

# Extended investigations of isotope effects on ECRH plasma in LHD

K. Tanaka<sup>1,2</sup>, M. Nakata<sup>1,3</sup>, Y. Ohtani<sup>4</sup>, T. Tokuzawa<sup>1</sup>, H. Yamada<sup>1,3</sup>, F. Warmer<sup>5</sup>, M. Nunami<sup>1,3</sup>, S. Satake<sup>1,2</sup>, T. Tala<sup>6</sup>, T. Tsujimura<sup>1</sup>, Y. Takemura<sup>1,3</sup>, T. Kinoshita<sup>2</sup>, H. Takahashi<sup>1,3</sup>, M. Yokoyama<sup>1,3</sup>, R. Seki<sup>1,3</sup>, H. Igami<sup>1</sup>, Y. Yoshimura<sup>1</sup>, S. Kubo<sup>1</sup>, T. Shimosuma<sup>1</sup>, T. Akiyama<sup>7</sup>, I. Yamada<sup>1</sup>, R. Yasuhara<sup>1,3</sup>, H. Funaba<sup>1</sup>, M. Yoshinuma<sup>1</sup>, K. Ida<sup>1,3</sup>, M. Goto<sup>1,3</sup>, G. Motojima<sup>1,3</sup>, M. Shoji<sup>1</sup>, S. Masuzaki<sup>1</sup>, C.A. Michael<sup>8</sup>, L.N. Vacheslavov<sup>9,10</sup>, M. Osakabe<sup>1,3</sup>, T. Morisaki<sup>1,3</sup> and LHD experiment group<sup>1</sup>

<sup>1</sup> National Institute for Fusion Science, National Institutes of Natural Sciences, Toki, Gifu, 509-5292,  
Japan

<sup>2</sup> Kyushu University, Department of Advanced Energy Engineering, Kasuga, Fukuoka, 816-8580, Japan

<sup>3</sup> SOKENDAI (The Graduate University for Advanced Studies), Toki, Gifu, 509-5292, Japan

<sup>4</sup> National Institutes for Quantum and Radiological Science and Technology, Naka, Japan

<sup>5</sup> Max-Planck-Institut für Plasmaphysik, Greifswald, Germany

<sup>6</sup> VTT, P.O. Box 1000, FI-02044 VTT, Espoo, Finland

<sup>7</sup> General Atomics, San Diego, California, USA

<sup>8</sup> University of California-Los Angeles, Los Angeles, California, USA

<sup>9</sup> Budker Institute of Nuclear Physics, 630090 Novosibirsk, Russian Federation

<sup>10</sup> Novosibirsk State University, Novosibirsk 630090, Russian Federation

E-mail: ktanaka@nifs.ac.jp

## Abstract

Isotope effects of ECRH plasma in LHD were investigated in detail. A clear difference of transport and turbulence characteristics in H and D plasmas was found in the core region, with normalized radius  $\rho < 0.8$  in high collisionality regime. On the other hand, differences of transport and turbulence were relatively small in low collisionality regime. Power balance analysis and neoclassical calculation showed a reduction of the anomalous contribution to electron and ion transport in D plasma compared with H plasma in the high collisionality regime. In core region, density modulation experiments also showed more reduced particle diffusion in D plasma than in H plasma, in the high collisionality regime. Ion scale turbulence was clearly reduced at  $\rho < 0.8$  in high collisionality

regime in D plasma compared with H plasma. The gyrokinetic linear analyses showed that the dominant instability  $\rho = 0.5$  and  $0.8$  were ion temperature gradient mode (ITG). The linear growth rate of ITG was reduced in high D plasma than in H plasma. This is due to the lower normalized ion temperature gradient and density gradient. More hollowed density profile in D plasma is likely to be the key control parameter. Present analyses suggest that anomalous process play a role to make hollower density profiles in D plasma rather than neoclassical process. Electron scale turbulence were also investigated from the measurements and linear gyrokinetic simulations.

## 1. Introduction

Isotope effects are important issues for predicting ITER operation and for future reactor design. In LHD, deuterium experimental campaign started in 2017 and an extensive study of isotope effects is now under investigation. In this paper, experimental investigation of isotope effects on transport and turbulence in LHD ECRH plasma is reported. LHD has several advantages for the isotope effects study. Firstly, stationary discharges, which are free from MHD or macroscopic instabilities such as sawteething, are possible. Secondly, the edge pedestal is small and ELM like edge instability does not appear in most of the experimental conditions. Thirdly, there is no clear confinement transition such as L-H transition in tokamak in most of the experimental regimes. Fourthly, superconducting magnets do not require the cooling of the coils after discharge, thus, plasma discharge is possible every three minutes. Accumulation of dataset is relatively easy. Fifthly, plasma profiles including turbulence are well diagnosed by excellent diagnostics. These enable accumulation of plenty of data set in hydrogen (H) and deuterium (D) plasma under almost identical conditions. In tokamak, the H mode threshold power is lower in D plasma than in H plasma [1]. In H mode, higher edge pedestal temperature resulted in higher core temperature in D plasma than in H plasma due to the profile stiffness [2,3]. While in L mode, global energy confinement is better in D plasma, however local power balance analyses does not show clear improvements in core region in ECRH plasma [4] and NBI plasma [5]. These results in tokamak suggest that better confinement characteristics mainly originate from edge pedestal region. Thus, from the physics point of view, LHD without clear edge pedestal can be a good reference regarding the isotope effects in core region.

In LHD, there are several reports in deuterium experiments and isotope effects. A 10keV ion temperature was achieved by NBI in deuterium helium mixed plasma with carbon pellet injection [6]. The better accessibility to the ion ITB and reduced ion transport in pure D plasma than in pure H plasma were reported [7, 8]. In non-ITB normal confinement NBI plasma, dimensionally identical experiments adjusting  $\rho^*$ ,  $v^*$  and  $\beta$  were performed [9]. The results in ref.9 indicate that the normalized energy confinement time shows gyro-Bohm characteristics and co-existence of positive ion mass dependence [9]. The LHD NBI plasma showed that better confinement characteristics compared with pure gyro Bohm prediction.

In ECRH plasma of LHD, there are reports regarding experimental observation of isotope effects [6, 10, 11]. In the internal electron transport barrier plasma, lower heating power was necessary in D plasma than in H plasma [6]. The direction of tangential injection affects isotope effects of energy transport [6,10]. This can be partly due to the stochastization of closed flux surface due to ECH driven current [6, 12]. Scaling of global energy confinement times ( $\tau_E$ ) [10, 11], global particle confinement times ( $\tau_P$ ) [11] and initial results of turbulence characteristics [11] were reported. In the previous report, the reduced electron heat transport was not found from the data set of power balance analyses[11]. In this report, power balance analyses were performed for the newly obtained dataset. In addition, isotope effects of particle transports were investigated from density modulation experiments.

In this paper, investigation of transport and turbulence response in H and D plasma are reported in more detail. The turbulence is a key physics quantity to understanding the isotope effects. Also, analyses targets are focused on ECRH plasma. ECRH does not have any technical difficulty in adjusting heating condition in H and D plasma. On the other hand, from the technical point of view, NBI has technical difficulties to adjust the heating condition, because heavier ion mass results in higher heating power. From the physics point of view, differences of fast ion distribution in H and D plasma can affect the turbulence stability. Thus, ECRH plasma is suitable for the understanding the role of ion species on transport and turbulence.

In section 2, characteristics of turbulence and transports under identical heating conditions in H and D plasma are described. The gyrokinetic linear analyses are performed for discharges in H and D plasma. The results of section 2 indicate the importance of particle transport. Thus, for the understanding of isotope effects of particle transports, density modulation experiments were performed. The results are described in Section 3. Finally, the summary is shown in section 4.

## 2. Experimental results under identical conditions

In this section, detailed comparison of ECRH plasma in H and D plasma are shown. Purity of H and D are almost 100%. The ratio between H and D was estimated by  $H\alpha$  and  $D\alpha$  intensity ratio by using narrow band width spectrometer distinguishing  $H\alpha$  and  $D\alpha$ . There was He contamination, which was approximately 5~10%. He contamination was estimated by spectroscopy calibrated for HeI,  $H\alpha$  and  $D\alpha$  lines. The toroidal magnetic field on axis was 2.75T. The magnetic axis position ( $R_{ax}$ ) was 3.6m. This  $R_{ax}$  is the so-called inward shifted configuration. In LHD, the distance between plasma and helical winding coils are different depending on  $R_{ax}$ . Then,  $R_{ax}$  affects magnetic parameters such as toroidal magnetic ripple, helical magnetic ripple, magnetic curvature, safety factor, and magnetic shear. These magnetic properties affect transport and MHD stabilities. The  $R_{ax}=3.6m$  are characterized by the configuration with low magnetic helical ripple and strong magnetic hill. The low magnetic helical ripple results in lowering neoclassical and anomalous

transport[13] . The strong magnetic hill results in MHD unstable. However, since the volume averaged beta was low, which is less than 0.6%, the strong magnetic hill did not affect plasma performance. The plasma are stationary and free from macroscopic MHD instability. The datasets are suitable to investigate the isotope effects on transport.

The heating was 154GHz second harmonic resonant heating by using two gyrotrons. The total power was 1.97MW in H discharge and 2.05MW in D discharge. The small difference of power is due to the difference of gyrotron condition on the different experimental day. Two gyrotrons were almost the same power at 1MW. The 154GHz microwaves were injected tangentially. The injection directions are co and counter direction to Bt and EC driven currents were cancelled out. In the previous study, tangential injection affects transports and magnetic topology [6,10,12]. Thus, these effects are removed. In LHD, presently perpendicular injections are not preferred. This is because unabsorbed microwave hits cryo-sorption pump, which is located on the torus inside wall. Resonance position is at  $\rho$  (normalized position) =0.1 both in H and D plasma. More than 90% in low density (line averaged density ( $n_{e\_bar}$ ) $<1.5 \times 10^{19} m^{-3}$ ) and more than 80% in high density ( $n_{e\_bar} \sim 3 \times 10^{19} m^{-3}$ ) were absorbed in the first injection path. Short pulse (20ms) neutral beam was injected for the  $T_i$  and Er measurements every 400msec, but this did not affect plasma parameter. Above mentioned identical conditions were carried out for the precise comparison of transport and turbulence in H and D plasma. Keeping heating condition same, the external gas fueling was changed to scan the density so that isotope effects could be investigated in detail. The dataset in Section 2 was obtained in the 2<sup>nd</sup> deuterium campaign in 2018-2019.

