

Effects of radial electric field on suppression of electron-temperature-gradient mode through multiscale nonlinear interactions

Chanho Moon^{1,2, a)}, Toshiro Kaneko¹, Kimitaka Itoh², Katsumi Ida², Tatsuya Kobayashi²,
Shigeru Inagaki³, Sanae-I. Itoh³ & Rikizo Hatakeyama¹

¹*Department of Electronic Engineering, Tohoku University, Sendai 980-8579, Japan*

²*National Institute for Fusion Science, Toki, Gifu 509-5292, Japan*

³*Research Institute for Applied Mechanics, Kyushu University, Kasuga 816-8580, Japan*

Abstract

Turbulence in fluids and plasmas is ubiquitous in nature and laboratory. Contrary to the importance of the ‘scale-free’ nature of cascade in neutral fluid turbulence, the turbulence in plasma is characterised by dynamics of distinct length scales. The cross-scale interactions can be highly non-symmetric so as to generate the plasma turbulence structures. Here we report that the system of hyper-fine electron-temperature-gradient (ETG) fluctuations and microscopic drift-wave (DW) fluctuations is strongly influenced by the sign of the gradient of the radial electric field through multiscale nonlinear interactions. The selective suppression effects by radial electric field inhomogeneity on DW mode induce a new route to modify ETG mode. This suppression mechanism shows disparity with respect to the sign of the radial electric field inhomogeneity, which can be driven by turbulence, so that it could be a new source for symmetry breaking in the turbulence structure formation in plasmas.

^{a)} Present address: Max-Planck-Institut für Plasmaphysik, EURATOM Association, 85740 Garching, Germany; electric mail:chanho.moon@ipp.mpg.de

Magnetized plasmas with a significant temperature gradient across the magnetic field are commonly observed in laboratory and nature, and this temperature gradient drives the turbulent fluctuations. In particular, anomalous electron heat transports induced by the electron-temperature-gradient (ETG) mode in magnetized plasma [1-3] have attracted attention. Contrary to its possible importance in the turbulence-driven transport, the nonlinear evolution of ETG modes is understood less well in comparison with the rapid progress in understanding drift-wave (DW) [4]. The characteristic features of nonlinear interactions in ETG fluctuations are (i) predicted not to be effectively suppressed by radial electric field (E_r) driven shear (E'_r), i.e., $E \times B$ velocity shear (B is the magnetic field), because the ETG mode is characterised by the smaller spatial scales and larger growth rate [5,6]. And (ii) the radially-extended fluctuations have been predicted to emerge from hyper-fine scale ETG mode [7,8]. As a consequence, the study of ETG mode requires the multiscale nonlinear interactions, such as ETG-DW, ETG-DW-global E_r and others. Furthermore, recent experimental results have shown that the ETG mode has a nonlinear coupling with the low-frequency fluctuations, such as the DW mode [9] and the ion acoustics mode [10]. In particular, we previously report that the DW mode is originally stable in the equilibrium plasma state, and is enhanced via nonlinear coupling with the ETG mode when the amplitude of the ETG mode exceeds a certain threshold [9]. Therefore, it is necessary to consider the multiscale fluctuations and nonlinear interactions [11,12] for clearly understanding the suppression mechanism of the ETG mode. In addition, empirical observations indicate that the effect of E_r driven shear on fluctuations relies on the sign of the E'_r [13,14], which is also one of the most urgent issues for understanding the suppression mechanism of plasma fluctuations. Specifically, it is predicted that the radial electric field inhomogeneity is the most important factor to suppress the plasma fluctuations [23].

Recently, Smith et al. reported that the sufficiently large velocity-shear of the mean $E \times B$

drift could be an effective suppression mechanism for the ETG mode [15]. However, the experimental investigation of the nonlinear interaction of ETG mode and mean radial electric field demands further detailed studies. First, not only the isolated interaction between the ETG mode and the E_r , but also the chained-interactions among the ETG mode, fluctuations at ion gyroradius, and the E_r must be investigated. Second, the influence of the shear and the curvature of the electric field must be separately studied. These demand the accessibility of fluctuation diagnostics over the plasma column and detailed controllability of E_r . For this purpose, the use of precise measurements on the ETG mode in a linear laboratory device is advantageous in advancing the understanding of the ETG mode and the structure formation [16]. This merit is unique, even though the ETG mode in the slab cylindrical plasma is not identical to the toroidal ETG mode. Here we demonstrate a new mechanism for the ETG mode suppression through the multiscale nonlinear coupling processes, which in turn affects the ETG mode amplitude. This new mechanism will help to understand the underlying fundamental nonlinear mechanism of modern plasma physics.

