

# **Max-Planck-Institut** für Meteorologie



# SENSITIVITY STUDY OF LAND BIOSPHERE CO2 EXCHANGE<br>THROUGH AN ATMOSPHERIC TRACER TRANSPORT MODEL USING SATELLITE-DERIVED VEGETATION INDEX DATA

by

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# Revised Edition

# SENSITIVITY STUDY OF LAND BIOSPHERE CO<sub>2</sub> EXCHANGE THROUGH AN ATMOSPHERIC TRACER TRANSPORT MODEL USING SATELLITE-DERIVED VEGETATION INDEX DATA

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#### Abstract

We develop a simple, globally uniform model of  $CO<sub>2</sub>$  exchange between the atmosphere and the terrestrial biosphere by coupling the model with <sup>a</sup> threedimensional atmospheric tracer transport model using observed winds, and checking results against observed concentrations of  $CO<sub>2</sub>$  at various monitoring sites.  $CO<sub>2</sub>$  fluxes are derived from observed greenness using satellite-derived Global Vegetation Index data, combined with observations of temperature, radiation, and precipitation. We explore a range of  $CO<sub>2</sub>$  flux formulations together with some modifications of the modelled atmospheric transport. It appears that the seasonality of net  $CO<sub>2</sub>$  fluxes in the tropics, which would be expected to be driven by water availability, is remarkably small, because C02 uptake and release are reduced simultaneously during the dry season. Consequently, tropical vegetation contributes only very little to the seaonal cycle of atmospheric  $CO<sub>2</sub>$ , which is dominated by northern temperate and boreal vegetation, where seasonality is mostly temperature determined. We find some evidence that there is still considerable  $CO<sub>2</sub>$  release from soils during the northern-hemisphere winter. An exponential air temperature dependence of soil release with a  $Q_{10}$  of 1.5 is found to be most appropriate, with no cutoff at low freezing temperatures. This result is independent of the year from which observed winds were taken. This is remarkable insofar as year-to-year changes in modelled  $CO<sub>2</sub>$  concentrations caused by changes in the wind data clearly outweigh those caused by year-to—year variability in the climate and vegetation index data.

 $\sim 10^{-10}$  and  $\sim 10^{-10}$ 

 $\label{eq:R1} \mathcal{R}(\mathcal{A}) = \mathcal{A}(\mathcal{A}) \text{ and } \mathcal{A}(\mathcal{A}) = \mathcal{A}(\mathcal{A}) \text{ and } \math$ 

# 1 Introduction

During recent years there has been <sup>a</sup> growing perception of the role the terrestrial biosphere plays in global carbon cycling. An increasing need is felt to understand seasonal as well as interannual changes in biospheric carbon cycling, and in particular how they are related to climate fluctuations. One approach to modelling these processes is to start at the plant physiological level and eventually extend the model to the global scale (Running 1992). Such global models can then be tested by coupling model-predicted  $CO<sub>2</sub>$  fluxes to an atmospheric tracer transport model and comparing the seasonal cycle of simulated and observed  $CO<sub>2</sub>$  concentrations at various monitoring sites, because plant activity introduces by far the largest seasonal variation found in atmospheric  $CO<sub>2</sub>$  concentrations (Keeling et al. 1989).

In this study we explore in how far atmospheric  $CO<sub>2</sub>$  records can provide a constraint on global vegetation modelling. Instead of applying <sup>a</sup> detailed model with <sup>a</sup> multidude of parameters, though presumably more accurate, we choose <sup>a</sup> number of simple, globally uniform formulations of biosphere-atmosphere  $CO<sub>2</sub>$  exchange that reflect basic physiological concepts, thereby reducing the number of parameters to <sup>a</sup> minimum. We test modifications in input data and <sup>a</sup> variety of model formulations and parameter settings against the observed seasonal cycle of atmospheric  $CO<sub>2</sub>$  concentration. The results of this study can also serve as an independent test for global mechanistic ecosystem models (e.g. Melillo et al. 1993, Janacek et al. 1991, Running and Hunt 1993, Raich et al. 1991).

# 2 Basic concepts

As explained above, we seek a formulation of biosphere-atmosphere  $CO<sub>2</sub>$  exchange based on observational data that with maximum simplicity is still able to accommodate fundamental ecophysiological concepts. Consequently, we reduce the number of carbon fluxes to two, i.e. to Net Primary Productivity (NPP) and Soil Release (SR). For the moment, we consider NPP to be that part of photosynthesised carbon that remains in living plant matter and is not lost through autotroph maintenance or growth respiration. This definition will be reconsidered in Section 6.2. We further assume that all vegetation is in <sup>a</sup> steady state, so that there is no net gain of biomass after one year and the net ecosystem production equals zero. Therefore, NPP is exactly balanced by SR, under which we subsume all heterotroph respiration from soils and plant litter. In order to reduce the number of parameters to <sup>a</sup> minimum, we seek <sup>a</sup> globally uniform formulation of both fluxes and do not introduce any biospheric carbon pools.

As input data we use climate observations, and the satellite-derived Normalized Difference Vegetation Index (NDVI) to monitor photosynthetic activity of vegetation. It has been demonstrated that the NDVI, defined as the difference of the reflectivities in the near-infrared minus red divided by their sum, is <sup>a</sup> reasonable measure of light interception of vegetation formations, und thus an indicator of photosynthetic rate per incidident radiation under non-stress conditions (Kumar and Monteith 1981, Tucker and Sellers 1986, Myneni et al. 1992, Asrar et al. 1992).

We choose a spatial resolution of  $0.5^{\circ}$ , thus reflecting the high variability found in vegetation formations, and <sup>a</sup> time step of one month for the calculation of NPP and SR. Biospheric  $CO<sub>2</sub>$  fluxes are fed into a three-dimensional atmospheric tracer transport model, TM2, <sup>a</sup> modified version of the one developed by Heimann and Keeling (1989) with 7.83 by 10.00 degrees spatial resolution and <sup>9</sup> layers in the vertical (Heimann 1994). Eventually, we compare the observed seasonal cycle at various monitoring stations to the simulated seasonal cycle in the corresponding grid boxes of the TM2.

### 3 Data

As observed climate data we take monthly means of precipitation, surface temperature, shortwave, and thermal radiation from short-range weather forecasts by the European Centre for Medium-Range Weather Forecasts (ECMWF) from May 1985 to April 1989. The four-year period lies between two major changes of the forecast model (Arpe, 1991). We use the mean annual course of NDVI data from the same period as given by the Global Vegetation Index data set based on measurements on board NOAA-9 and NOAA-11 satellites with the Advanced Very High Resolution Ra diometer (Gallo 1992). The data set accounts for the different pre-flight calibrations of the two satellites, however, we do not correct for temporal evolution of calibration. Monthly composites are formed by taking the highest NDVI value within each month in order to minimize the effect of cloud contamination. The data are then brought to <sup>a</sup> common spatial resolution of 0.5 degrees, by averaging the original Mercator projected NDVI data with 10.4 minutes resolution at the equator, and the ECMWF data by selecting the nearest 1.125 degree grid cell of the forecast model. <sup>A</sup> more appropriate method would have been to average the single channels before forming the NDVI. However. the data set used does not contain such information, and the difference between the two calculations should be small and insignificant for <sup>a</sup> global sensitivity study.