### 2.1 General view of H and D comparison under identical condition

Figure 1 shows comparison of time trace of ECRH plasma. Two pairs of the cases, which are low density ( $n_{e\_bar}=1.5 \times 10^{19} m^{-3}$ ) and high density ( $n_{e\_bar}=3 \times 10^{19} m^{-3}$ ), are shown. As shown in Fig.1 (a-1) and (b-1)  $n_{e\_bar}$ , was adjusted to be almost identical.

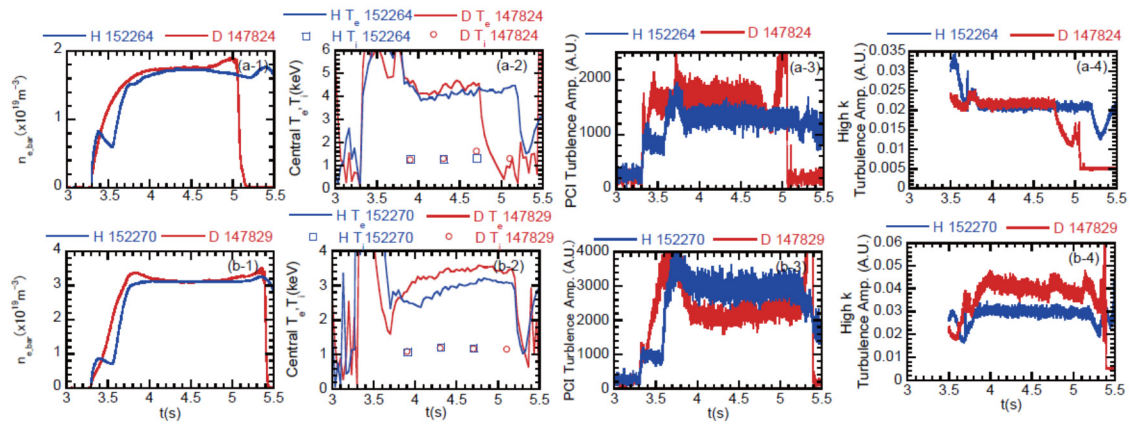


FIG.1 Comparison of time trace in (a) low and (b) high density.

(a-1),(b-1); line averaged density, (a-2),(b-2); central electron and ion temperature at  $\rho=0\sim0.2$  measured by Thomson scattering and CXRS<sub>1</sub>, (a-3),(b-3); line integrated fluctuation amplitude for 20-500kHz by 2D-PCI,  $\rho>0.4$ ,  $k=0.1\sim0.8\text{mm}^{-1}$ , (a-4),(b-4); back scattering amplitude for 20-500kHz  $k=3\sim4\text{mm}^{-1}$ ,  $\rho=0.7\sim0.8$

As shown in Fig.1 (a-2), central  $T_e$  and  $T_i$  are almost identical in H and D low density shots. The deposition power was 1.91MW in H plasma, and 1.87MW in D plasma. The global energy confinement time ( $\tau_E$ ) was 0.192sec in H plasma and 0.203sec in D plasma. For the estimation of  $\tau_E$ , diamagnetic stored energy was used.  $\tau_E$  was 5% better in D plasma. The global confinement time ( $\tau_P$ ) was estimated by the ratio between  $n_{e\_bar}$  and particle source, which is sum of  $H\alpha$ ,  $D\alpha$  and  $HeI$  line. The spectrum width of spectroscopy was wider than the difference of the  $H\alpha$ ,  $D\alpha$  line. Thus, both lines of were  $H\alpha$ ,  $D\alpha$  measured together. The intensity between  $H\alpha$ ,  $D\alpha$  mixture lines and  $HeI$  line were relatively calibrated. Thus total particle source was estimated from the sum of  $H\alpha$ ,  $D\alpha$  and  $HeI$ . These measurements were performed in line integration at 10 different toroidal sections. However, volume integration quantities were difficult to estimate. Thus, only a relative estimate of  $\tau_P$  was possible [11]. The estimated  $\tau_P$  was 24% worse in D plasma than H plasma.

As shown in Fig.1 (b-2), in high density cases, central  $T_e$  was clearly higher in D plasma, while central  $T_i$  was almost identical. The absorption power was 1.83MW in H plasma and 1.73MW in D plasma.  $\tau_E$  was 0.243sec in H plasma and 0.276sec in D plasma.  $\tau_E$  was 14% better in D plasma. The improvement of  $\tau_E$  was clearer in high density case.  $\tau_P$  was 21% worse in D plasma than in H plasma. The degradation of  $\tau_P$  in D plasma was almost the same in low and high density cases.

The scaling studies for  $\tau_E$  and  $\tau_P$  were carried out for the dataset in the first deuterium campaign in 2017 [11]. The results showed 16% better  $\tau_E$  and 20% degraded  $\tau_P$  in D plasma compared with H plasma. The results of the 2<sup>nd</sup> deuterium campaign almost reproduce previous scaling study.

Figure 1 (a-3) and (b-3) show time trace of turbulence amplitude measured by two dimensional phase contrast imaging (2D-PCI) [14, 15]. Figure 1 (a-4) and (b-4) show time trace of turbulence amplitude measured by high backward scattering (high k BS) [16].

2D-PCI measures turbulence, of which wavenumber is  $0.1\sim0.8\text{mm}^{-1}$  and frequency is 20~500kHz. The measured k region is region of ion scale turbulence, such as ion temperature gradient mode (ITG) and trapped electron mode (TEM). The vertically injected the wavelength  $10.6\mu\text{m}$   $\text{CO}_2$  laser beam passes at  $\rho = 0.35$  [14]. The line integrated turbulence was measured by two dimensional detector. Then, image analysis of 2D turbulence picture can provide radial profile of turbulence. Figure 1 (a-3) and (b-3) shows line integrated turbulence amplitude, which contains turbulence at  $\rho > 0.35$ .

High k BS measures turbulence, of which wavenumber is  $3\sim4\text{mm}^{-1}$  and frequency is 20~500kHz. The 90GHz (wavelength 3.3mm) microwave was injected and scattered components by  $k=3\sim4\text{mm}^{-1}$  were detected. The scattering angle is 170 degree, therefore, this diagnostics is called backward

scattering. It is strong contrast, in PCI, scattering angle for  $k=0.1-0.8\text{mm}^{-1}$  was less than 1 degree and scattering process was extreme forward scattering. The optical path of both injection and scattered radiations were calculated by ray tracing code. The measured  $k$  region of high  $k$  BS is approximately one order magnitude higher than turbulence measured by 2D-PCI.

The measured  $k$  region of high  $k$  BS is close to electron scale electron temperature gradient mode (ETG) region. The scattering volume is located at  $\rho=0.7-0.8$ . Here we call turbulence measured by 2D-PCI “low  $k$  turbulence” and by high  $k$  BS “high  $k$  turbulence”. Presently, the turbulence amplitudes measured by PCI and high  $k$  BS are not absolutely calibrated. Thus, comparisons between low  $k$  turbulence measured by PCI and high  $k$  turbulence measured by high  $k$  BS are not possible. Comparisons are possible for each diagnostics between low and high density cases.

Turbulence measured by 2D-PCI and high  $k$  BS show clearly different responses. As shown in Fig.1 (a-3), in low density cases, low  $k$  turbulence measured by 2D-PCI shows higher amplitude in D plasma than in H plasma. On the other hand, high  $k$  turbulence measured by high  $k$  BS shows almost the same turbulence amplitude. On the other hand, in high density cases, as shown in Fig.1 (b-3) and (b-4), low  $k$  turbulence measured by 2D-PCI shows clear reduction, while high  $k$  turbulence measured by high  $k$  BS shows clear increase of the turbulence. The isotope effects of the turbulence are different in low  $k$  region (ion scale) and in high  $k$  region (electron scale). In the following section, 2D-PCI are used for the investigation of the isotope effects because 2D-PCI can provide turbulence spatial profile of almost the entire region.

## 2.2 Comparison of profiles in H and D plasma

In this section, profiles of H and D plasma in low and high density of Fig.1 are shown in detail for the investigation of the isotope effects. Profiles of  $n_e$  were measured by multi-channel FIR laser interferometer [17], Profiles of  $T_e$  by YAG Thomson scattering[18] and  $T_i$  profiles by charge exchange spectroscopy[19]. The profiles of  $n_e$  and  $T_e$  were accumulated for 0.5 sec steady state in Fig.1 in order to reduce the statistical error. Profiles of  $T_i$  are obtained by accumulation over one or two beam blips with 20msec exposure time during the 0.5sec steady state. Plasma pressure profiles were estimated from  $n_e$ ,  $T_e$ , and  $T_i$  profiles. The spatial profiles of turbulence amplitudes were measured by 2D-PCI [14,15] for 0.5sec steady state and normalized by density profiles. Then, spatial profiles of turbulence level ( $\tilde{n}_e/n_e$ ) are shown. Power balance analyses were carried out by using TASK3D [20] and neoclassical coefficients were estimated by GSRAKE [21]. In the following analyses, the typical uncertainty of  $\chi_e$  and  $\chi_i$  is about 10~30%. This is due to the error in the profile measurements.