Experiments were performed on the Q_T -Upgrade machine at Tohoku University. Figure 1 shows a schematic of the experimental apparatus. One section is the source region where an electron cyclotron resonance (ECR) plasma with relatively high electron temperature ($T_e \simeq 3$ eV) is generated, and the other section is the experimental region where low-temperature thermionic electrons ($T_e = 0.2$ eV) are superimposed on the high-temperature electrons of the ECR plasma. The end of the experimental region is used as an electron emitter and is heated by applying DC power $P_{HP} = 3$ kW in order to generate low-temperature thermionic electrons. The ETG can be controlled using the two differently shaped stainless-steel (SUS) mesh grids, which are located at $z \simeq -40$ cm and separate the source region from the experimental region. The high-temperature electrons of the ECR plasma pass through the grids with negative biases, which are used to adjust the radial density profile of the high-temperature

electrons in the experimental region. This novel plasma source affords a method suitable for forming and controlling the ETG [16]. Hereinafter, the voltages applied to the mesh grids are defined as V_{g1} (grid 1) and V_{g2} (grid 2). Furthermore, the hot plate as the electron emitter is concentrically segmented into three sections, the outermost section of which is always grounded in this experiment. A radial profile of plasma space potential, namely, the E_r can be controlled independently of the ETG by changing bias voltages of the electron emitter, and the bias voltages applied to the central (V_{ee1}) and peripheral (V_{ee2}) sections are defined as V_{ee1} and V_{ee2} . In order to measure the precise profiles of the ETG modes, Langmuir probes are made with probe tip diameter ~ 0.125 mm and length ~ 1.0 mm, which is small enough to obtain the small spatial scale of the ETG mode.

Figure 2 presents radial profiles of electron temperature (T_e) and space potential (ϕ_s) for (a) $V_{ee1} = -3$ V (hill type), (b) $V_{ee1} = -4$ V (flat type) and (c) $V_{ee1} = -5$ V (well type) for $\nabla T_e/T_{e0} \simeq 0.8$ cm $^{-1}$, $P_\mu = 20$ W and magnetic fields $B = (0.21-0.23)$ T. The $\nabla T_e/T_{e0}$ is obtained as the local electron temperature gradient in the region of $|r_m| = 0.5$ cm \sim 2.0 cm calculated from the radial profiles of the electron temperature, where the T_{e0} is the core electron temperature. Here, the axial center of the machine is defined as $z = 0$ cm and the r_m indicates the measurement radial position of probes in the experimental region. By decreasing the applied bias voltage V_{ee1} , the ϕ_s only in the central region ($|r_m| < 1.0$ cm) is changed definitely, while the ϕ_s in the peripheral region ($|r_m| > 1.0$ cm) is almost unchanged. Consequently, the E_r can be independently controlled without changing the ETG formation, because the electron temperature is not affected by the change of V_{ee1} . Furthermore, a relatively gentle density gradient of $L_n \simeq 4$ cm ($> L_{Te} \sim 1.2$ cm) persists even when the ϕ_s profiles are changed, where L_n and L_{Te} are defined as the density and temperature gradient scale lengths, respectively. The other parameters are the electron collision frequency $\nu_{ei} \sim 4.3$ kHz, the drift scale ρ_s ($c_s/$

$\Omega_i \sim 3.4$ cm, and $\eta_e \sim 3.3$. This is very useful for investigation of the effects of E_r on the suppression of the ETG mode with great precision. The average E_r is calculated by dividing plasma space potential difference ($\Delta\phi_s$) between the central ($r_m \simeq -0.6$ cm) and peripheral ($r_m \simeq -1.6$ cm) regions by $\Delta r = 1$ cm at $z = 50$ cm. Since the ϕ_s profiles are dominantly changed in the region $-1.6 \text{ cm} < r_m < -0.6 \text{ cm}$, the E_r value can be determined through the average E_r calculation ($= -\partial\phi(r)/\partial r$) in the experimental conditions. The E_r values in Figs. 2(a), (b) and (c) become approximately 0.8 V/cm, -0.2 V/cm and -1.1 V/cm, respectively.

