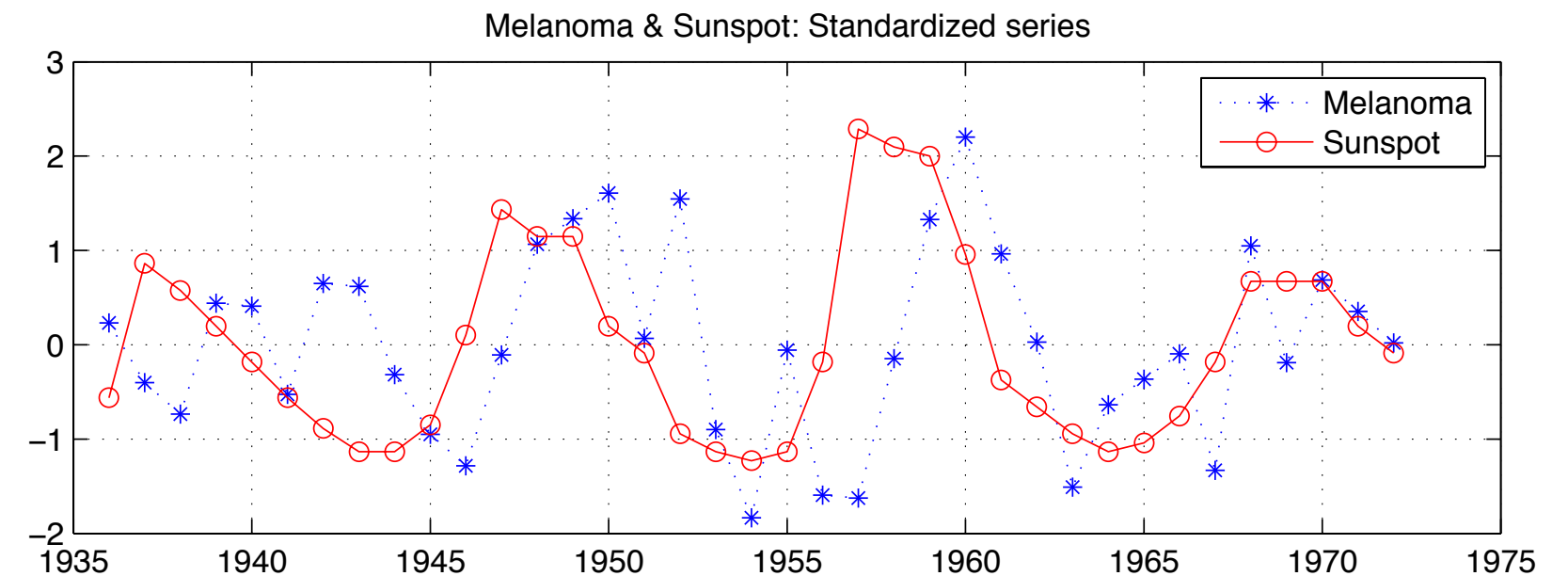
$$T_{J \rightarrow I} = \sum_{x_{n+1}, x_n, y_n} p(x_{n+1}, x_n, y_n) \log \left(\frac{p(x_{n+1}, x_n, y_n) \cdot p(x_n)}{p(x_n, y_n) \cdot p(x_{n+1}, x_n)} \right)$$

$$T_{I \rightarrow J} = \sum_{y_{n+1}, x_n, y_n} p(y_{n+1}, x_n, y_n) \log \left(\frac{p(y_{n+1}, x_n, y_n) \cdot p(y_n)}{p(x_n, y_n) \cdot p(y_{n+1}, y_n)} \right)$$