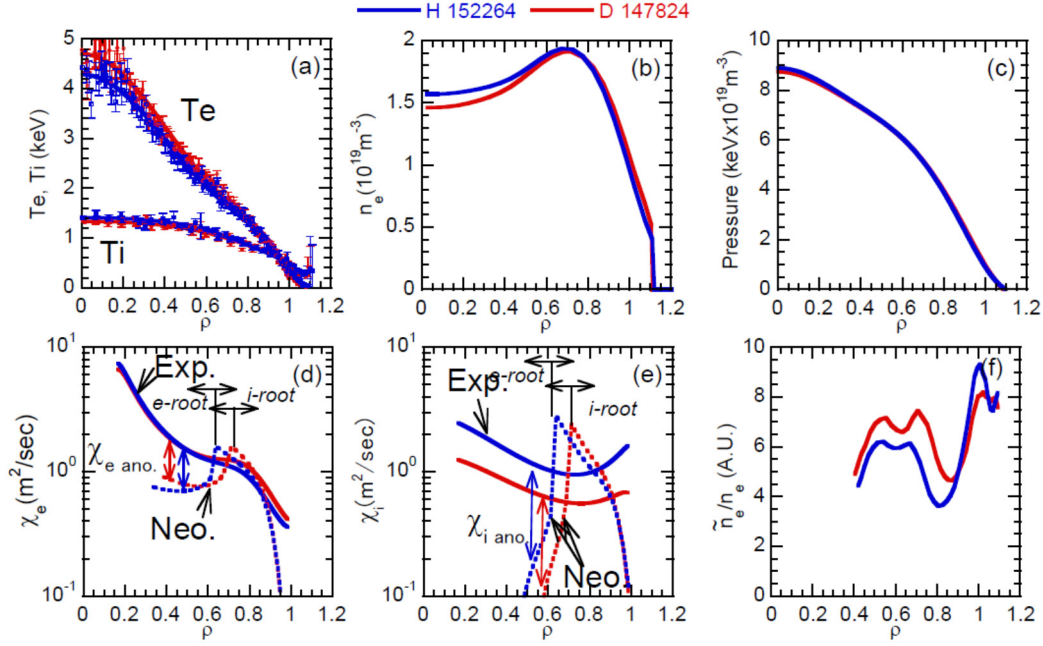


FIG.2 Profiles in low density (a)  $T_e, T_i$ , (b)  $n_e$ , (c) pressure, (d)  $\chi_e$ , (e)  $\chi_i$ , and (f) turbulence level. In (d) and (e),  $\chi_e$  and  $\chi_i$  from power balance analyses are shown by plain line, from neoclassical estimations are shown by dashed line.

Figure 2 shows comparisons of profiles in low density case. At  $\rho < 0.8$ ,  $T_e$  is slightly higher in D plasma, however  $n_e$  is slightly lower in D plasma. Then, kinetic pressure is almost identical suggesting that kinetic energy confinement time is comparable. There is small difference from diamagnetic  $\tau_E$ , which is 5% better in D plasma.

As shown in Fig2 (d) and (e), the experimental value of  $\chi_e$  is almost identical in H and D plasma. On the other hand, experimental  $\chi_i$  is lower in D plasma over the entire region. In ECRH plasma, the only ion heating mechanism is equipartition by energy transfer from electrons to ions. The electron-ion equipartition heating power ( $P_{ei}$ ) is inversely proportional to ion mass for same density and temperature difference [22]. Thus,  $P_{ei}$  in D plasma is almost one-half of  $P_{ei}$  in H plasma. However, achieved  $T_i$  is almost identical. Consequently, experimental  $\chi_i$  in D plasma becomes about half that of H plasma.

In Fig.2 (d) and (e), neoclassical  $\chi_e$  and  $\chi_i$  are shown by dashed lines. The difference between experimental and neoclassical  $\chi_e$ ,  $\chi_i$  are anomalous contribution ( $\chi_{e \text{ ano}}$ ,  $\chi_{i \text{ ano}}$ ). These are almost identical both in H and D plasma.

The following should be noted regarding neoclassical transport. In neoclassical transport, neoclassical ambipolar condition determines neoclassical electron root (e-root) and ion root (i-root). Neoclassical e-root is formed with positive  $E_r$  and reduces neoclassical transport coefficients. Neoclassical e-root is obtained at high  $T_e/T_i$ [23,24]. On the other hand, neoclassical i-root is formed with negative  $E_r$  and enhances neoclassical transport coefficients at low  $T_e/T_i$ [25]. In low density

cases, neoclassical e-root is found at  $\rho < 0.6$  in H plasma and  $\rho < 0.7$  in D plasma. On the other hand, neoclassical i-root is found at  $\rho > 0.6$  in H plasma and  $\rho > 0.7$  in D plasma. At around transition position between e-root and i-root, neoclassical  $\chi_e$  and  $\chi_i$  exceed experimental values. These estimations are physically unacceptable and are overestimated. Present estimation using GSRAKE for LHD plasma neglects the contribution of magnetic drift to poloidal precession of trapped particles. This simplification results in overestimation of the neoclassical radial transport in ion root with weak ExB rotation[26]. Global calculation taking into account the full drift motion should be performed for the more precise estimation, although large computation time is required.

The isotope effects on neoclassical transport were reported in ref. 27. Isotope effects are weak in electron root and negligible in ion root. The small differences in neoclassical  $\chi_e$  and  $\chi_i$  in Fig.2 (d) and (e) are not due to the isotope effects but due to the small difference of the plasma profile.

Figure 2 (f) shows comparison of turbulence level obtained using 2D-PCI. The shape of the profile is similar. There are two peaks, which are at  $\rho = 0.6$  and 1.0, respectively. Turbulence level is higher at  $\rho < 0.8$  in D plasma and comparable at  $\rho > 0.8$  in H and D plasma.

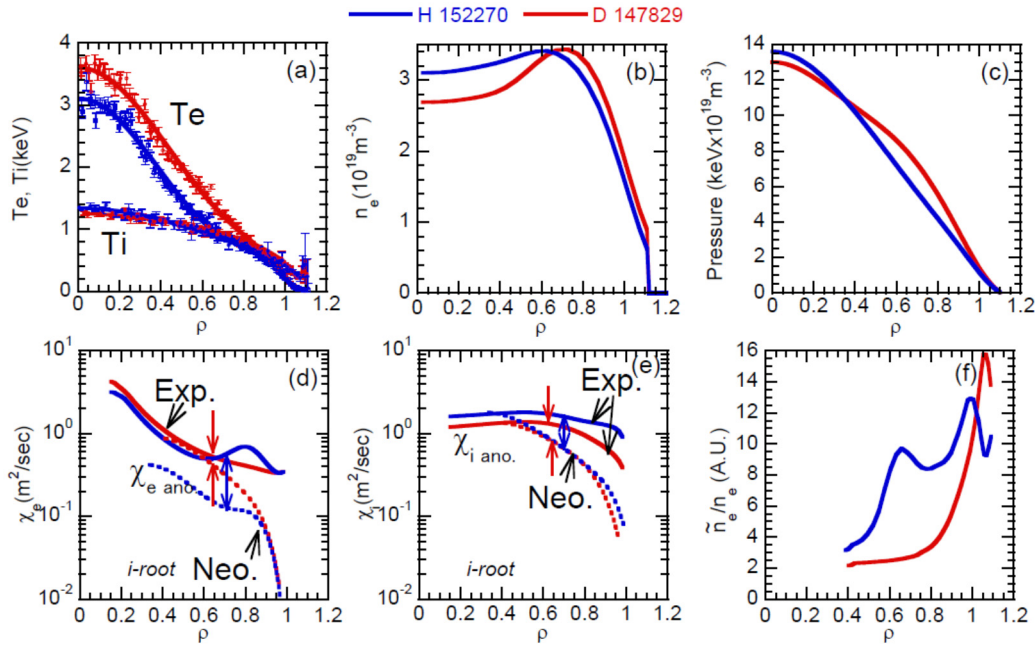


FIG.3 Profiles in high density (a)  $T_e, T_i$ , (b)  $n_e$ , (c) pressure, (d)  $\chi_e$ , (e)  $\chi_i$ , and (f) turbulence level In (d) and (e),  $\chi_e$ , and  $\chi_i$  from power balance analyses are shown by plain line, from neoclassical estimations are shown by dashed line

Figure 3 shows profiles in high density cases. Many profiles are clearly different in H and D plasmas except  $T_i$  profiles. As shown in Fig.3 (a),  $T_i$  profiles are almost identical in H and D plasma. However,  $T_e$  profiles are clearly higher in D plasma than in H. It should be noted that the difference is clear at  $\rho < 0.8$ . As shown in Fig.3 (b), density profiles are also clearly different at  $\rho < 0.8$ . The



density profiles are more hollow in D plasma. According to ref.11, this is not due to the difference of neutral penetration of H and D, nor is it due to the difference of impurity profiles.

As shown in Fig. 3 (c), kinetic pressure profiles are also clearly different. The kinetic pressure is lower in D plasma at  $\rho < 0.4$ , but is higher in D plasma at  $\rho > 0.4$ . Thus, volume integrated kinetic pressure is clearly higher in D plasma. This corresponds to the 15% better diamagnetic  $\tau_E$  in D plasma.

As shown in Fig.3 (c),  $\chi_e$  is comparable at  $\rho < 0.6$  but lower in D plasma at  $\rho = 0.6 \sim 0.9$ . However, neoclassical  $\chi_e$  is clearly higher in D plasma at  $\rho < 0.9$ . In high density case, entire region is neoclassical i-root. Thus, there are no isotope effects in neoclassical transport. The higher neoclassical contribution to  $\chi_e$  in D plasma is not directly related to the ion species but due to the higher  $T_e$ . Therefore, the anomalous contribution to  $\chi_e$  ( $\chi_{e\text{ano}}$ ) is clearly reduced in D plasma.

As shown in Fig. 3 (d), experimental  $\chi_i$  is lower in D plasma as well as in low density cases. This is due to the lower  $P_{ei}$  in D plasma and almost identical  $T_i$  profiles in H and D plasmas. Neoclassical  $\chi_i$  is almost identical. The anomalous contribution of  $\chi_i$  ( $\chi_{i\text{ano}}$ ) is lower in D plasma.