Figure 3 shows the electron saturation current fluctuations \tilde{I}_{es} with (a) high and (b) low frequencies as a function of E_r for $\nabla T_e/T_{e0} \simeq 0.8 \text{ cm}^{-1}$ at $r_m = -0.9$ cm. The high-frequency fluctuation, namely, the ETG mode, varies sensitively owing to the azimuthal Doppler shift by changing the E_r , as shown in Fig. 3(a). The $E \times B$ drift velocity caused by the radial profile of plasma potential corresponds to the electron diamagnetic direction when the E_r becomes negative value [see Fig. 2(c)]. In the case of $E_r \sim -0.6$ V/cm, the Doppler shift frequency of the ETG mode becomes approximately 1.4 kHz which consistent with the increase in the peak frequencies of ETG modes with E_r . Based on the results, it is confirmed that the ETG mode propagates in the same direction as the electron diamagnetic direction. Furthermore, the ETG mode amplitude is decreased in the slightly negative E_r , while the ETG mode amplitude is increased in the slightly positive E_r . On the other hand, the amplitude of the low-frequency fluctuation with $f \simeq 7$ kHz, namely the DW mode amplitude, is decreased in the slightly positive E_r , while it is increased in the slightly negative E_r , as shown in Fig. 3(b). Moreover, the Doppler shift frequency of the DW mode becomes approximately 0.23 kHz in the case of $E_r \sim -0.6$ V/cm, which is consistent with the small change in the peak frequencies of DW modes (electron diamagnetic direction). Therefore, it is considered likely that the Doppler shift are negligible for the DW mode growth rate ($0.23 \text{ kHz} \ll 7 \text{ kHz}$). Additionally, the

Doppler shear is approximately three times larger than the Doppler shift value, so that would be also negligible.

Furthermore, it was confirmed that the azimuthal wave number of the ETG mode ($k_\theta \simeq 30 \text{ cm}^{-1}$) was much larger than the wave number of the DW mode ($k_\theta \simeq 5 \text{ cm}^{-1}$) through measurement by twin probes with a distance of 3 mm. The frequency of the ETG mode at the wave number $k_\theta \simeq 30 \text{ cm}^{-1}$ corresponds to the theoretically estimated slab ETG mode dispersion frequency [17], and the radial profiles of the normalized amplitudes of the ETG mode and the DW mode are almost constant when the E_r is changed

Figure 4 presents the normalized amplitudes $\tilde{I}_{es}/\bar{I}_{es}$ of fluctuations with high and low frequencies (\bar{I}_{es} : the mean value of the electron saturation current I_{es}) for (a) $\nabla T_e/T_{e0} \simeq 0.34 \text{ cm}^{-1}$ (in the case of the small ETG) and (b) $\nabla T_e/T_{e0} \simeq 0.8 \text{ cm}^{-1}$ (in the case of the large ETG) as a function of E_r at $r_m = -0.9 \text{ cm}$. The value of $\tilde{I}_{es}/\bar{I}_{es}$ is calculated from the peak amplitude of the spectrum with a frequency of $\sim 0.4 \text{ MHz}$ (for ETG mode), and with a frequency of $\sim 7 \text{ kHz}$ (for DW mode). In the case of the small ETG, the ETG mode is symmetrically suppressed by the $E \times B$ drift velocity shear owing to the sufficiently large E_r , which is consistent with the theoretical estimation by Gao *et al.* [5,6]. Specifically, the ETG mode cannot be stabilized until the $E \times B$ drift velocity shear becomes two times larger than $v_i/L_n \sim 3 \times 10^4 \text{ s}^{-1}$, where v_i is ion thermal speed. Therefore, the sufficiently large $|E_r| > \sim 0.7 \text{ V/cm}$ driven large $E \times B$ drift velocity shear ($\sim 7 \times 10^4 \text{ s}^{-1}$) is in agreement with the theoretical estimation for the threshold values of the ETG mode suppression. In addition, the DW mode decreases with an increase in the E_r regardless of its sign, which is also consistent with the numerical calculations on the effect of E_r on the DW mode [18,19]. Therefore, for the small ETG, i.e., $\nabla T_e/T_{e0} \simeq 0.34 \text{ cm}^{-1}$, the stabilized characteristics of the ETG mode and the DW mode on the effect of E_r are in agreement with the conventional theoretical results.

On the other hand, in the case of the larger ETG, i.e., $\nabla T_e/T_{e0} \simeq 0.8 \text{ cm}^{-1}$, the stabilized characteristics of the ETG mode and the DW mode on the effect of E_r are significantly different from those in the case of the small ETG [Fig. 4(b)]. It is observed that the $\tilde{I}_{es}/\bar{I}_{es}$ of the ETG mode is increased in the slightly positive E_r , while it is decreased in the negative E_r . In contrast, the $\tilde{I}_{es}/\bar{I}_{es}$ of the DW mode is decreased in the slightly positive E_r , while it is increased in the negative E_r . It is to be noted that the dependence of the ETG mode on E_r is definitely different from the case of the DW mode. This difference is considered to be caused by the nonlinear interaction between the ETG mode and the DW mode.