Properties of Transfer Entropy

Advantages

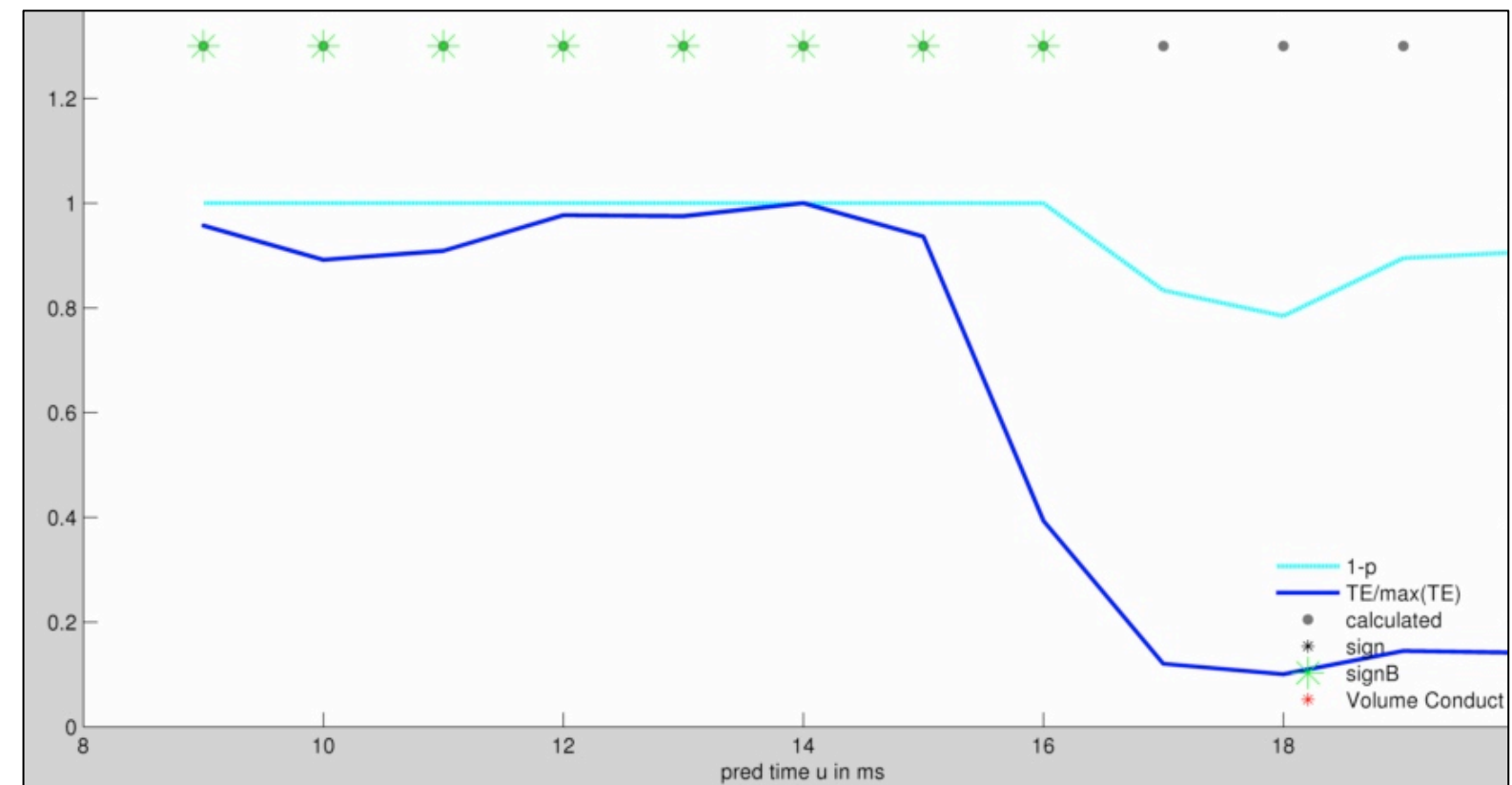
- model-free
- robust to noise
- inherently non-linear
 - but works fast with linear data
- weaker coupling -> better results!
- copes well with multivariate effects: $\bigcirc \rightarrow \triangle \rightarrow \square \neq \bigcirc \rightarrow \square$