As shown in Fig. 3 (e), turbulence level from 2D PCI is clearly different both in profile shape and quantities. The turbulence level is clearly lower at  $\rho < 0.9$ , where  $\chi_{e\text{ano}}$  is clearly reduced in D plasma. Detailed differences of turbulence characteristics are described in the next section.

### 2.3 Comparison of turbulence characteristics

In this section, detailed characteristics of the low-k turbulence measured by 2D-PCI are described. Figure 4 and 5 show comparison of spatial profiles of turbulence amplitude, wavenumber spectrum and phase velocity in low and high density cases respectively. In Fig. 2 and 3, turbulence levels ( $\tilde{n}_e/n_e$ ) are shown. However, in this section, turbulence amplitude without normalization is shown. The turbulence level should be used to compare different background density. However, turbulence level includes uncertainty of the density profile and spatial position of the turbulence. On the other hand, turbulence amplitude is the directly measured quantity by 2D-PCI. Thus, turbulence amplitude is preferable for arguing detailed characteristics. The 2D-PCI measured turbulence from lower and upper side of equatorial plane[11]. Sometimes, up-down asymmetry is seen [28,29]. This is likely due to the formation of turbulence eddy tilting [15, 30], however, in this dataset the measured turbulence was almost symmetric at lower and upper side of the plasma. Thus, profiles in only upper side of measured location ( $\rho > 0.4$ ) are shown.

Figure 4 shows turbulence profiles in low density case. As shown in Fig.5 (a-1) and (b-1), the turbulence amplitude is higher in D plasma. Thus, turbulence level ( $\tilde{n}_e/n_e$ ) is also higher in D plasma under almost identical  $n_e$  profile. Two different components are clearly seen. One exists at  $\rho = 0.4 \sim 0.8$  and the other exists at  $\rho = 0.8 \sim 1.1$ . For this purpose, the region  $\rho = 0.4 \sim 0.8$  is referred to the core, whilst  $\rho = 0.6 \sim 1.1$  is referred to as the edge. As shown in Fig. 4 (a-2) and (b-2),

the measured peak wavenumber is not significantly different between H and D plasma, being around  $0.3 \text{ mm}^{-1}$  in both the core and edge regions.

As shown in Fig. 4 (a-3) and (b-3), core turbulence propagates towards the ion diamagnetic direction in the laboratory frame both in H and D plasma. On the other hand, edge turbulence propagates towards the electron diamagnetic direction in the laboratory frame both in H and D plasma. These phase velocities follow rotation velocities ( $V_{\text{EXB}}$ ), which were measured by charge exchange spectroscopy (CXRS). It is difficult to distinguish the propagation direction in the plasma frame within the experimental accuracy.

In the low density case, shown in Fig. 4 (a-1) and (b-1), the spatial structure is similar both in H and D plasma. The amplitude is higher in D plasma.

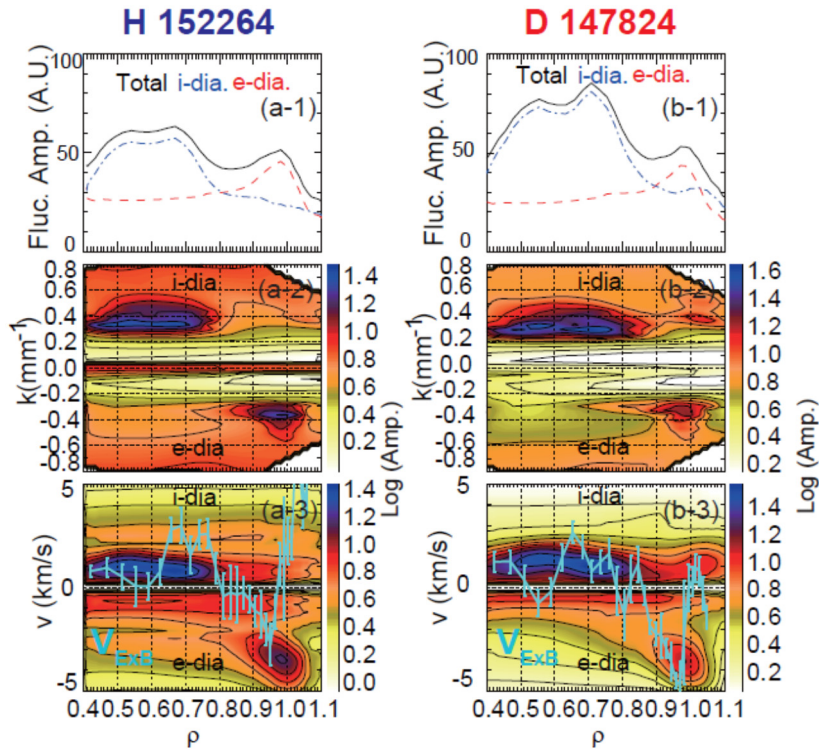


FIG.4 Spatial profiles of low density case (a-1), (b-1) turbulence amplitude, (a-2), (b-2) wavenumber spectrum and (a-3), (b-3) turbulence phase velocity  
In (a-3) and (b-3),  $V_{\text{EXB}}$  measured by CXRS are shown by blue line.

In the high density case, shown in Fig. 5 (a-1) and (b-1), both spatial structure and amplitude are clearly different in H and D plasma. In H plasma, turbulence exists over the entire measurable region of  $\rho = 0.4 - 1.1$ . On the other hand, in D plasma dominant components exist in the edge region ( $\rho > 0.8$ ) only. Clear difference of turbulence amplitude results in clear difference of turbulence level as shown in Fig.3. (f).

As shown in Fig.5 (a-2), (b-2), the dominant  $k$  is  $0.3\text{mm}^{-1}$  both in H and D plasma. As shown in Fig.5 (a-3), in H plasma, only electron diamagnetic propagation component exists. On the other hand, as shown in Fig.5 (b-3), in D plasma, the component at  $\rho < 1.0$  is propagating toward the electron diamagnetic direction and the components at  $\rho > 1.0$  propagate ion diamagnetic direction. As shown in Fig.5 (a-3), in H plasma, phase velocity at  $\rho = 0.6 \sim 0.8$  deviates from  $V_{\text{EXB}}$  suggesting that the propagation direction of the turbulence is in the electron diamagnetic direction in plasma frame. On the other hand, as shown in Fig. 5 (b-3), phase velocity of the turbulence in D plasma follows  $V_{\text{EXB}}$ .

It should be emphasized that clear difference of turbulence characteristics were observed in high density case between H and D plasma, where  $T_e$  and  $n_e$  profiles are clearly different under identical line averaged density and heating conditions. Thus, the observed difference of the turbulence in high density cases is key to the understanding of isotope effects.

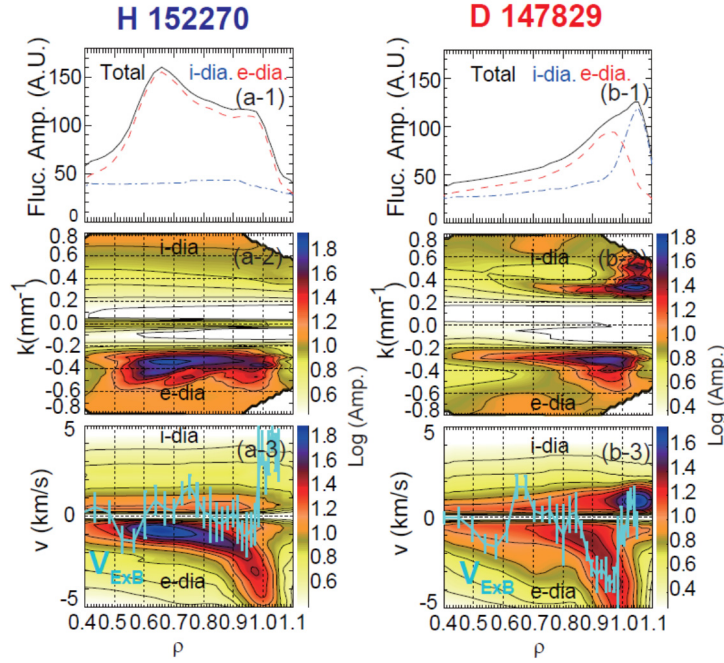


FIG.5 Spatial profiles of high density case (a-1), (b-1) turbulence amplitude, (a-2), (b-2) wavenumber spectrum and (a-3), (b-3) turbulence phase velocity. In (a-3) and (b-3),  $V_{\text{EXB}}$  measured by CXRS are shown by blue line.

#### 2.4 Gyrokinetic linear analyses

For the detailed arguments regarding turbulence characteristics, gyrokinetic linear analyses were performed. Analyses were carried out at  $\rho = 0.5$  and  $0.7$ , where differences of profiles were seen in high density case. Local flux tube gyrokinetic code (GKV [31]) were used for the analyses. Both kinetic ions and electrons were included in the the stability analyses. Only a single ion species was included in these calculations -- Hydrogen for H plasma and Deuterium for D plasma; impurity ions

were not included. Electrostatic assumption was made for the calculation runs, and collisionality effects were included. However, the effects of ExB shearing were not included in these analyses. As shown in Fig. 4 (a-3), (b-3) and Fig. 5 (a-3), (b-3), there are fine structures of  $V_{\text{EXB}}$  at  $\rho = 0.5 \sim 0.7$ , but these are likely to be an experimental uncertainty. On the other hand, turbulence phase velocity, which shows  $V_{\text{EXB}}$  approximately, stays almost constant in space. Because of these observations, effects of ExB shearing rate were neglected.