To evaluate the degree of the nonlinear coupling between the ETG and the DW modes we compute the auto-bicoherence (normalized bispectrum), which is an indicator of the strength of nonlinear three-wave couplings [20]. Figure 5 gives the auto-bicoherence of the electron saturation current fluctuations (\tilde{I}_{es}) for bicoherence planes of (a) $E_r \simeq -1.0 \text{ V/cm}$ and (b) $E_r \simeq +1.0 \text{ V/cm}$ for $\nabla T_e/T_{e0} \simeq 0.8 \text{ cm}^{-1}$ at $r_m = -0.9 \text{ cm}$. The frequency resolution of the bicoherence is $\Delta f = 1 \text{ kHz}$. For $E_r \simeq -1.0 \text{ V/cm}$, it can be seen that the significant nonlinear coupling between fluctuations pairs with $f \simeq 0.4 \sim 0.8 \text{ MHz}$ and 7 kHz is observed in a broad frequency region, where the colour gradient on the right indicates the level of bicoherence. This corresponds to the fact that a nonlinear coupling takes place between the broadband ETG mode and the DW mode when the negative E_r is formed. On the other hand, for $E_r \simeq +1.0 \text{ V/cm}$, the significant nonlinear coupling between the fluctuations with $f \simeq 0.4 \text{ MHz}$ and 7 kHz is observed in a narrow frequency region. Therefore, the relative strength of nonlinear coupling can be determined by the integrated bicoherence in the range of the ETG and the DW modes frequencies.

Figure 6(a) shows the E_r dependence of the integrated bicoherence in the range of $f_1 \simeq 0.4 \sim 0.8 \text{ MHz}$, where f_2 is $6 \sim 8 \text{ kHz}$ (DW mode) in order to quantitatively investigate the

nonlinear coupling with respect to the ETG mode. The integrated bicoherence is defined as $b^2 = \iint_D \hat{b}^2(f_1, f_2) df_1 df_2$ (D: $f_1 \simeq 0.4 \sim 0.8$ MHz, $f_2 \simeq 6 \sim 8$ kHz), which provides an indication of the relative amount of the nonlinear coupling between the ETG and the DW modes. The value of integrated bicoherence between the two modes is very low over the whole E_r region in the case of $\nabla T_e/T_{e0} \simeq 0.34 \text{ cm}^{-1}$. In the case of $\nabla T_e/T_{e0} \simeq 0.8 \text{ cm}^{-1}$, on the other hand, the bicoherence suddenly increases when the E_r becomes negative value. Therefore, it is concluded that when the E_r becomes slightly positive, the $\tilde{I}_{es}/\bar{I}_{es}$ of the DW mode is suppressed owing to the effect of E_r (the $E \times B$ drift velocity shear), corresponding to the decrease of the nonlinear coupling between the ETG and the DW modes. Consequently, the $\tilde{I}_{es}/\bar{I}_{es}$ of the ETG mode is increased. However, interestingly, when the E_r becomes slightly negative, the $\tilde{I}_{es}/\bar{I}_{es}$ of the ETG mode is decreased and the DW mode is increased. In Fig. 6(b), the normalized $E \times B$ shearing rate $\omega_{E1} \tau_{cDW}$ is estimated using the experimental results, where $\omega_{E1} = \partial v_E / \partial r$ ($v_E = E_r / B_0$ is the $E \times B$ drift velocity) is $E \times B$ drift velocity shear, and τ_{cDW} is the decorrelation time of the DW mode. The comparison of the large and the small ETG shows that the normalized $E \times B$ shearing rate is decreased a little when the E_r becomes slightly negative in the case of $\nabla T_e/T_{e0} \simeq 0.8 \text{ cm}^{-1}$. However, the value of the $E \times B$ drift velocity shear ω_{E1} becomes comparable to the decorrelation time of the DW mode τ_{cDW} for $E_r < \sim -0.5 \text{ V/cm}$, which is insufficient to explain the $\tilde{I}_{es}/\bar{I}_{es}$ of the DW mode increasing. Recently, empirical evidence suggest that the mean flow $\alpha(-E_r E''_r)$ affects the plasma fluctuations [13]. Thus we derive the radial profile of the radial electric field E_r , the normalized $E \times B$ shearing rate $\omega_{E1} \tau_{cDW}$ and the mean flow $-E_r E''_r$ from the radial profile of ϕ_s in the region of $|r_m| = 0.6 \text{ cm} \sim 1.6 \text{ cm}$, as shown in Fig. 7. The $-E_r E''_r$ values become substantially negative when E_r is inner direction, as shown in Fig. 7(b), which is possibly causing the plasma fluctuation. Therefore, the nonlinear coupling between the ETG and the

DW modes is increased, and this nonlinear coupling then enhances the energy transfer from the ETG mode to the DW mode, causing the effective suppression of the former even in the small negative E_r . These experimental results are consistent with the theoretical expectation of the impact of E_r on the multiscale nonlinear interaction [7].