The TM2 is run with observed winds of both 1986 and 1987 from ECMWF analyses, which gives an indication of the uncertainties induced by changes in atmospheric transport patterns. Observed  $CO<sub>2</sub>$  concentrations were taken from the NOAA Climate Monitoring and Diagnostic Laboratory's flask sampling program (Conway and Tans 1990, CDIAC 1991). The mean seasonal cycle and the variance of the monthly values are computed from data records of <sup>1980</sup> to 1990, as far as they are available, by subtracting the long—term trend, which itself is fitted to the annual means of the data records using Hermite cubics.

# 4 Model development and simulations

#### 4.1 Strategy

In this study we execute the following main steps: First, we simulate the seasonal cycle of land biosphere  $CO<sub>2</sub>$  fluxes with the mean annual course of the ECMWF climate data and the NDVI. Second, the fluxes are fed to the TM2, which is run over four years with the same annual course of  $CO<sub>2</sub>$  fluxes until a steady state is reached. Third, we write out the seasonal cycle during the last year of the simulation from the TM2 boxes corresponding to various monitoring sites (cf. Table l), and compare this to the observed mean seasonal cycle (cf. Section 3). The aim is to test the sensitivity of the model against modifications in input data and varying formulations of NPP and SR. In order to assess the effect of year-to-year changes of vegetation activity, we also perform simulations based on climate and NDVI data from only <sup>1986</sup> and 1987, respectively, thereby running the TM? with the wind data from the same year.

<sup>A</sup> significant problem in assessing how well the model reproduces global biosphere-atmosphere  $CO<sub>2</sub>$  exchange lies in the uncertainties concerning nonbiospheric seasonal  $CO<sub>2</sub>$  fluxes. For the northern hemisphere, as a result of the large land masses and the effective barrier provided by the intertropical convergence zone, the situation is much more favourable than for the southern hemisphere, because the seasonal cycle is far more pronounced, and almost entirely of biospheric origin (Heimann et al. 1989, Nakazawa et al. 1993). In contrast, for tropical and southern-hemisphere stations the seasonal cycle is about equally influenced by biospheric and non-biospheric effects, which are mainly oceanic  $CO<sub>2</sub>$  exchange and, at tropical stations,  $CO<sub>2</sub>$  from fossil fuel burning that is advected seasonally by the monsoon circulation. An additional contribution could come from biomass burning, not captured in our model. There is still too little known about the seasonality of oceanic  $CO<sub>2</sub>$  fluxes to attempt incorporating them into this study. Therefore, we devise two different test criteria for the two hemispheres.

One test criterion is provided by <sup>a</sup> cost function, J, using observations from <sup>a</sup> number stations at northern latitudes:

$$
J = \frac{1}{n} \sum_{i=1}^{n} \frac{c_{i,obs}^2 - c_{i,sim}^2}{s_{i,obs}^2}
$$
 (1)

i runs over 12 months times 5 stations as listed in Table 2,  $c_{i,obs}$  and  $c_{i,sim}$ are observed and simulated  $CO<sub>2</sub>$  concentration of the mean seasonal cycle with the convention that the sum over one year equals zero.  $s_{i,obs}^2$  is the variance of the mean seasonal cycle of <sup>a</sup> particular station and month. In Equation <sup>1</sup> we do not account for correlations between different stations. Instead, we have tried to choose <sup>a</sup> set of stations that is spread out fairly evenly across the northern hemisphere to avoid groups of highly correlated stations, since this would introduce <sup>a</sup> bias towards regions with high coverage.

For the southern hemisphere, we only take the difference in amplitude between the modelled and observed seasonal cycle as <sup>a</sup> test criterion. In the simulations by Heimann et al. (1989) it was shown for stations south of the equator that the



Table 1: Monitoring stations used for computing the cost function,  $J$ , from north to south.

biospheric signal alone has about the same amplitude as the total signal comprising biospheric, oceanic and anthropogenic  $CO<sub>2</sub>$  sources. We further assume that biomass burning, not included into the study by Heimann et al., will not significantly affect. the amplitude of the observed signal. We can therefore assume that if <sup>a</sup> simulated biospheric seasonal cycle has an amplitude considerably larger than observed, the difference could not be made up by fluxes from other sources.

#### 4.2 Carbon uptake

When developing <sup>a</sup> formulation for NPP we follow Monteith (1977) who suggested <sup>a</sup> model for crops that relates annual <sup>N</sup>PP to the sum of absorbed Photosynthetically Active Radiation (PAR). Furthermore, it has been noted that several vegetation indices calculated from reflectances of red and near-infrared radiation, including the NDVI, are approximately linearly related to the percentage of PAR intercepted by the plant canopy (Kumar and Monteith 1981, Asrar et al. 1984, Myneni et al. 1992). Asrar et al. (1992) also showed for the NDVI that this still holds for strongly heterogeneous vegetation distributions, such as desert shrubland. The two assumptions were combined by Goward et al. (1985) who found <sup>a</sup> good linear relationship between the annual sum of NDVI and annual NPP for <sup>a</sup> variety of North American biomes. Additionally, Tucker and Sellers (1986) developed <sup>a</sup> leaf physiological model that again showed <sup>a</sup> reasonably linear relationship between the Simple Ratio Vegetation Index and photosynthetic rate per unit of PAR. All these models suggest <sup>a</sup> functional form for NPP that is proportional to NDVI times PAR, which is itself a. constant proportion of incoming shortwave radiation. However, they assume that the vegetation is not water, nutrient or temperature limited.

We believe that nutrient limitation as a long-term effect will largely be reflected by <sup>a</sup> low NDVI, so that it does not have to be accounted for explicitly. As to tem perature limitation, we find that setting NPP to zero whenever monthly means of temperature fall below 0°C has only <sup>a</sup> small effect, despite the large areas of boreal and temperate evergreen forest. This is partly <sup>a</sup> result of low PAR during winter in those areas, and partly an artifact of the data processing procedure for the NDVI, dropping all values whenever solar elevation is low (Gallo 1992), which coincides reasonably well with freezing temperatures during winter. We decide to ignore any temperature dependence of NPP, and expect the most significant effect to come from water limitation.

This effect is illustrated in <sup>a</sup> study by Running and Nemani (1988), who used a regional, process-oriented forest model (Forest-BGC) to calculate photosynthesis of various forest sites, and compared this to NDVI measurements. They found that though both follow closely throughout the year when the model is run for sites with sufficient water availability, photosynthesis can almost cease while NDVI stays high in forests under substantial water stress. This demonstrates an important ability of trees: to control their water balance actively, without withering. In contrast, grasslands were found to react to sinking moisture availability by falling NDV<sup>I</sup> (Gao et al. 1992). This different behaviour of grass- and tree-like vegetation has important consequences for modelling seasonal NPP based on NDVI globally.