Figure 6 shows analysis results for  $\rho=0.5$  and  $\rho=0.8$  in both high density and low density cases, comparing H and D plasmas. Input parameters are shown in table. 1. Magnetic parameters are almost identical in the calculation. Horizontal axis is normalized wavenumber  $k_y \rho_i$ , with  $k_y$  being the poloidal wavenumber. The ion Larmor radius was calculated for Hydrogen and Deuterium, respectively. The dimension of growth rate and real frequency are kHz unit in order to compare their absolute values in H and D plasma. Calculations were performed at  $k \rho_i = 0.05 \sim 1.0$  every 0.05 step at  $k \rho_i = 1 \sim 20$  every 1 step. Only unstable solutions were shown in Fig.6. In Fig.6, measured normalized wavenumber  $k \rho_i$  are shown by arrows. Although the measured peak  $k$  was almost identical at around  $0.3 \text{mm}^{-1}$  by PCI,  $\rho_i$  becomes larger in D plasma at almost identical  $T_i$ . Then, the measured  $k \rho_i$  becomes approximately factor 1.4, which is square root of H and D mass ratio, larger in D plasma.

In the low  $k$  region ( $k \rho_i \ll 1$ ), the dominant mode is ITG. In the previous analyses of LHD ECRH plasma, TEM was found to be unstable at  $\rho = 0.3$ ,  $n_{e \text{ bar}} = 0.8 \times 10^{19} \text{m}^{-3}$  [32]. In Fig.2 of ref.32, the  $n_{e \text{ bar}}$  is lower and  $T_e$  is higher than ones in the present analyses. Also, at this location ( $\rho = 0.3$ ) in Fig.2 of ref.32,  $T_i$  gradient is very flat. Thus, electron temperature driven TEM can be unstable.

On the other hand, at the positions analyzed in this section ( $\rho = 0.5$  and  $0.7$ ), normalized  $T_i$  gradient ( $-\text{grad } T_i/T_i$ ) is large enough to destabilize ITG. Then, the normalized density gradient ( $-\text{grad } n_e/n_e$ ) and  $T_e/T_i$  also plays a role on stability. The reduction of the normalized density gradient reduces the growth rate [32]. This tendency continues after the sign of the gradient changes from positive to negative. In other words, the more hollow density profile stabilizes ITG turbulence [32]. For all cases in Fig.6, growth rates are lower in D plasma in low  $k$  region. The ruling parameters are likely to be normalized  $n_e$  and  $T_i$  gradient and  $T_e/T_i$ . Without collisionality effects, both ITG and TEM have a gyro-Bohm scaling, where growth rate is proportional to square root of ion mass, so that the growth rate is higher in D plasma under these condition. Including collisionality effects, however, TEM has anti gyro-Bohm characteristics, where the growth rate becomes lower in D plasma, whilst ITG keeps gyro-Bohm characteristics [33]. Furthermore, TEM is more strongly stabilized by collisionality effects in D plasma than in H plasma [33]. The difference of the collisionality stabilization effects are apparent in TEM. However, dominant mode is ITG, thus, the reduced ITG growth rate in D plasma is not due to the collisionality stabilization for Hydrogen and Deuterium but due to the difference of profile. The collisionality stabilization effects are negligible in ETG.

Thus, the difference of ETG growth rate is also due to the difference of profiles.

Figure 6 (a), (c) shows the linear spectrum in low density cases. In low density cases, anomalous components of electron and ion transports are almost comparable in H and D plasma as shown in Fig.2 (d) and (e). Turbulence level is higher in D plasma as shown in Fig.2 (f). Spatial structure and wavenumber spectrum are similar in H and D plasma as shown in Fig. 4. Linear analyses show reduced growth rate in D plasma. Entire unstable regions of low k region are ITG. The reduced growth rates in D plasma are due to more negative normalized  $n_e$  gradient and lower normalized  $T_i$  gradient both at  $\rho = 0.5$  and  $0.7$  as listed in table 1.. The ITG growth rate is lower at  $\rho = 0.7$  than at  $\rho = 0.5$ , although both  $n_e$  and  $T_i$  gradients are steeper at  $\rho = 0.7$  than at  $\rho = 0.5$ . This is because  $T_e/T_i$  is lower at  $\rho = 0.5$  than at  $\rho = 0.7$ .

At  $\rho = 0.5$  in low density case, ETG growth rate is much higher than ITG growth rate. However, this does not indicate ETG plays more significant role on transport than ITG. ETG contribute the transport, when streamer structure is formed [34]. Non linear simulation is necessary for the investigation of streamer. As shown in Fig.1 (a-4), turbulence signal is clear in ETG region. However, as shown in Fig. 6(c), ETG region is stable. Further investigations are necessary for ETG turbulence. In low density cases, anomalous transport is comparable in H and D plasma, turbulence level is higher in D plasma and linear growth rate is lower in D plasma. The correspondences among three quantities are not clear.

Figure 6 (c) and (d) show linear spectrum in high density cases. In high density cases, anomalous component of electron and ion transports are reduced in D plasma as shown in Fig.3 (d) and (e). Turbulence level from PCI is lower in D plasma as shown in Fig.3 (f). Spatial structures of turbulence are clearly different in H and D plasma and as shown in Fig. 5.

In high density cases, as shown in Fig. 6 (b) and (d), the growth rate of low k region is lower in D plasma at  $\rho = 0.5$  and  $0.7$ . At  $\rho = 0.7$ , the growth rate for all calculated  $k\rho_i$  is stable (negative). As shown in table 1, at  $\rho = 0.5$ , normalized  $n_e$  gradient is lower (more negative) and normalized  $T_i$  gradient is lower in D plasma than in H plasma. The value of  $T_e/T_i$  is higher in D plasma. Higher  $T_e/T_i$  makes ITG/TEM more unstable. However, at both  $\rho = 0.5$  and  $\rho = 0.7$  in high density cases, the lower normalized  $n_e$  and  $T_i$  gradients play a more significant role, leading to the growth rate being lower in D plasma than in H plasma.

In high density case, as shown in Fig. 6 (b) and (d), high k region is unstable at  $\rho = 0.5$  and  $0.7$  both in H and D plasma. At  $\rho = 0.5$ , as shown in Table 1,  $R/L_{Te}$  and  $R/L_n$  are lower and  $T_e/T_i$  is higher in D plasma than in H plasma, these result in lower ETG growth rate in D plasma. On the other hand, at  $\rho = 0.7$ , lower  $R/L_n$  and higher  $T_e/T_i$  in D plasma than in H plasma reducing ETG growth rate in D plasma is canceled out by higher  $R/L_{Te}$  in D plasma increasing ETG growth rate. Then, growth rate is comparable in D and H plasma.

In high density cases, anomalous transport is lower in D plasma, turbulence level from PCI is lower

in D plasma and linear growth rate of low k region is lower in D plasma. The correspondences among three quantities are clear. However, there is one contradiction. In high density H plasma, the measurement shows that turbulence propagates toward the electron diamagnetic direction in plasma frame. This is against characteristics of ITG, of which propagation direction is ion diamagnetic direction. Further detailed experimental confirmation is necessary.

The gyrokinetic linear investigation shown in this section is the first step study using experimental profile. The result of linear run is very sensitive to input parameter. The  $T_i$  profiles are very similar as shown in Fig2 (a) and Fig.3(a). However, the normalized  $T_i$  gradient is slightly lower in D plasma. Such small difference affects gyrokinetic results significantly. In the next step, investigation of the sensitivity of input parameter should be performed. Then, nonlinear run will be performed for the quantitative investigation of turbulence driven transport. Also, non linear run is important in order to investigate the role of ETG turbulence.

In other devices, there are reports of TEM in ECRH plasma of stellarator/heliotron. In ATF, dissipative TEM is reported by microwave scattering measurements and analytical investigation of turbulence mode were performed [35]. In HSX, core turbulence measured by interferometer suggested temperature gradient driven TEM [36]. Recently, in TJ-II, Doppler reflectometry measurements showed the measured turbulence was TEM from the comparison with gyrokinetic linear analyses [37]. In these devices, due to the lower heating power than LHD,  $T_i$  gradients are very flat, then, TEM can be unstable.

ion	shot	density	$\rho$	R/Ln	R/Lte	R/Lti	Te/Ti	ITG	ETG
H	152264	low	0.5	-3.85	11.87	3.97	2.02	unstable	unstable
H	152264	low	0.7	0.41	12.6	8.53	1.59	unstable	stable
D	147824	low	0.5	-4.45	12.56	3.6	2.20	unstable	unstable
D	147824	low	0.7	-0.36	13.12	7.66	1.76	unstable	stable
H	152270	high	0.5	-1.49	16.54	5.69	1.39	unstable	unstable
H	152270	high	0.7	2.91	13.44	8.31	1.05	unstable	unstable
D	147829	high	0.5	-4.49	13.66	3.58	1.90	unstable	unstable
D	147829	high	0.7	-0.68	16.7	6.05	1.34	stable	unstable

Table 1 Input parameters of gyrokinetic linear analyses

$$L_n^{-1}=1/n_e \, dn_e/d\rho, L_{T_e}^{-1}=1/T_e \, dT_e/d\rho, L_{T_i}^{-1}=1/T_i \, dT_i/d\rho, R \text{ is major radius.}$$