We showed that the E_r could be controlled independently of the ETG by changing the bias voltages of the electron emitter. It is found that a sufficiently large E_r can suppress the ETG mode regardless of its signs in the case of the small ETG. However, for the large ETG case, even when E_r becomes small, the ETG mode amplitude is decreased in the slightly negative E_r , while the ETG mode amplitude remains large in the positive E_r . In this case, the DW mode that is enhanced by the nonlinear coupling with the ETG mode has the opposite tendency of dependence on E_r , namely, the DW mode amplitude increases and decreases in the cases of the negative and the positive E_r , respectively. Since a bicoherence between the high-frequency ETG and low-frequency DW modes is observed to increase with the slightly negative E_r in the case of the large ETG, the ETG mode amplitude is decreased by the energy transfer from the ETG mode to the DW mode through the multiscale nonlinear coupling. It can be shown for the first time that the E_r affects turbulent fluctuations through not only the direct suppression but also the nonlinear interaction of the ETG and the DW modes, which consequently caused the new suppression mechanism of the ETG mode. This suppression mechanism shows disparity with respect to the sign of the radial electric field inhomogeneity, which can be driven by turbulence, so that it could be a new source for symmetry breaking in the turbulence structure formation in plasmas. The results contain the significant implication that the radial electric field inhomogeneity is the most important factor in the suppression mechanism for the plasma fluctuations.

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Figures legends

Figure 1. Schematic diagram of the experimental apparatus. We used the Cartesian coordinate to explain the straight cylinder device, which is indicated in the center of the schematic diagram.

Figure 2. Radial profiles of electron temperature (T_e) and space potential (ϕ_s) for (a) hill type ($E_r > 0$), (b) flat type ($E_r \sim 0$) and (c) well type ($E_r < 0$) for $\nabla T_e/T_{e0} \simeq 0.8 \text{ cm}^{-1}$ and $P_\mu = 20 \text{ W}$. Langmuir probes are used to measure the T_e and the ϕ_s profiles, which are scrutinized based on the reproducibility of the plasma parameter profiles to select the final data set. The uncertainty of the evaluation of E_r is small and may be ignored, since the uncertainty of the E_r values mostly comes from the properties of radial profiles of ϕ_s .

Figure 3. Dependence of the electron saturation current fluctuations \tilde{I}_{es} on the radial electric field (E_r) with (a) high and (b) low frequencies for $\nabla T_e/T_{e0} \simeq 0.8 \text{ cm}^{-1}$ at $r_m = -0.9 \text{ cm}$. (In both figures, zero amplitude is offset for three cases in order to highlight the difference of the three spectra amplitudes.)

Figure 4. The normalized amplitudes $\tilde{I}_{es}/\bar{I}_{es}$ of fluctuations with high and low frequencies of (a) $\nabla T_e/T_{e0} \simeq 0.34 \text{ cm}^{-1}$ and (b) $\nabla T_e/T_{e0} \simeq 0.8 \text{ cm}^{-1}$ as a function of the E_r at $r_m = -0.9 \text{ cm}$. Since the amplitude of $E \times B$ drift velocity shear is proportional to E_r value, the $E \times B$ drift velocity shear become approximately $+9.7 \times 10^4 \text{ s}^{-1}$ ($E_r \sim +0.8 \text{ V/cm}$) and $-1.3 \times 10^5 \text{ s}^{-1}$ ($E_r \sim -1.1 \text{ V/cm}$) at $r_m \simeq -0.9 \text{ cm}$ (the magnetic field, $B = 0.214 \text{ T}$).

Figure 5. Auto-bicoherence of the electron saturation current fluctuations (\tilde{I}_{es}) for bicoherence planes of (a) $E_r \simeq -1.0 \text{ V/cm}$ and (b) $E_r \simeq +1.0 \text{ V/cm}$ for $\nabla T_e/T_{e0} \simeq 0.8 \text{ cm}^{-1}$ at $r_m = -0.9 \text{ cm}$.

Figure 6. (a) The integrated bicoherence between ETG and drift wave modes and (b) the normalized $E \times B$ shearing rate ($\omega_{E1} \tau_{cDW}$, where ω_{E1} is the $E \times B$ drift velocity shear and τ_{cDW} is the decorrelation time of the drift wave modes) as a function of the E_r at $r_m = -0.9 \text{ cm}$.

Figure 7. Derived radial profiles of plasma space potential (ϕ_s), radial electric field (E_r),

the normalized $E \times B$ shearing rate ($\omega_{E1} \tau_{cDW}$) and its flow intensity component ($-E_r E_r''$) for (a) $E_r \simeq +0.8$ V/cm and (b) $E_r \simeq -1.1$ V/cm computed using plasma space potential profiles (the blue marks, $-3.0 \text{ cm} < r_m < 0 \text{ cm}$) of Fig. 2(a) and Fig. 2(c). The error bars are estimated from the uncertainty of fitting parameter (the degree of a polynomial) of the ϕ_s measurement profiles to the polynomial curve fitting process. We used shading in the figures to highlight where the low frequency fluctuations have a large value.