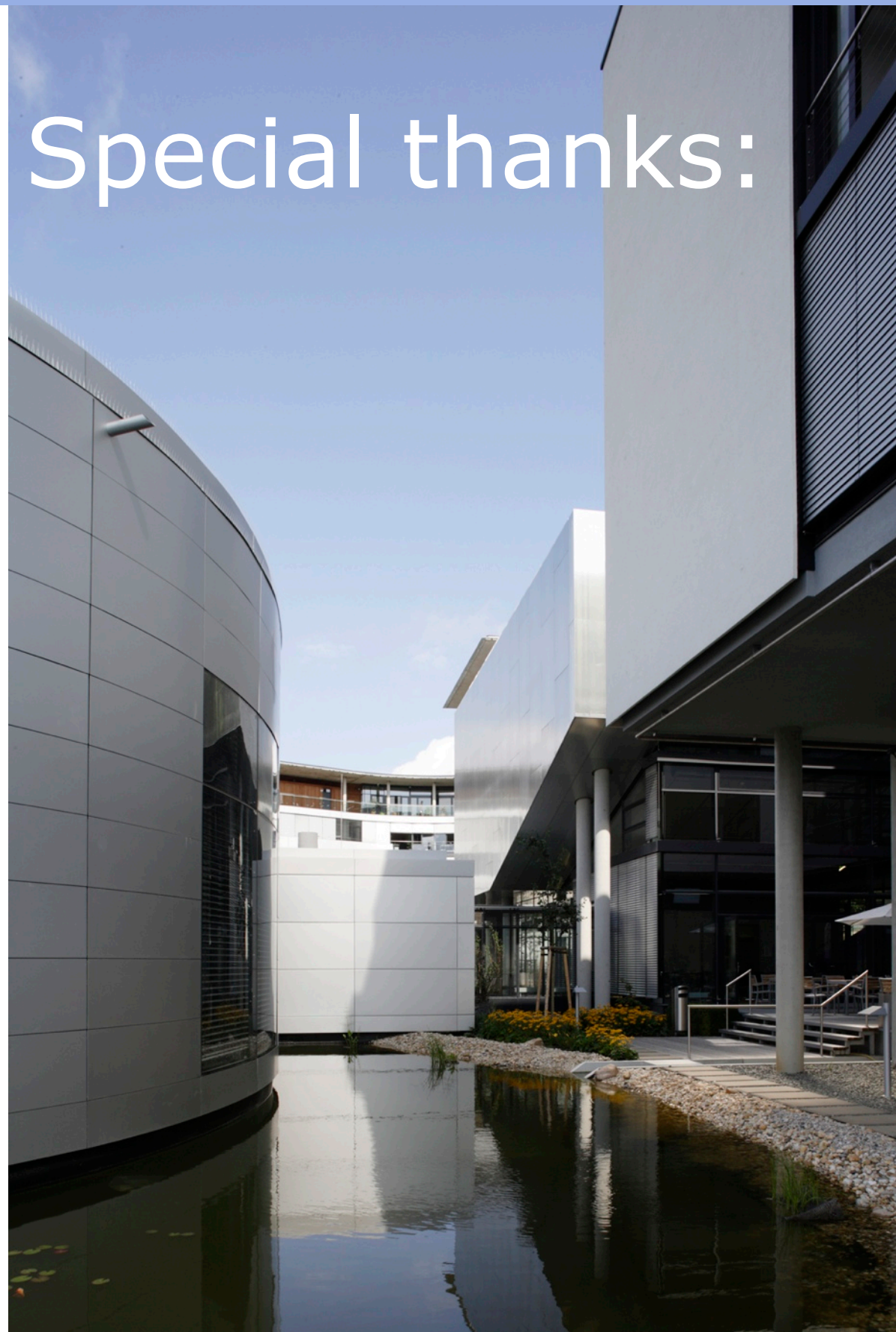
Properties of Transfer Entropy

Application in Neuroscience

- causal interactions occur at a fine temporal scale ($<10\text{ms}$)
- (predictable) estimation bias for non-infinite data sequences
- Noise influence:
 - good detection rate for SNR above 15db
 - breaks down to 50% at 10db
- Issues with complex networks
- difficult to test for significance
- vulnerable to volume conduction



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FOR
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