We do not consider differentiating between the two vegetation types, e.g. using an existing vegetation map, in order to keep to our initial concept of global uniformity of the model. Instead we consider two alternative formulations:

$$
NPP = A * NDVI * AET/PET * RS
$$
 (2a)

$$
NPP = A * NDVI * R_S \t\t(2b)
$$

In Equation 2a we take as <sup>a</sup> measure of water stress the ratio of actual evapotranspiration (AET) divided by potential evapotranspiration (PET) calculated with <sup>a</sup> bucket model developed by Prentice et al. (1993). The bucket model uses monthly means of incoming solar and thermal radiation and precipitation, which are interpolated linearly to daily values, and has a constant field capacity of 150 mm.  $R<sub>S</sub>$  stands for solar radiation, and <sup>A</sup> is <sup>a</sup> globally uniform efficiency constant that has to be fitted to the observed seasonal cycle of  $CO<sub>2</sub>$ . (A is not the same for both formulations.)

#### 4.3 Carbon release

In formulating SR, we follow Bonan (1991) and Norman et al. (1992) who both used, apart from minor additional factors, soil moisture times an exponential function of soil temperature. The study by Norman et al. was over <sup>a</sup> grassland site, whereas Bonan's was on Alaskan boreal forests. Bonan assumes that his exponentiall temperature dependence is also valid during winter, with no cutoff at low temperatures to account for freezing conditions. His assumption was based on previous measurements (Vogt et al. 1980, Moore 1983, Stohlgren 1988, Taylor and Jones 1990). In our study, we use surface air temperature instead of soil temperature, and soil moisture is replaced by AET/PET, which follows soil moisture closely in the one-layer bucket model used. This seems reasonable. since annual AET was found to be correlated with litter decomposition (Meentemeyer 1978).

However, the processes governing soil release are immensely complicated, and it is not clear how water availability relates quantitatively to microbial activity. Therefore we also consider <sup>a</sup> formulation without <sup>a</sup> water stress factor. Furthermore, other studies (e.g. Heimann and Keeling 1989) have assumed that when the temperature falls below <sup>a</sup> certain threshold the soil can be regarded as completely frozen, bringing soil respiration to <sup>a</sup> halt. We combine these different assumptions, and obtain four

Table 2: Results of the simulations to test the various formulations of NPP and SR, and a range of values for  $Q_{10}$ . In each line we give the value of the cost function  $J$  after optimizing global photosynthetic efficiency,  $A$ , which is given in units of gC per MJ of PAR. The value for global annual NPP (gINPP) is also displayed in GtC. Bold numbers indicate an optimal value for  $Q_{10}$ . The error in A resulting from uncertainties in the observed  $CO<sub>2</sub>$  concentration is generally around 1.1%.

Formulation	NPP Equ.	SR Equ.	$Q_{10}$	winds	$\overline{J}$	$\boldsymbol{A}$	glNPP
$\overline{I}$	2a	3a	$1.2\,$	1987	3.94	0.39	45
	AET/PET	AET/PET	$1.5\,$		3.00	0.55	63
			1.9	$\sim$ $\sim$	5.89	0.79	91
			2.4		21.14	0.94	108
			1.2	1986	4.36	0.39	44
			1.5		3.39	0.54	62
			1.9		5.86	0.79	91
$\prod$	2a	3 <sub>b</sub>	$1.0\,$	1987	2.67	0.53	61
	AET/PET	AET/PET	1.1		2.87	0.58	67
		cutoff	1.2		3.32	0.64	73
			1.5		6.69	0.81	93
			1.9		17.91	0.94	108
III	2a	3 <sub>c</sub>	$1.0\,$	1987	4.91	0.32	37
	AET/PET		1.2		3.44	0.42	47
			1.5		2.88	0.59	68
			1.9		8.15	0.83	96
IV	2a	3d				not used	
	AET/PET	cutoff					
$\overline{\mathrm{V}}$	2 <sub>b</sub>	3a	$1.2\,$	1987	4.92	0.32	47
		AET/PET	$1.5\,$		3.58	0.45	66
			1.9		4.79	0.66	96
$\rm{VI}$	2 <sub>b</sub>	3 <sub>b</sub>	$1.0\,$	1987	2.71	0.42	62
		AET/PET	1.2		2.67	0.52	76
		cutoff	1.5		4.25	0.67	98
			1.9		11.85	0.84	123
<b>VII</b>	2 <sub>b</sub>	3c	1.2	1987	3.79	0.37	54
			1.5		2.76	0.53	78
			1.9		8.06	0.76	112
			1.2	1986	4.17	0.36	53
			1.5		3.14	0.52	77
			1.9		7.92	0.76	112
<b>VIII</b>	2 <sub>b</sub>	3d	1.0	1987	2.40	0.48	70
		cutoff	1.2		2.91	0.59	87
			1.5		7.55	0.76	112
			1.9		23.76	0.80	118

alternative formulations:

$$
SR = B * Q_{10}^{T/10} * AET/PET
$$
\n(3a)

$$
SR = \begin{cases} B \ast Q_{10}^{T/10} \ast AET/PET & \text{for} \quad T \ge -10^{\circ}C \\ 0 & \text{for} \quad T < -10^{\circ}C \end{cases}
$$
 (3b)

$$
SR = B * Q_{10}^{T/10} \tag{3c}
$$

$$
SR = \begin{cases} B * Q_{10}^{T/10} & \text{for } T \ge -10^{\circ}C \\ 0 & \text{for } T < -10^{\circ}C \end{cases}
$$
 (3d)

T is the surface temperature,  $Q_{10}$  an empirical constant, and B is determined by the condition that SR and NPP balance over one year in each grid cell. (Unlike A, <sup>B</sup> is not globally constant.) Values for  $Q_{10}$  found in the literature vary between 1.3 and 3.3 (Raich and Schlesinger 1992), Bonan (1991) uses 1.91 for boreal forests, and Norman et al. (1992) 1.44 for <sup>a</sup> grassland site under warm conditions. These values are, however, related to soil temperature. In this study, we leave the size of  $Q_{10}$  open and take it as another fitting parameter.

#### 4.4 Simulations

We run <sup>a</sup> variety of simulations with differing combinations of the Equations <sup>2</sup> and <sup>3</sup> for NPP and SR, with values for Q10 varying between 1.0 and 2.4, as displayed in Table 2. With B determined by the condition of local flux balance over one year, the remaining undetermined parameter is the global photosynthetic efficiency, A. Since tracer transport can be assumed linear, <sup>A</sup> only serves as <sup>a</sup> scaling factor for the simulated concentrations  $c_{i,sim}$  in Equation 1. Therefore, we fit A after each run analytically by minimizing  $J$  at a fixed value of  $Q_{10}$ . The optimum of each formulation can then be estimated by taking the  $Q_{10}$  that achieves the lowest value of J, and the corresponding optimal value of A.

#### 5 Results

#### 5.1 Major tests

We show the results of various seasonal-cycle simulations in Table <sup>2</sup> and Figure 1. Table <sup>2</sup> shows the results gained from applying the first test criterion of Section 4.1, indicating the NPP and SR formulation chosen,  $Q_{10}$ , the optimized value of the cost function  $J$ , the corresponding value of  $A$ , and the global annual NPP (glNPP). Not that the ratio of <sup>A</sup> to glNPP is constant for <sup>a</sup> given formulation of NPP. The error in A at fixed  $Q_{10}$  that results from the uncertainty,  $s_{i,obs}$ , in the observed values,  $c_{i,obs}$ , is about 1.1% for all cases.