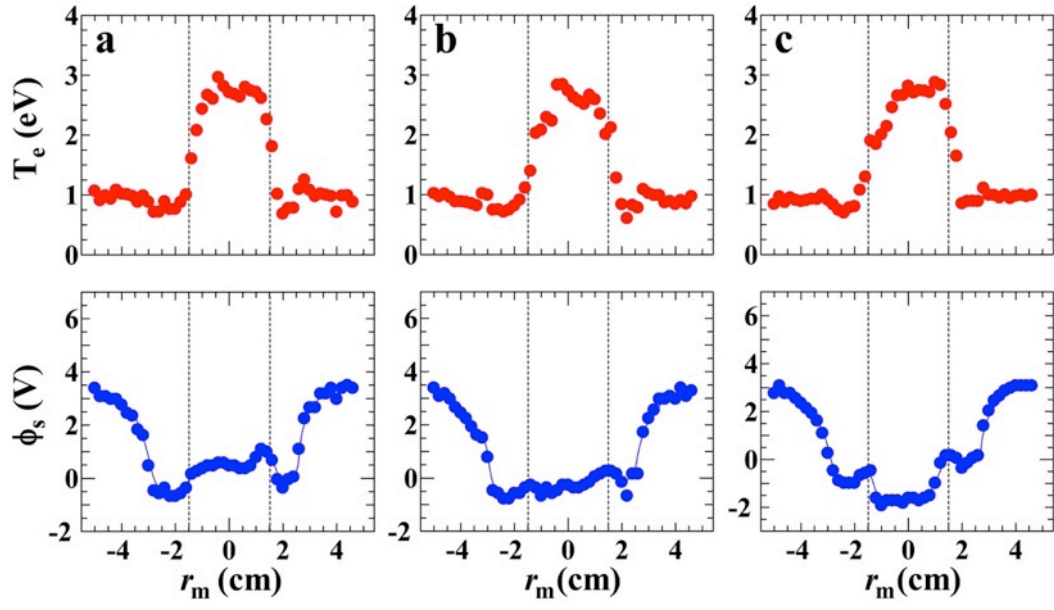


Figure 2.

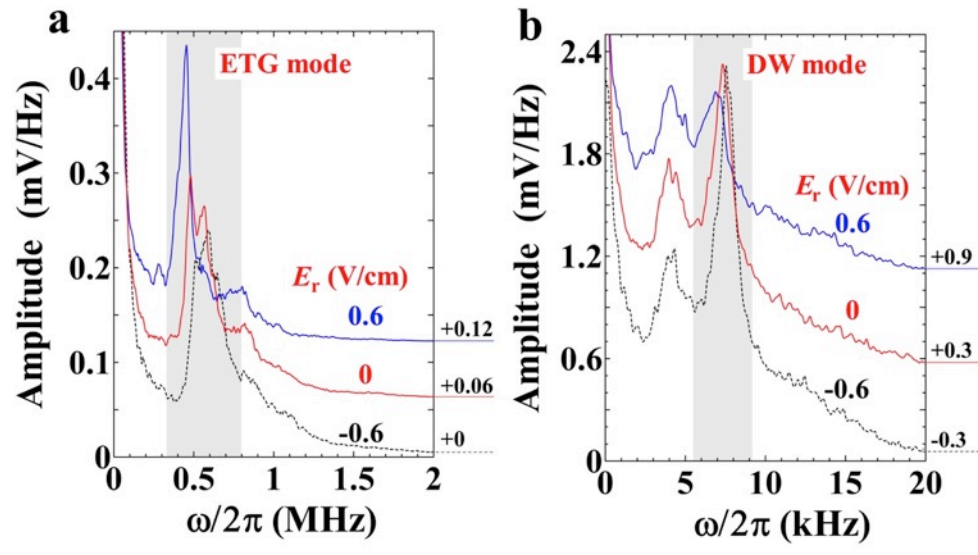


Figure 3.