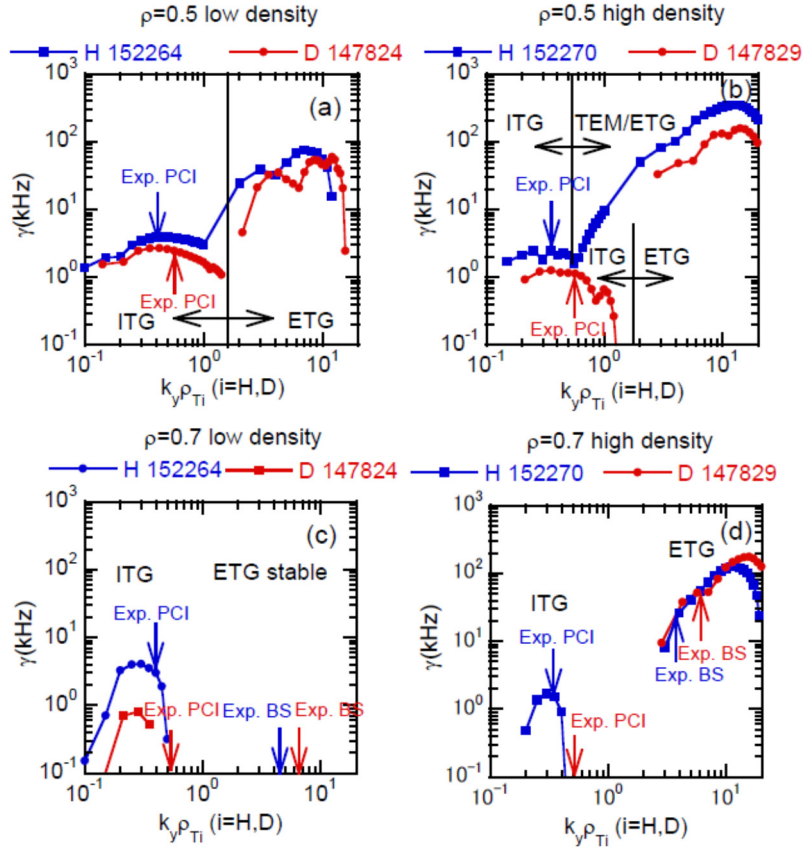


FIG.6 Linear spectrum of growth rate ( $\gamma$ ) at  $\rho=0.5$  and  $\rho=0.7$ . (a) ~ (b) low density case (H 152264, D 147824) and (c),(d) high density case (H 152270, D 147829)  $k_y\rho_i$  is the normalized wavenumber; where  $\rho_i$  is ion Larmor radius.  $\rho_i$  is calculated for hydrogen and deuterium ion mass respectively. The measured  $k_y\rho_i$  are shown by arrow.

## 2.5 Parameter dependence of isotope effect

In this section, the parameter dependence of transport coefficients and turbulence level is discussed. The experimental and neoclassical  $\chi_e$ ,  $\chi_i$ , and turbulence level are averaged over  $\rho = 0.5 - 0.8$ , where a clear difference of transport and turbulence between H and D is observed in high density cases. In a previous study [11], such surveys were already performed. However, the survey for the  $\chi_e$  and  $\chi_i$  did not include high density data, which shows clear reductions of  $\chi_{e\text{ano}}$  and  $\chi_{i\text{ano}}$ . The survey of the turbulence level included different heating condition. In this study, the data set in H and D plasma are obtained under almost identical heating conditions ( $\sim 2\text{MW}$  154GHz 2<sup>nd</sup> harmonic ECRH,  $\rho = 0.1$  deposition). The density was scanned from  $1 \times 10^{19}\text{m}^{-3} \sim 3 \times 10^{19}\text{m}^{-3}$  by changing gas fueling. A scan of the density with identical heating power results in the scan of collisionality of one order magnitude. With use of 154GHz, refraction effects are almost negligible. The more than 80% power was deposited at  $\rho = 0.1$ .

Firstly, collisionality dependence of experimental and neoclassical  $\chi_e$  and  $\chi_i$  are discussed. Then, the driving term and the stabilizing term of turbulence are discussed. The collisionality affects both

neoclassical and anomalous transport. Whilst experiments were performed by scanning density, the key parameter of interest is the collisionality. More particularly, characteristics of the transport are determined by three dimensionless parameters, which are normalized collisionality ( $\nu^*$ ), normalized ion Larmor radius ( $\rho^*$ ), and normalized pressure ( $\beta$ ). Among three non-dimensional parameters,  $\nu^*$  is most widely scanned in the present dataset. Thus, dependence of  $\chi_e$ ,  $\chi_i$  and turbulence level are investigated for collisionality. The normalized collisionality in this report is defined as  $\nu^*_{h} = \nu_{ei}/(\epsilon_{\text{eff}}^{3/2} \nu_T/qR_{mj})$ .  $\nu_{ei}$  is the electron ion collision frequency,  $\nu_T$  is the electron thermal velocity,  $q$  is the safety factor,  $R_{mj}$  is the major radius, and  $\epsilon_{\text{eff}}$  is an effective helical ripple [38, 39].  $\nu^*_{h} = 1$  is the boundary between  $1/\nu$ , where neoclassical coefficients are inversely proportional to collisionality, and plateau regime. However, it should be noted that neoclassical transport is also affected by different ambipolar conditions such as e-root and i-root as described in Sec.2.2. With increase of  $\nu^*_{h}$  by the increase of density,  $T_e/T_i$  decreases. Whilst e-root is present at higher  $T_e/T_i$ , there is a transition to i-root as  $T_e/T_i$  decreases.

Figure 7 (a) shows the  $\nu^*_{h}$  dependence of experimental and neoclassical  $\chi_e$ . Both experimental and neoclassical  $\chi_e$  reduce with increase of  $\nu^*_{h}$ . GSRAKE show e-root at  $\nu^*_{h} < 1.4$  and i-root at  $\nu^*_{h} > 1.4$ . At around transition  $\nu^*_{h}$  between e-root and i-root, neoclassical  $\chi_e$  approached to experimental  $\chi_e$ . At  $\nu^*_{h} > 1.4$ , neoclassical  $\chi_e$  decreases at a faster rate than experimental  $\chi_e$ . Then, anomalous  $\chi_e$ , which is difference between experimental and neoclassical  $\chi_e$ , increases with  $\nu^*_{h}$ . At  $\nu^*_{h} < 2$ , both experimental and neoclassical  $\nu^*_{h}$  does not show a clear difference between H and D plasma. This is the same as previous results [11]. At  $\nu^*_{h} > 3$ , although only one single data point is available in D plasma, experimental  $\chi_e$  is lower in D plasma than in H plasma. Also, anomalous  $\chi_e$ , which is the difference between the experimental and neoclassical values of  $\chi_e$  as shown by arrows in Fig. 7 (a), are clearly smaller in D plasma than in H plasma. This indicates that anomalous electron transport is reduced in D plasma at higher  $\nu^*_{h}$ .

Figure 7 (b) shows the  $\nu^*_{h}$  dependence of  $\chi_i$ . Both experimental and neoclassical  $\chi_i$  increase with  $\nu^*_{h}$ . The equipartition heating to ion increases with increase of  $\nu^*_{h}$ .  $T_i$  increases at higher density as shown in Fig.2 (a) and Fig.3 (a). Thus, experimental  $\chi_i$  increases due to the power degradation with increase of  $\nu^*_{h}$ . Neoclassical  $\chi_i$  increases due to the increase of  $T_i$  with  $\nu^*_{h}$ . Experimental  $\chi_i$  is lower in D plasma than in H plasma. This is because  $P_{ei}$  is lower in D plasma and almost identical  $T_i$  was obtained as described in Sec.2.2. Neoclassical  $\chi_i$  is comparable with experimental  $\chi_i$ . As shown in Fig. 2 (e), at some locations, neoclassical  $\chi_i$  exceeds experimental  $\chi_i$ . As described in Sec. 2.2, neoclassical coefficients are likely to be overestimated due to the local calculation. Presently, it is difficult to judge if ion transport is at the neoclassical level or not. Detailed analyses using global neoclassical calculations are necessary.



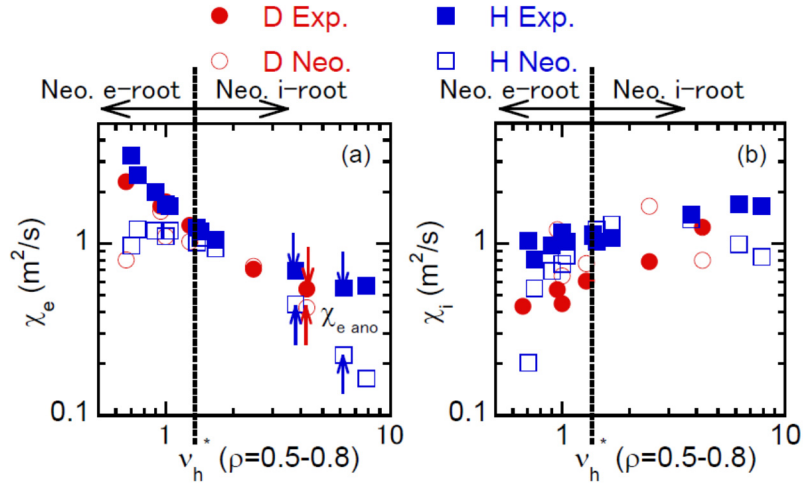


FIG.7 Collisionality dependence of (a)  $\chi_{e\text{ exp}}$ ,  $\chi_{e\text{ neo}}$  and (b)  $\chi_{i\text{ exp}}$ ,  $\chi_{i\text{ neo}}$

Theoretical investigation by gyrokinetic linear analyses are described in Sec.2.4. In this section, driving terms of the turbulence are discussed from the experimental data. Figure 8 shows the  $v_h^*$  dependence of turbulence level, as well as normalized gradient of  $n_e$ ,  $T_e$ ,  $T_i$ , and plasma pressure (P). Both turbulence level and normalized gradients were averaged at  $\rho = 0.5 - 0.8$ . Data set is the same discharge and analysis timing as those in Fig. 7, which was density scan with identical ECRH ( $\sim 2\text{MW}$   $\rho = 0.1$  deposition).

Two important characteristics are seen in Fig.8 (a). Firstly, turbulence level is higher in D plasma than in H plasma at  $v_h^* < 1.4$ , but turbulence level is lower in D plasma than in H plasma at  $v_h^* > 4$ . Secondly, in H plasma, turbulence level decreases with increase of the  $v_h^*$  at  $v_h^* < 4$ , however, the turbulence level increases at  $v_h^* > 4$ . In a separate dataset of D plasma [11], which includes different heating conditions, the turbulence level at  $v_h^* > 4$  increased as well. The normalized  $n_e$  and P gradient decrease as  $v_h^*$  increases at  $v_h^* < 3$ , then they both increase with  $v_h^*$  at  $v_h^* > 3$  as shown in Fig. 8 (a). The  $v_h^*$  dependence of normalized  $n_e$  and P gradients is similar to the  $v_h^*$  dependence of turbulence level as shown in Fig. 8 (e). These observations show that both normalized  $n_e$  and P gradient play a role on turbulence level.