Figure <sup>1</sup> shows the observed and simulated seasonal cycle for all formulations not using a low-temperature cutoff for two southern-hemisphere stations. (This cutoff has virtually no effect at these stations.) The first station, Cape Grim, Tasmania (CGO,  $41^{\circ}$ S,  $145^{\circ}$ E), represents the CO<sub>2</sub> signal in the southern temperate zone, whereas the



Figure 1: Simulated and observed seasonal cycle at two southern—hemisphere stations, Cape Grim (CGO,  $41^{\circ}$ S,  $145^{\circ}$ E) and Ascension Island (ASC, 8  $^{\circ}$ S, 14  $^{\circ}$ W) for all formulations not using <sup>a</sup> low-temperature cutoff. Error bars for observed values indicate  $s_{i,obs}$ . Simulations cannot be expected to match observations exactly because of the additional seasonality resulting from other  $CO<sub>2</sub>$  sources, mainly oceanic. Although the seasonal behaviour of oceanic sources is still disputed, we know that adding the resulting oceanic signal to the simulated biospheric signal would not markedly change the simulated amplitude.

second station, Ascension Island (ASC,  $8^{\circ}S$ ,  $14^{\circ}W$ ), is ideally situated to receive the  $CO<sub>2</sub>$  signal from the tropical and subtropical vegetation of southern Africa.

Comparing the amplitudes of the observed and simulated signals in Figure 1, we find that both Formulation III and <sup>V</sup> clearly fail the second test criterion. It is interesting that III does not fail at CGO, but all the more clearly at ASC, whereas <sup>V</sup> fails at both stations. At ASC, this behaviour demonstrates the opposite seasonality of tropical drought-seasonal vegetation in the two formulations, as we will see in Section 6.3. For comparison, in the model of Heimann et al. (1989), oceanic fluxes account for a signal of around 1 ppmv amplitude, and industrial  $CO<sub>2</sub>$  for less than 0.3 ppmv at Baring Head, New Zealand, at 41°S, 175°E, which is the nearest station to CGO used in that study. This makes it clear that even without further knowledge about the seasonality of oceanic  $CO<sub>2</sub>$  fluxes, we can evidently reject Formulations III and V, and with them IV (not used) and VI, since the low-temperature cutoff has almost no effect in the latitudes concerned.

Looking at the results in Table 2, and considering that most estimates of glNPP lie between 50 and 60 GtC (see Section 6.2), it appears that whenever  $Q_{10}$  is larger than 1.5, the value for glNPP after optimizing <sup>A</sup> comes out rather high and at the same time the cost function deteriorates in all simulations. With Formulations I, III, V and VII, all using no cutoff, we find a clear optimum with a  $Q_{10}$  close to 1.5 and NPP in the range that was expected, or slightly higher. This picture does not change when going from <sup>1987</sup> to <sup>1986</sup> wind data, although fits appear to be generally somewhat inferior. In contrast, values for  $Q_{10}$  cited in the literature are typically higher than 1.5. We attribute this to the fact that we derive our fluxes from air temperature, not from soil temperature. Among these four cases, we find that Formulations V and VII achieve the best fits, whereas Formulations I, III and <sup>V</sup> have <sup>a</sup> glNPP somewhat closer to commonly assumed values. It is interesting to note that very close values for <sup>A</sup> are found in both <sup>I</sup> and VII, whereas glNPP is significantly higher in VII. This illustrates that the simultanious reduction of NPP and SR through the drought-stress factor has only a small effect on net  $CO<sub>2</sub>$  fluxes as "seen" by the atmosphere (see Section 63).

No clear optimum appears with Formulations II, VI and VIII, where SR was set to zero for monthly mean temperatures below -10°CHere, the optimal  $Q_{10}$  shifts to unreasonably low values, lies below 1.0 for II and VIII. This leads to <sup>a</sup> functional form where the seasonality of SR is dominated by the -10 $\rm ^oC$  criterion, which clearly is not observed in the field. If we therefore, reject the idea of <sup>a</sup> low-temperature cutoff  $-$  this will be further discussed in Section 6.4  $-$  we are left with Formulations I and VII, which both have a clear optimum at  $Q_{10} = 1.5$ , regardless of the wind data used.

Figure 2 shows the observed and simulated seasonal cycle of  $CO<sub>2</sub>$  concentration at the stations used for defining the costfunction,  $J$  (cf. Table 1), derived from Formulations <sup>I</sup> and VII with the optimized value for A, and thus glNPP, according to Table 2, but with varying values of  $Q_{10}$ . In all cases, 1987 wind data is used. For comparison, results for Cape Grim (CGO) are also shown. At most stations the maximum depletion of  $CO<sub>2</sub>$  during summer is poorly matched in the model. We suppose, for CBA and BRW in particular, that this can at least partly be explained by the presence of local vegetation that cannot be adequately represented at the



Figure 2: Simulated and observed seasonal cycle at those stations used for calculating the cost function,  $J$ , plus Cape Grim (CGO,  $41^{\circ}$ S,  $145^{\circ}$ E), for Formulations I (full curve), III (dotted) and VII (dashed) with the respective best-fit values for  $Q_{10}$  (all 1.5), using 1987 winds. Observations,  $c_{i,obs}$ , are shown with error bars indicating  $s_{i,obs}$ . The first half of the annual cycle is repeated for display purposes.

coarse resolution of the TM2. (Although the biosphere model works at  $0.5^{\circ}$ , fluxes are always aggregated to TM2 resolution.) Simulations generally lead observations by up to one month during the spring depletion of  $CO<sub>2</sub>$ . In part, this is an effect of the monthly NDVI maximization, that has <sup>a</sup> bias towards choosing values from later in the month when grenness is increasing. However, an additional reason could be high maintanance respiration during spring build-up of vegetation (cf. Section 6.2). In general, differences between the various formulations are small and the curves are often indiscernible.

In addition to simulating the seasonal cycle of  $CO<sub>2</sub>$  fluxes, we assess year-to-year variability within the model. Such variability results from changes in the wind data as well as from changes in the NDVI and climate data used to drive the vegetation model. We perform two tests for the years <sup>1986</sup> and 1987, simulating both winds and vegetation activity for that particular year, using Formulation I and  $Q_{10} = 1.5$ . The results are shown in Figure 3. We have added two runs where the vegetation is driven by the mean climate in order to allow separation of the effect of changing winds alone. In all cases we use the same value for the global photosynthetic efficiency, A, as it was optimized with 1987 winds (0.55 gC/MJ, see below). We find that, in general, observed and simulated year—to—year variability are of roughly the same size. The results suggest that changes in in vegetation activity play <sup>a</sup> lesser role than changes in atmospheric transport patterns, except for BRW during late summer, probably because of the proximity to local vegetation. The same effects might also cause the year—to-year variability at BRW to be larger than simulated. For comparison we show results for another arctic North American station, Alert on Ellesmere Island (ALT,  $62^{\circ}$ W,  $83^{\circ}$ N), where local vegetation is almost absent.