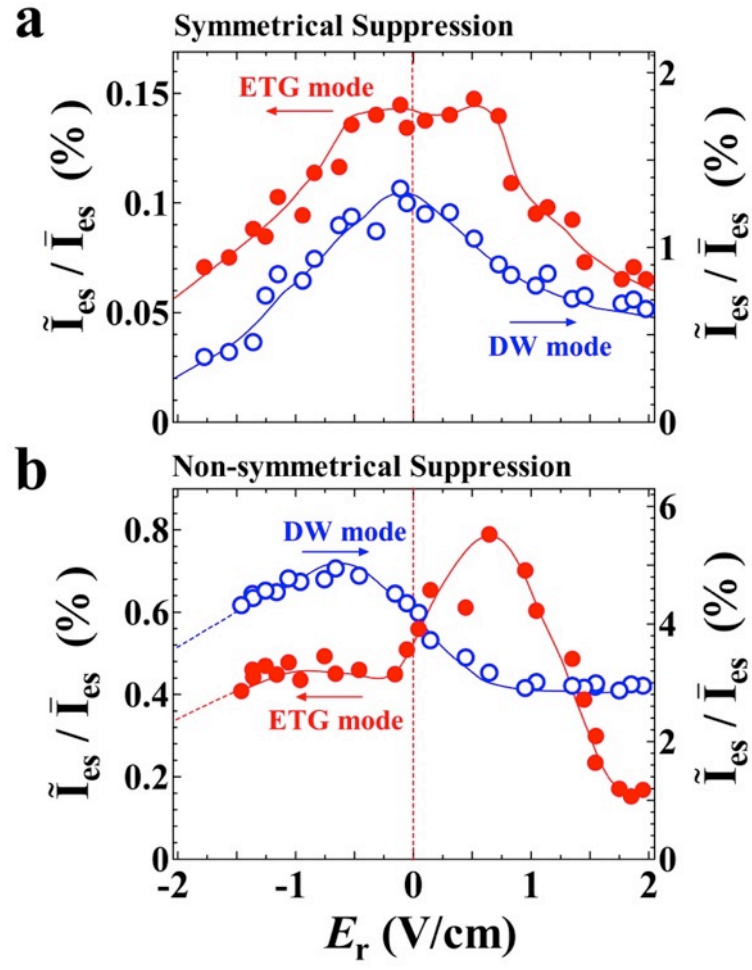


Figure 4.

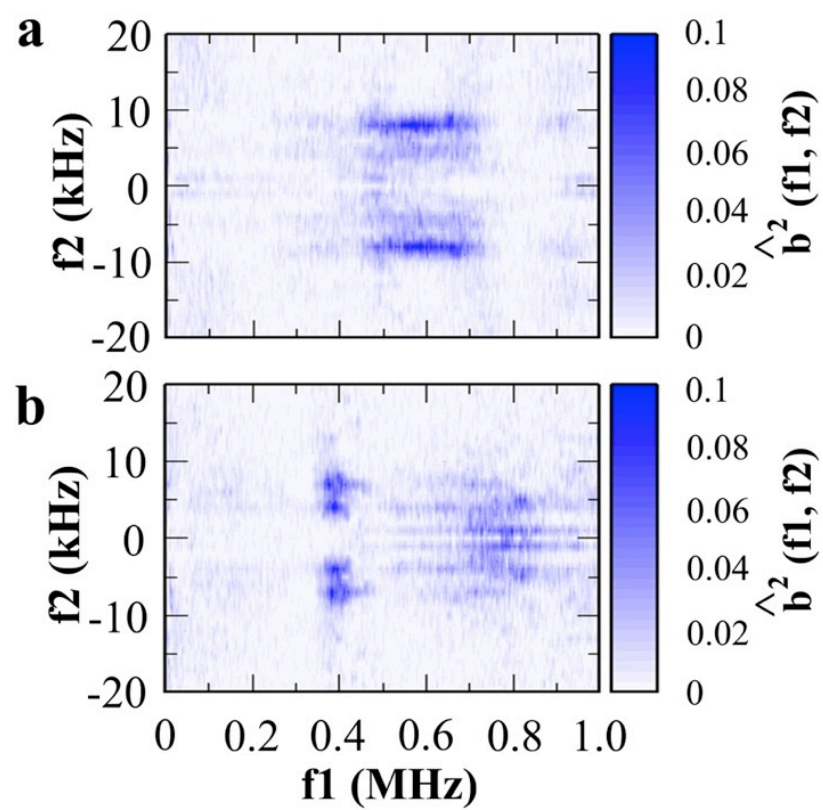


Figure 5.