At  $v_h^* \sim 4$ , where turbulence level is clearly lower in D plasma than in H plasma, the normalized gradient of  $n_e$ ,  $T_i$ , and P are lower in D plasma but  $T_e$  gradient is higher in D plasma than in H plasma. These results suggest that normalized gradients of  $n_e$ ,  $T_i$  and P may also play a role in controlling the turbulence level, in addition to any such isotope dependence.

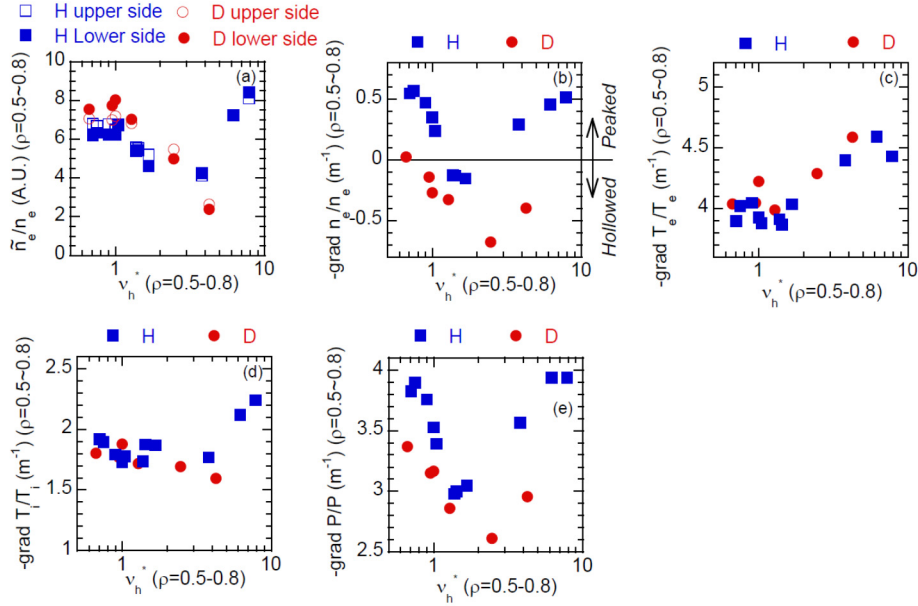


FIG.8 Collisionality dependence of core ( $\rho=0.5-0.8$ ) (a) turbulence level from PCI, normalized gradient of (b) density, (c) electron temperature, (d) ion temperature, and (e) pressure

Figure 9 shows collisionality dependence of turbulence level from high k BS. The measurements location is  $\rho = 0.7-0.8$ . Thus, turbulence level was estimated from the ration of measured turbulence and averaged density at  $\rho = 0.7-0.8$ . The turbulence level reduces with increase of collisionality at  $v_h^* < 2$ , then, turbulence level is almost constant at  $v_h^* > 2$ . The collisionality dependence is different from the one of low k turbulence measured by PCI (Fig.8 (a)). In Hydrogen plasma, turbulence level cincrease at  $v_h^* > 4$  as shown in Fig.8 (a), however, but, increase of the turbulence level with increase of the collisionality are not clear in high k turbulence. These observations indicate that characteristics of low k and high k turbulence are different.

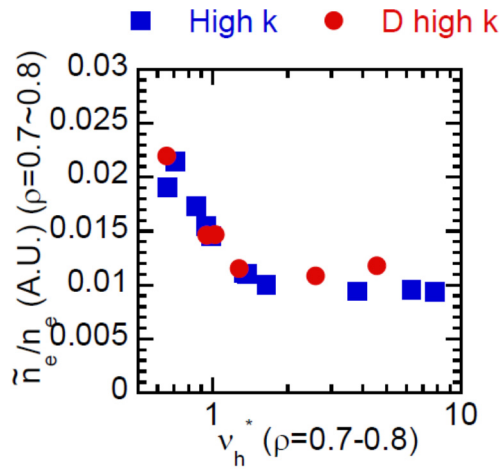


FIG9 Collisionality dependence of turbulence level from high k BS

### 3. Investigation of isotope effects on particle transport

The results described in Sec. 2 suggest the importance of the particle transport in the isotope effects. In this section, the results of density modulation experiments in H and D plasma are described. Density modulation experiments are a powerful experimental scheme for the qualitative estimation of transport coefficients. The first density modulation experiments were performed in TEXT tokamak [40]. There are two advantages in this technique. Firstly, it is possible to estimate diffusion coefficients and convection velocity separately. Secondly, the absolute value of particle source, which is technically difficult to estimate, is not necessary. Only relative shape, which is available from the Monte Carlo simulation of neutral penetration, is necessary. However, interpretation of the coefficients must be careful. If there is a non linearity between normalized particle flux and normalized density gradient, diffusion coefficients and convection velocities from modulation experiments can be different ones in equilibrium state [41]. In LHD, systematic experiments of density modulation experiments were performed in normal confinement NBI heated plasma [44]. The results in ref. 44 show that density profile becomes hollower at lower  $v_h^*$  and more outwardly shifted configuration, where neoclassical transport becomes significant. Then, diffusion coefficients are anomalous and convection velocities are close to neoclassical convection velocity, which are mainly due to neoclassical thermo-diffusion.

Investigations of isotope effects by density modulation have been carried out in both tokamaks and stellarators/heliotrons alike. In ASDEX ohmic discharge, lower diffusion and lower inward pinch in D plasma than in H plasma were reported [43]. In CHS NBI heated plasma, in the low density regime (line averaged density  $< 2.5 \times 10^{19} \text{ m}^{-3}$ ), the lower particle diffusivity and the larger inwardly directed core convection velocity was observed in the deuterium dominant plasma, while in the high density regime (line averaged density  $> 2.5 \times 10^{19} \text{ m}^{-3}$ ) no clear difference was observed [44]. In Heliotron-J ECRH plasma, lower modulation frequency (50Hz) showed reduced diffusion coefficients and reduced convection velocities, while higher modulation (100 and 125Hz) did not show clear differences[45].

Recently, a new analysis technique is developed [46]. In past analyses in LHD, four fitting variables (two for diffusion coefficients and two for convection velocities) were used. Then, fitting was performed to modulation profile and equilibrium profile simultaneously. In the new technique, at first radial profile of modulation amplitudes are estimated from the Abel inversion of the 10ch FIR laser interferometer data. Then, diffusion coefficients and convection velocities fit directly to those profiles. Diffusion coefficients and convection velocities are expressed by 27 fitting variables each for diffusion coefficients and convection velocities. Fitting was performed only for the modulation components. Therefore, estimated diffusion coefficient and convection velocity were defined as  $D_{\text{mod}}$  and  $V_{\text{mod}}$  in order to discriminate the diffusion coefficients and convection velocities in equilibrium state ( $D_{\text{eq}}$  and  $V_{\text{eq}}$ ). In order to make the convergence of the fitting possible, generic algorithm (GA)

quasi newton (QN) method were used [46]. Relative shape of particle source rate was estimated by EIRINE code [47].

For the density modulation experiments, longer duration of plasma is preferred to have large number of modulation periods. Thus, each gyrotron power was reduced down to  $\sim 0.5\text{MW}$ . Two 154GHz second harmonic resonant heating and one 77GHz fundamental resonant heating were used. Total heating power was  $\sim 1.5\text{MW}$ . The deposition location was  $\rho = 0-0.1$ .

Figure 10 shows time trace of modulation experiments in low density ( $n_{e \text{ bar}} \sim 1.6 \times 10^{19} \text{m}^{-3}$ ) and high density ( $n_{e \text{ bar}} \sim 2.6 \times 10^{19} \text{m}^{-3}$ ). Figure 10 shows similar characteristics to ones in Fig.1. In low density cases, central  $T_e$  was almost identical in H and D plasma, while in high density cases, central  $T_e$  is higher in D plasma than in H plasma. Modulation frequency was selected to be 2.5Hz. Higher than 2.5Hz, Abel inversion of modulation components became difficult in the present dataset.

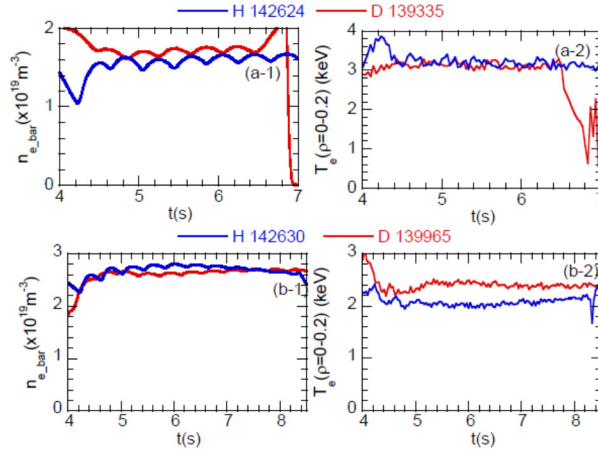


FIG.10 Time history of density modulation experiments in low density (a-1)  $n_{e \text{ bar}}$ , (a-2)  $T_e$  ( $\rho = 0-0.2$ ) and in high density (b-1)  $n_{e \text{ bar}}$ , (b-2)  $T_e$  ( $\rho = 0-0.2$ )