The optimized global photosynthetic efficiency, A, for the two best-fit cases is 0.55 gC/MJ (Formulation I,  $Q_{10} = 1.5$ ) and 0.53 gC/MJ (Formulation VII, same  $Q_{10}$ ; 1 gC = 10<sup>-3</sup> kg of carbon). Light-use efficience,  $\epsilon$ , is normally defined through  $NPP = \epsilon * IPAR$  where IPAR is that part of PAR that is intercepted by the canopy. The ratio IPAR/PAR is usually denoted FPAR, i.e. fraction of intercepted PAR. According to <sup>a</sup> theoretical study by Asrar et al. (1992), FPAR is approximately linearly related to NDVI, even for heterogeneous vegetation cover, and complete absorption should occur at a NDVI value of approximately one, i.e. FPAR  $\approx$  NDVI. However, despite the monthly maximization that was carried out on the original daily NDVI data, there is still considerable atmospheric contamination reducing the highest values in the data set, assumed to represent complete vegetation cover, to around 0.60. Therefore, we take  $FPAR = NDVI/0.60$ . Assuming that PAR is one half of solar radiation,  $R<sub>S</sub>$ , (Prince 1991) we obtain:

$$
NPP = \epsilon * NDVI/0.60 * RS/2
$$
\n(4)

Comparing that to Equations 2a and 2b allows us to translate A into  $\epsilon$ , and thus we obtain  $\epsilon = 0.66$  gC/MJ PAR \* AET/PET for Formulation I, and  $\epsilon = 0.64$  gC/MJ PAR for Formulation VII. Cited values for natural vegetation range from 0.4 to 3.0 <sup>g</sup> dry matter/MJ PAR (Running and Hunt 1993), and for crops from 0.8 to 4.8 g dry matter/MJ PAR (Prince 1991), which translates to 0.2 to 1.4 gC/MJ PAR and 0.4 to 2.2 gC/MJ PAR, respectively, assuming 45% carbon content of dry

matter.

For further discussion, it is important to note that most of the seasonal cycle at the stations in Table 1 comes from vegetation north of  $23.5^{\circ}$ N. The amplitude caused by fluxes from the tropical belt  $(23.5°N$  to  $23.5°S)$  only reaches 2.2% of the full simulated seasonal cycle at the southernmost of these stations, Cape Kumukahi, with Formulation I,  $Q_{10} = 1.5$ . For Formulation VII, same  $Q_{10}$ , the figure is 3.7%.

Summarizing, we reject including AET/PET only into NPP (III), or only into SR (V and VI), on the grounds that the amplitude either in southern—temperate or on southern-tropical latitudes is much larger than observed, and a SR cutoff at  $-10^{\circ}$ C (II, VI and VIII), because the optimized functional form defies common experience in the field. The two best fits include AET/PET either into both fluxes (I), or into none of the two (VII). The results appear to be independent of year-to-year changes in atmospheric transport and vegetation activity.

#### 5.2 Additional checks

Prior to the main simulations described in the previous section, we perform <sup>a</sup> number of data consistency checks. Apart from changing between 1986 and 1987 wind fields, which we have already discussed, they include using monthly vs. biweekly NDVI maxima, monthly vs. interpolated daily flux updates in the TM2, and NDVI vs. Simple Ratio Vegetation Index (i.e. near-infrared divided by red reflectivity). The most significant effect is found when changing from 1987 to 1986 winds (cf. Table 2), with the remaining three tests leading only to small changes in the output data compared to the uncertainty resulting from the choice of the wind data. Therefore, we keep monthly flux updates to the TM? and monthly maxima of NDVI.

We also test changing the scaling factors for convection and for vertical diffusion both from 1.0 (standard case) to 0.25 (cf. Keeling et al. 1989, Heimann 1994). The effect on vertical transport can be assessed by comparing seasonal cycles at Mauna Loa (MLO), at <sup>3397</sup> <sup>m</sup> height, to Cape Kumukahi (KUM), at sea level, both on Hawaii. The observed seasonal amplitude at MLO is about  $15 \pm 5\%$  smaller than at KUM. In the standard case this difference is 22%, i.e. it is slightly overstressed. How ever, the difference increases markedly to 36% when the scaling factors are reduced.

## 6 Discussion

#### 6.1 Model sensitivity

In this systematic exploration of functional forms of atmosphere-biosphere  $CO<sub>2</sub>$  exchange we have found a. number of good fits to the observed seasonal cycle of atmospheric  $CO<sub>2</sub>$ . They compare well those achieved in Heimann et al. (1989), and are superior to those in an earlier study be Fung et al. (1987). <sup>A</sup> good fit is achieved by <sup>a</sup> range of formulations, which illustrates how underdetermined the inversion of atmospheric transport is, even with the highly constrained model used in this study. Limiting factors are fluctuations in the observed seasonal cycle, changes in the wind



Figure 3: Observed and simulated seasonal cycle of CO<sub>2</sub> with data only from 1986 and 1987, respectively. For comparison, results with simulated vegetation activity using ECMWF and NDVI data from a four-year mean are also shown. In all simulations we take the optimized value from Formulation I for the global photosynthetic efficiency  $(A = 0.55 \text{gC/MJ}).$ 

data, and uncertainties about non-biospheric contributions. The latter limitation makes it difficult to test assumptions about vegetation activity in the large tropical biomes. Apart from an accurate resolution of the monsoon circulation, accurate data on the ratio of  ${}^{13}CO_2$  to  ${}^{12}CO_2$  could resolve this problem, because this ratio allows the determination of the biospheric contribution to changes in the  $CO<sub>2</sub>$  concentration (Keeling et al. 1989). Local-vegetation effects also seem to contribute to discrepancies between observations and simulations. This problem might be hard to overcome, since an adequate resolution of the boundary layer is probably not feasible.

Despite these limitations, however, the simple models developed in this study can be tested and parameters can be tuned accurately enough to draw some cautious conclusions about the physiology of global vegetation (see following subsections). We also find that the year-to-year variability of the seasonal cycle at sufficiently remote stations is roughly of the observed magnitude, and that such variability appears to be dominated by changes in the wind data. This suggests that we could possibly improve the simulation method by running the TM2 over several consecutive years with the actual observed winds.

#### 6.2 Definition of biospheric fluxes

Before discussing physiological conclusions, <sup>a</sup> closer look at the definition of NPP and SR is appropriate. NPP is commonly defined as total photosynthesis, called Gross Primary Productivity (GPP), minus all autotroph respiration,  $R_a$ : NPP = GPP -  $R_a$ . We have thus far assumed this to be true for this study. We have also assumed to <sup>a</sup> counterbalancing release of carbon back to the atmosphere, SR, consisting solely of heterotroph respiration from dead plant material, i.e.  $SR = R_h$ . Thus we have for annual means:

$$
\overline{\text{GPP}} - \overline{R_a} = \overline{R_h} \tag{5}
$$

This perfect balance between NPP and SR is a rather strong assumption when considering a particular test sight (cf. Wofsy et al. 1993). However, the largest imbalances will be introduced by management practices and changes in the disturbance regime (Kurz et al. 1992, Wofsy et al. 1993), and these will be too long-term to have any significant effect on the seasonal cycle.