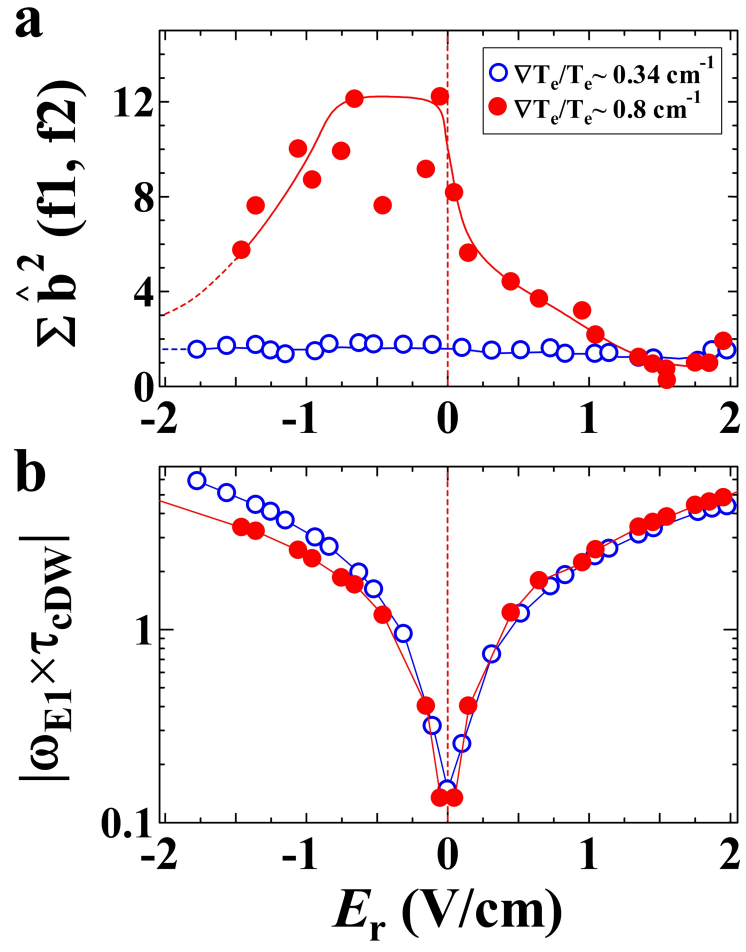


Figure 6.

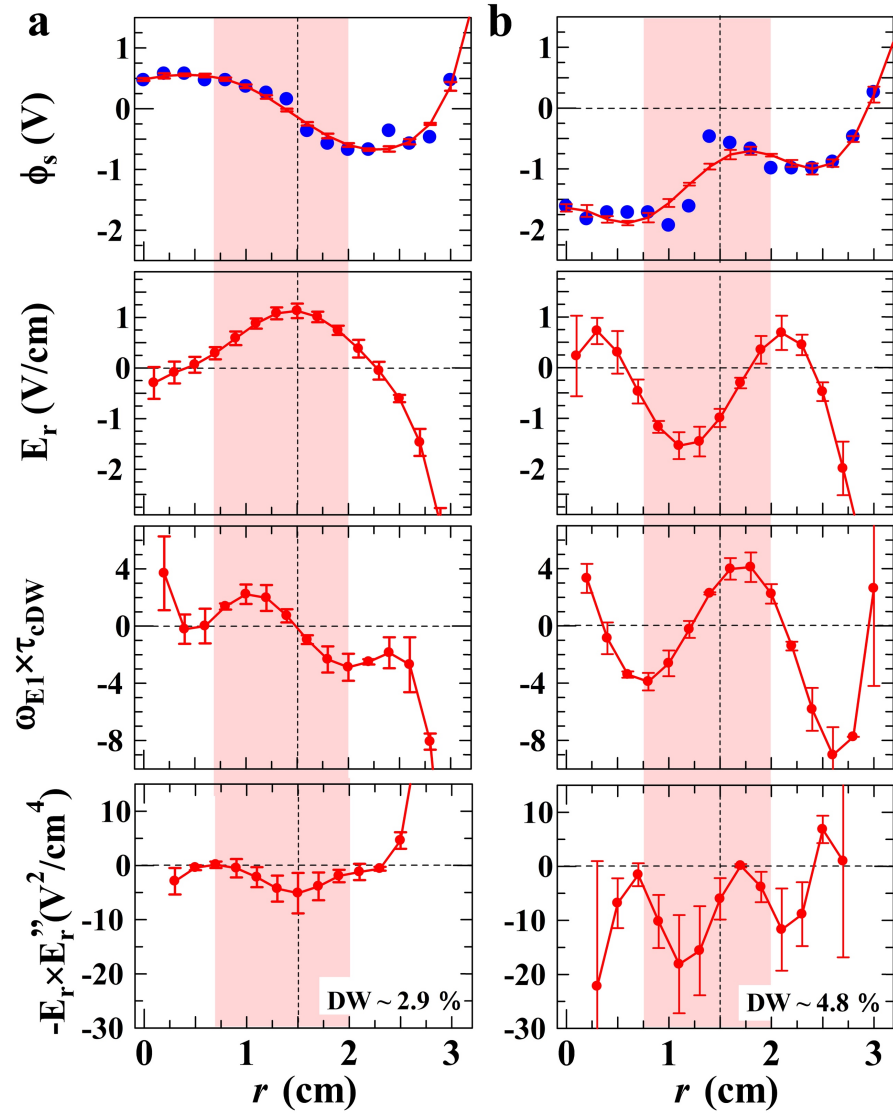


Figure 7.