Estimates for global annual NPP range from <sup>47</sup> GtC (Whittaker and Likens, 1973, Lieth 1975; 1 GtC =  $10^{12}$  kg of carbon) to 60 GtC (Ajtay et al. 1979, Olson et al. 1983). Taking our current definition of NPP given, annual NPP can be equated with annual plant detritus production, equivalent to  $\overline{R_h}$ . This was estimated by Meentemeyer et al. (1982) at 55 GtC globally. The term  $\overline{R_a}$  in Equation 5 can be further separated into contributions from aboveground vegetation,  $R_a^{above}$ , and roots,  $R_a^{root}$ . The latter is hard to separate from  $R_h$  when measuring soil release. Therefore, Raich and Schlesinger (1992) give <sup>a</sup> global estimate of total soil release, including root respiration, i.e. of  $R_h$  plus  $R_a^{root}$ , of 68 GtC annually. They also find that this quantity is, for the major biomes, on average around 24% higher than NPP and thus arrive at an estimate of <sup>55</sup> GtC for glNPP.

It is important to note that the time step implied in the NPP data cited above is one year, with the build-up and shedding of leaves and fruits undergoing a yearly

cycle, apart from some evergreen tropical vegetation. At this time scale, autotroph respiration can be excluded from net fluxes. At the other extreme, at a sub-daily time scale autotroph maintenance respiration would have to be accounted for explicitly in order to simulate the diurnal cycle of  $CO<sub>2</sub>$  fluxes. In this way the inherent time scale determines what a net flux is. Consequently, we separate autotroph respiration,  $R_a$ , into a fast,  $R_a^f$ , and a slow component,  $R_a^s$ . Fast in this context means that resisdence time of carbon is less or equal to the basic model time step.  $(R_h$  is considered entirely slow.) That leads us to <sup>a</sup> new, time-scale dependent definition of NPP and SR:  $NPP = GPP - R_a^f$  and  $SR = R_h + R_a^s$ . Thus, the annual balance becomes:

$$
\overline{\text{GPP}} - \overline{R_a^f} = \overline{R_h} + \overline{R_h^s} \tag{6}
$$

Since autotroph respiration that is out of phase with photosynthesis, i.e.  $R_a^s$ , will show up in atmospheric transport, this definition is probably more appropriate for our model. The difficulty, however, lies in the fact that autotroph and heterotroph respiration, both now included into SR, have <sup>a</sup> different functional dependence on environmental factors. A solution would be to parameterize  $R_a^f$   $R_a^s$  explicitly. In the context of this study, however, this would unnecessarily complicate the model. Therefore, the question remains how large the difference between the two definitions of NPP is for our monthly biosphere model.

In fact, during most of the vegetation period carbon loss through autotroph respiration will be covered immediately by gains from day-time photosynthesis, so that the difference will be small. We expect that the main contribution to  $R_a^s$  will come from stem respiration during winter and from the build—up of leaves during spring, when maintenance respiration exceeds photosynthetic gain. This spring build up could also be the reason for the phase lag of observations against simulations in Figure '2 (cf. Section 5.1). In both cases respiration loss of carbon has to be compensated by the depletion of assimilates that were produced during the previous vegetation period. With about <sup>10</sup> GtC annual NPP allocated to temperate and boreal forests and woodlands (Olson et al. 1983), <sup>a</sup> rough guess for the amount of stem respiration would be 1 to 2 GtC. If we assume 20 GtC for total northern nontropical NPP, spring build-up could contribute something of <sup>a</sup> similar size, so that we expect that by definition glNPP in our model will exceed cited values by a few GtC. However, <sup>a</sup> detailed study of the effect of time scale on net flux sizes would be necessary for <sup>a</sup> proper assessment.

#### 6.3 Impact of water stress

It is important to note that almost all the signal used for fitting originates from northern temperate and boreal vegetation. Comparing the three best fits from Table '2, shown in Figure 2. reveals no marked differences in the simulated seasonal cycles at northern-hemisphere stations. Notably, even Formulation III, with a much different southern—hemisphere seasonality, could pass as <sup>a</sup> good fit when looking only at the stations shown in Figure 2, because the simulated signal at CGO has roughly the same amplitude as the observed one. However, as discussed in Section 5.1, III can be excluded by considering also  $CO<sub>2</sub>$  measurements from Ascension Island. This shows

how important it is to have <sup>a</sup> network of remote monitoring sites that spans much of the globe, as provided by the NOAA/GMCC flask sampling network (Conway and Tans, 1990).

At the northern-hemisphere stations used for fitting global parameters the difference between the three formulations is very small. In the case of Formulations I and VII, the two curves are almost indiscernable. The reason for this is that drought stress, quantified as AET/PET, has only <sup>a</sup> relatively small effect on northern vegetation, mainly during the summer months. This can be seen in Figure <sup>4</sup> on Graphs  $(b)$  and  $(d)$ , reprenting tundra and evergreen needle-leaved forest, respectively. (We have chosen to show Formulation VIII instead of VII to demonstrate the effect of <sup>a</sup> low-temperature cutoff as well, cf. next subsection). In addition, Formulation I reduces both  $CO<sub>2</sub>$  uptake and release simultaneously by the same factor,  $AET/PET$ , so that there is only <sup>a</sup> small difference in the net flux compared to Formulation VII, where no drought-stress factor is applied at all. Formulations Iand VII are also the ones that pass the test at the CGO and ASC.

For the tropical belt, the inclusion of <sup>a</sup> drought-stress factor matters far more than for the extratropics. This can be seen on Figure <sup>1</sup> for ASC, where much of the signal comes from tropical vegetation south of the equator. One such area is repre sented by Graph c in Figure 4. Both figures show that the simulated net seasonal  $CO<sub>2</sub>$ exchange differs vastly between the different model formulations used. (Evidently, the low-temperature cutoff has no influence in these areas so that e.g. VII and VIII are identical.) The easiest to interprete is Formulation VII. Here,  $CO<sub>2</sub>$  release is nearly constant over the year, whereas  $CO<sub>2</sub>$  uptake declines during the dry season because of <sup>a</sup> decline in the NDVI. This decline in NDVI is, however, much less pronounced than the decline in the drought-stress factor, AET/PET, which goes to near-zero in the area represented in Figure 4, Graph c. Consequently, for Formulation III, with the same SR but the additional drought-stress factor in NPP, seasonal  $CO<sub>2</sub>$  exchange has about the same phase but <sup>a</sup> markedly larger amplitude. The dominant role of the factor AET/PET also causes Formulation <sup>V</sup> to produce <sup>a</sup> seasonal cycle of just the opposite orientation as III or VII, because in this case SR declines to almost zero during the dry season, while NPP is only reduced to around half its peak value, making the dry season a period of net  $CO<sub>2</sub>$  uptake. Finally, with Formulation I we simulate only a very small seasonal net  $CO<sub>2</sub>$  exchange, because the drought-stress factor reduces SR and NPP simultaneously.

Comparing simulations with observations (see Figure 4), with all the limitations mentioned in Section 4.1. it seems that only Formulation I, which produces <sup>a</sup> very small seasonal  $CO<sub>2</sub>$  exchange in the tropics, can edaquately represent tropical vegetation activity. It appears that even Formulation VII produces too large <sup>a</sup> seasonal cycle at ASC. although this is not obvious enough for <sup>a</sup> rejection. Our conclusion for tropcial vegetation is that  $CO<sub>2</sub>$  uptake and release happen mostly simultaneously, reducing net exchange considerably compared to temperate and boreal vegetation.

It is instructive to consider the global values of Growing Season Net Flux (GSNF), defined as the sum of the monthly net  $CO<sub>2</sub>$  exchange as long as net flux goes into the vegetation at one particular grid cell. As expected, this value is highest for III and <sup>V</sup> (both 14.5 GtC), less for VII (12.5 GtC), and smallest for <sup>I</sup> (10.2 GtC).



Figure 4: Monthly carbon fluxes – SR ( $> 0$ ); NPP ( $< 0$ ); net flux (NET) – from four grid boxes of  $4^{\circ}$  latitude by  $5^{\circ}$  longitude for Formulations I,  $Q_{10} = 1.5$ , and VIII,  $Q_{10} = 1.2$ . VIII was chosen instead of VII to show the effect of both the lowtemperature cutoff during winter, and the drought—stress factor mainly during the summer, in Graphs (b) to (d). For easy comparison, all grid boxes except (c) are identical to those displayed in Fung et al. (1987). Grid boxes are dominated by (a) rain forest; (b) tundra; (c) drought-deciduous woodland; and (d) evergreen needleleaved forest (Matthews 1983). Coordinates of the grid box centres are indicated in the figure. Note that the photosynthetic efficiency, A, is not the same for <sup>I</sup> and VIII.

The differences come almost entirely from tropical regions, begause drought stress is only small in areas of temperate or boreal vegetation.

However, it is not only tropical summer-rain, but also subtropical winter-rain vegetation that experiences large seasonal drought stress. Such areas are abundant in subtropical Australia, and we suggest that the apparent mismatch at CGO between observations and simulations with Formulation <sup>V</sup> can be explained by the fact that the impact of drought on such vegetation is inadequately represented. In fact, in <sup>a</sup> seperate simulation we find that about 80% of the simulated amplitude at CGO comes from vegetation south of the Tropic of Capricorn when using Formulation V. In this case, SR dominates during the humid winter, whereas NPP is overestimated during the mainly dry summer because drought stress of plants is neglected. The resulting net  $CO<sub>2</sub>$  flux has the same seasonality as the flux from temperate vegetation, so that the two signals largely add up. This causes the simulated amplitude at CGO to be much too large. It seems that, as in the case of tropical summer-rain vegetation, both CO; uptake and release largely happen simultaneously so that both Formulation <sup>I</sup> and VII produce satisfactory results.

Apparently, although Formulation <sup>I</sup>seems to be performing somewhat better at ASC than VII, it is not possible to decide definitely whether to include AET/PET into both NPP and SR or none of the two on the basis of atmospheric transport and observed  $CO<sub>2</sub>$  alone. Obviously, there must be *some* dependence on drought stress of both NPP and SR, but inversion of atmospheric transport will not be able to determine this dependence. This is because in those areas where drought stress matters most, net fluxes appear to be small. However, we know from physiology that forests, contributing most to NPP globally (Olson et al. 1983), respond to water pressure deficit by stomatal closure. Since this is not visible in the NDVI, it would be necessary to account for the response of forests to drought stress explicitly in NPP, as it is done in Formulation I. In fact, independent estimates of global NPP seem to favour Formulation I, although it is hard to quantify whether the more 'realistic' NPP value outweighs the inferior cost function. We therefore compare annual NPP for Formulations <sup>I</sup> and VII with <sup>a</sup> global NPP map by Fung et al. (1983) on the same 7.83 by 10.00 degree grid of the TMZ, based on the global vegetation map by Matthews (1983). The comparison, restricted to grid cells with at least 50% land cover, is displayed in Figure 5. The global total for the Fung et al. data (45 GtC) is significanctly smaller than the corresponding values in our study (63 and <sup>78</sup> GtC, cf. Table 2). Nontheless, the correlation of all displayed data points is considerable (I: 0.88; VII: 0.86, number of data points: 201).

This good agreement is encouraging, because both data sets were generated using complementary concepts. Whereas our study assumes that NPP is solely controlled by environmental factors, the <sup>F</sup>ung et al. data have been generated by assigning the same annual NPP to each vegetation type, based on field studies, and then using <sup>a</sup> global vegetation map (Matthews 1983). In particular, there is no systematic overestimate of NPP in the tropics, although we have ignored any temperature dependence of NPP. (Higher temperatures usually imply higher maintenance respi ration, thus reducing NPP and therewith the photosynthetic efficiency, A, which we have assumed globally constant.)

However, for the tropical latitudes (15.65 $\textdegree$ S to 15.65 $\textdegree$ N, represented by the larger black dots in Figure 5), the agreement is visibly superior for Formulation <sup>I</sup> against Formulation VII (correlation coefficient, I: 0.86; VII: 0.68; number of data points: 28). This is because Formulation VII assigns broadly the same annual NPP (around  $1000 \text{ gC/m}^2$  to large areas of the tropics, whereas the same areas show a much larger variability in annual NPP both with Formulation <sup>I</sup> and in the Fung et al. data. In the Matthews vegetation map, these areas are assigned to tropical rainforest, tropical drought~deciduous woodland, grassland with <sup>10</sup> to 40% tree cover, and xeromorphic forest/woodland. There are no significant differences in the annual mean NDVI, hence the uniformity of annual NPP with Formulation VII. In contrast, Fung et al. assume 945 gC/m<sup>2</sup> for tropical rainforest, and values around 300 gC/m<sup>2</sup> for the remaining vegetation classes. Such <sup>a</sup> decline in productivity when going from the equatorial rain forest to the adjacent drought affected regions can also be seen in the data produced with Formulation I, which additionally accounts for variations in rainfall; hence the good agreement between Formulation <sup>I</sup> and the Fung et al. data. On the other hand, around the Tropic of Cancer we find <sup>a</sup> number of grid points where Formulation <sup>I</sup> derives annual NPP below <sup>1010</sup> kgC per TM2 grid cell, whereas Matthews—based values are significantly higher (see the plus signs in Figure 5, upper graph). For those arid regions, the agreement is clearly better with Formulation VII. Possible explanations include insufficient precipiation data, and inadequate representation of sparse desert vegetation in the Matthews—Fung model, where Sahel grasslands are assigned the same annual NPP as e.g. grasslands in southern Brazil.

As stated in Section 4.2, we expect Equation 2a to be more appropriate for forests, and Equation 2b to be better suited for grasslands and arid regions, where vegetation quickly responds to rainfall. This assumption is supported by the compar isons made in the preceding paragraph. Given that globally forests and woodlands contribute much more to NPP than grasslands (Olson et al. 1983), we find that Formulation <sup>I</sup> is more suited for <sup>a</sup> global—scale model. We also find some evidence that the seasonal cycle of  $CO<sub>2</sub>$  exchange in the tropics is more adequately represented by I than by VII. Furthermore, Formulation VII appears to overestimate global NPP because it fails to reproduce the reduction in NPP of drought stressed forests. Since the global photosynthetic efficiency, A, comes out roughly the same in both formulations, we might thus interpret the difference in glNPP, <sup>16</sup> GtC, mainly in the tropics, as the size of the decline in NPP globally resulting from water deficit. This value increases to 18 GtC if we use the same value for A in VII as in I, 0.55 gC/MJ. We therefore conclude that Formulation I is probably most adequate for a globally uniform model of vegetation functioning.

#### $6.4$  Winter-time  $CO<sub>2</sub>$  release

In contrast to the preceding subsection, it is much easier to decide against setting  $Q_{10}$  to zero at low freezing temperatures from  $CO<sub>2</sub>$  observations and atmospheric transport modelling alone. Our results suggest that there is considerable release of carbon from vegetation out of phase with NPP, i.e. during the winter months. <sup>A</sup> low-temperature cutoff reduces those fluxes to early spring and early winter, requiring



Figure 5: Comparison of the annual NPP at the TM2 resolution from Formulation I (upper graph) and Formulation VII (lower graph) against values by Fung et al. (1983) based on a vegetation map by Matthews (1983). We exclude all grid cells with less than 50% land cover. A linear regression of all data points is indicated by a dashed line.

either an unreasonably high NPP, or an unreasonably low  $Q_{10}$ , since temperatures are still low at that time. In the study by Fung et al. (1987) SR was assumed to increase linearly with temperature, and to cease below <sup>a</sup> value of —14.3"C for temperate or boreal needle-leaved vegetation, and -6.25°C for temperate or boreal broad-leaved vegetation. In Figure 4 we show fluxes from various grid boxes identical to those used in the Fung et al. study for Formulation I ( $Q_{10} = 1.5$ ) and VIII ( $Q_{10} = 1.2$ ). The latter corresponds to the one used in Heimann et al. (1989), except that they use a  $Q_{10}$  of 1.5. Fluxes for Formulation VIII are also similar to those derived by Fung et al., where the  $Q_{10}$  implied in going from  $0^{\circ}$ C to  $10^{\circ}$ C is 1.9 and 2.4, respectively, i.e. much larger than the optimal value found in our study when using <sup>a</sup> cutoff. In fact, in the study be Fung et al. the simulated seasonal  $CO<sub>2</sub>$  concentration at Point Barrow, Alaska, is clearly too low during winter, which could well be attributed to missing winter-time  $CO<sub>2</sub>$  release.

We therefore conclude that there must be a considerable amount of  $CO<sub>2</sub>$  released from soils during the winter. This is supported by the results of <sup>a</sup> number of field studies, where litter decomposition proceeded with no significant slowdown under snow cover (Moore 1983, Stohlgren 1988, Taylor and Jones 1990). The heat insulating property of snow left the soil relatively warm at  $0$  to  $-3^{\circ}$ C compared to air temperatures down to  $-35^{\circ}$ C (Moore 1983). The CO<sub>2</sub> produced during litter decay probably escapes fast enough to show up in atmospheric transport as winter—time release. This was found by Solomon and Cerling  $(1987)$  who measured  $CO<sub>2</sub>$  concentrations within soil and snowpack in <sup>a</sup> montane environment in Utah. However, the field studies mentioned are from sites with <sup>a</sup> large amount of snowfall compared to the more continental climates of e.g. the Siberian boreal forest areas. Nonetheless, <sup>a</sup> smaller amount of snow cover in those latter regions might still be <sup>a</sup> sufficient in sulator to favour bacterial activity, but be even better at letting  $CO<sub>2</sub>$  escape to the atmosphere.

## 7 Conclusions

In this study we have investigated what insights can be gained from testing <sup>a</sup> biosphere model by coupling  $CO<sub>2</sub>$  fluxes to an atmospheric tracer transport model and checking results against observations. The overall picture is that such an inversion is highly underdetermined with regard to the functional dependence of biosphereatmosphere  $CO<sub>2</sub>$  exchange. This is largely because uptake and release of  $CO<sub>2</sub>$  often happen in phase, so that the net flux to the atmosphere is small compared to the amount of carbon cycled locally. Year-to-year changes in atmospheric transport in troduce <sup>a</sup> further difficulty. However, when constraining the biosphere model to <sup>a</sup> small number of parameters, some clear trends are visible. We have found a number of indications of the importance of including water availability, and the results point strongly towards <sup>a</sup> considerable carbon release from soils during northem—hemisphere winter.

By deliberately simplifying our biosphere model to <sup>a</sup> minimum number of parameters, we have been able to explore systematically a. wide range of model formulations and parameter settings. Thus we have found <sup>a</sup> formulation that goes beyond those used previously in similar studies (Fung et al. 1983, 1987; Heimann and Keeling 1989) by taking account of water availability. However, the method can equally be used to test more complex, mechanistic terrestrial ecosystem models. This study should give an idea of the scope as well as the limitations of such <sup>a</sup> test.

It would be a. significant step forward to simulate interannual fluctuations of atmospheric  $CO<sub>2</sub>$  in the same way as it has been done for the seasonal cycle. Such fluctuations appear to be linked to the El Niño-Southern Oscillation (Keeling et al. 1989), and possibly to violent volcanic eruptions, such as the recent one of Mount Pinatubo (Sarmiento 1993). This requires extremely accurate measurements of the carbon isotope ratio of atmospheric  $CO<sub>2</sub>$  to extract the biospheric contribution to  $CO<sub>2</sub>$  variations. Such data are not yet available for longer periods. Further, both the vegetation index and the meteorological data we have used contain inhomogeneities and trends that, because of the delicate balance between carbon uptake and release, dominate interannual carbon flux variations when we run our model interannually. Significant improvements concerning data quality are therefore needed. With such improvements, however, it would be most instructive to compare interannual fluctu ations in atmospheric  $CO<sub>2</sub>$  derived taking a range of model formulations used in this study with those calculated with <sup>a</sup> number of existing terrestrial ecosystem models.

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# $\label{eq:2.1} \mathcal{Z}(\mathcal{R})^{-1} = \begin{bmatrix} 1 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 &$

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Figure A1: The annual sum of net primary productivity in  $gC / m^2$  according to Formulation I, in equal-area projection. The global sum is 63.1 GtC with  $A=0.55gC/m^2$ .

![](_page_37_Figure_0.jpeg)

![](_page_37_Figure_1.jpeg)

300

 $\begin{pmatrix} m*2 & yr \end{pmatrix}$  Formulation 1

Growing Season Net Flux [gC ,

Figure A2: Growing season net flux (GSNF) in  $gC/m^2$  according to Formulation I, with  $Q_{10}=1.5$  and  $A=0.55gC/m^2$ . GSNF is defined at each grid point as the sum of the monthly values of NPP minus SR as long as NPP is gre