Figure 11 shows the results of density modulation experiments in low density cases. As shown in Fig.11, (a), (b), both background  $n_e$  and  $T_e$  profiles show small difference. This is similar to the low density cases shown in Fig. 2. However, as shown in Fig.11 (c) and (d), modulation amplitude is clearly different. Figure 11 (e) and (d) shows  $D_{\text{mod}}$ ,  $V_{\text{mod}}$ , and neoclassical coefficients ( $D_{\text{neo}}$ ,  $V_{\text{neo}}$ ). The neoclassical particle flux is shown by the following equation [20].

$$\Gamma_{e\_neo} = -n_e D_1 \left\{ \frac{\nabla n_e}{n_e} + \frac{eE_r}{T_e} + \left( \frac{D_2}{D_1} - \frac{3}{2} \right) \frac{\nabla T_e}{T_e} \right\} \quad (1)$$

Then, neoclassical convection velocities are shown by the following equation.

$$V_{e\_neo} = -D_1 \left\{ \frac{eE_r}{T_e} + \left( \frac{D_2}{D_1} - \frac{3}{2} \right) \frac{\nabla T_e}{T_e} \right\} \quad (2)$$

At  $\rho = 0.8$ ,  $D_{mod}$  has its minimum value, and so the difference between  $D_{mod}$  and  $D_{neo}$  is also smallest at this location. This may correspond to the minimum of turbulence level observed as shown in Fig.2 (f).  $D_{mod}$  is much higher than  $D_{neo}$ , at most of the radial locations suggesting that the diffusion process is dominated by the anomalous processes.  $D_{mod}$  is lower in D plasma than H plasma for at  $\rho < 0.8$  and is comparable between D and H plasmas at  $\rho > 0.8$ . Fig.11 (f) shows spatial profiles of convection velocity.  $V_{mod}$  in H plasma at  $\rho = 0.6 - 0.8$  becomes negative. Present analysis technique is sensitive to spatial profile of modulation amplitude and phase. In particular, shape of the  $V_{mod}$  is sometimes ambiguous. The smoothness of the profile of modulation components are numerically optimized by using general cross validation (GCV) technique [46]. However, GCV tends to result in fine profile. More consideration will be necessary to confirm and improve the estimation of  $D_{mod}$  and  $V_{mod}$ . However, except  $V_{mod}$  at  $\rho = 0.6 - 0.8$  in H plasma,  $V_{mod}$  are comparable in H and D plasma. Also,  $V_{mod}$  are comparable with  $V_{neo}$ .

Figure 12 shows results of density modulation experiments in high density cases. As shown in Fig.12 (a) and (b). The  $n_e$  profiles are clearly hollower and  $T_e$  is clearly higher at  $\rho < 0.9$  in D plasma than in H plasma. This observation is similar to other observations in Fig. 3. Modulation amplitude is more localized in the edge region as shown in Fig.12 (c). Modulation phase profiles are clearly different as shown in Fig. 12 (d). As shown in Fig. 12 (e), the difference between  $D_{mod}$  and  $D_{neo}$  becomes larger in high density cases than the difference in low density cases. This indicates that anomalous contribution becomes larger in high density cases.  $D_{mod}$  is slightly lower in D plasma than H plasma at  $\rho < 0.8$  and higher in D plasma than H plasma at  $\rho > 0.8$  in D plasma than in H plasma. As shown in Fig. 12 (f),  $V_{mod}$  in D plasma is negative at  $\rho < 0.7$ . The values of  $V_{mod}$  at  $\rho < 1.0$  in H plasma and  $V_{mod}$  at  $\rho = 0.7 \sim 1.0$  are clearly higher than  $V_{neo}$ . However,  $V_{mod}$  at  $\rho = 0.7 \sim 1.0$  in D plasma is only slightly higher than in H plasma. Values of  $D_{neo}$  and  $V_{neo}$  are higher in D plasma than in H plasma. This is not due to isotope effects, but due to the higher  $T_e$  values in D plasma. The data set of Fig.12 is ion root plasma. As described in Sec.2, there is no isotope effects in neoclassical transport in ion root condition.

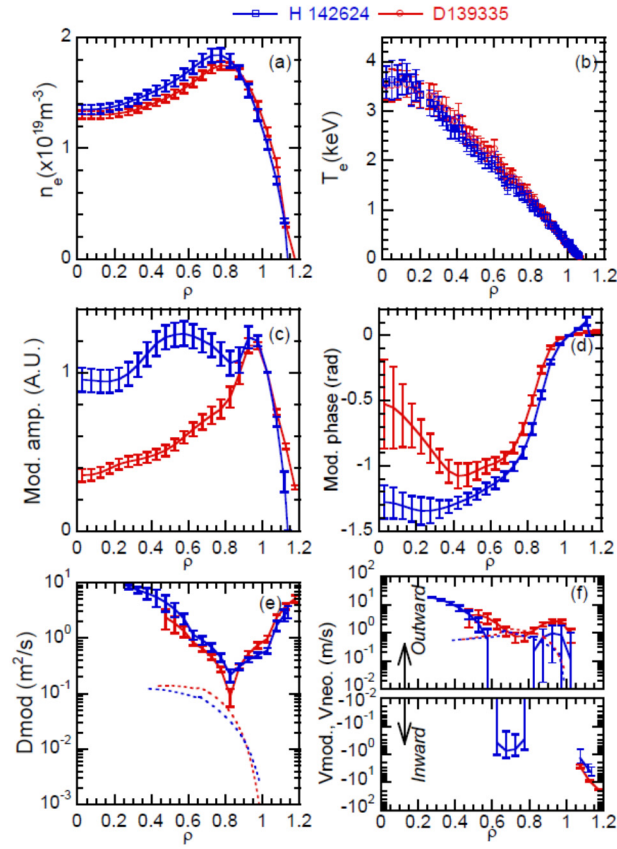


FIG.11 Example of density modulation experiments in low density cases (a) background  $n_e$  profiles, (b) background  $T_e$  profiles (c) modulation amplitude, (d) modulation phase (e)  $D_{mod}$ , and (f)  $V_{mod}$ . In (e) and (f), plain and dashed lines indicate experimental and neoclassical value respectively.

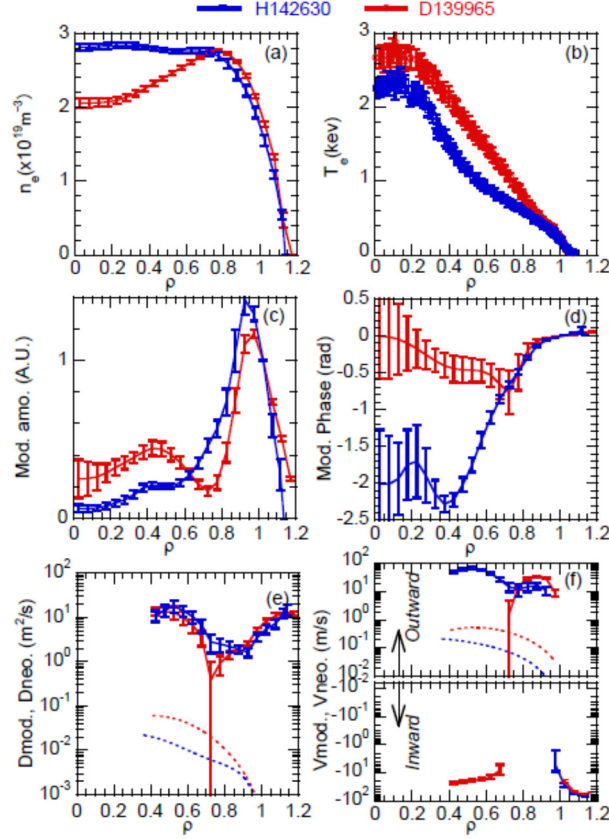


FIG.12 Example of density modulation experiments in high density cases, (a) background  $n_e$  profiles, (b) background  $T_e$  profiles (c) modulation amplitude, (d) modulation phase (e)  $D_{mod}$ , and (f)  $V_{mod}$ . In (e) and (f), plain and dashed lines indicate experimental and neoclassical value respectively

Figure 13 shows the  $v_h^*$  dependence of particle transport coefficients  $D_{mod}$  and  $V_{mod}$  at  $\rho = 0.6$ . As shown in Fig.13 (a), the anomalous contribution to diffusion,  $D_{mod} - D_{neo}$ , increases with  $v_h^*$  both in H and D plasma. At  $v_h^* < 3$ ,  $D_{mod}$  in D plasma is higher than in H plasma. At  $v_h^* > 3$ ,  $D_{mod}$  in D plasma is lower than in H plasma. On the other hand, the  $v_h^*$  and isotope dependence of  $V_{mod}$  is more complicated. In the low  $v_h^*$  region,  $V_{mod}$  is comparable with  $V_{neo}$  in H and D plasma, whilst in high  $v_h^*$  region,  $V_{mod}$  much higher and outwards directed in H plasma.

Figure 14 shows  $v_h^*$  dependence of particle transport coefficients at  $\rho = 0.9$ . As shown in Fig. 13 (a),  $D_{mod}$  in H plasma has minimum at  $v_h^* \sim 1$ . At  $v_h^* > 1$ , the anomalous contribution of diffusion increases with increase of  $v_h^*$  both in H and D plasma. At  $v_h^* = 1 \sim 3$ ,  $D_{mod}$  are comparable in H and D plasma. At  $v_h^* > 3$ ,  $D_{mod}$  is larger in D plasma than in H plasma. This is opposite tendency compared with  $v_h^*$  dependence at  $v_h^* > 3$  at  $\rho = 0.6$ . This suggests that isotope effects of  $D_{mod}$  are different at  $\rho = 0.6$  and  $\rho = 0.9$ . Also, determination of a trend in  $V_{mod}$  at  $\rho = 0.9$  is ambiguous, like at  $\rho = 0.6$ . As was the case at  $\rho = 0.6$ , in low  $v_h^*$  region,  $V_{mod}$  is comparable with  $V_{neo}$  in both H and D plasma. In high  $v_h^*$  region,  $V_{mod}$  much more outwardly higher. The cause of the difference of  $V_{mod}$  between in H and D plasma are not clear from present dataset.

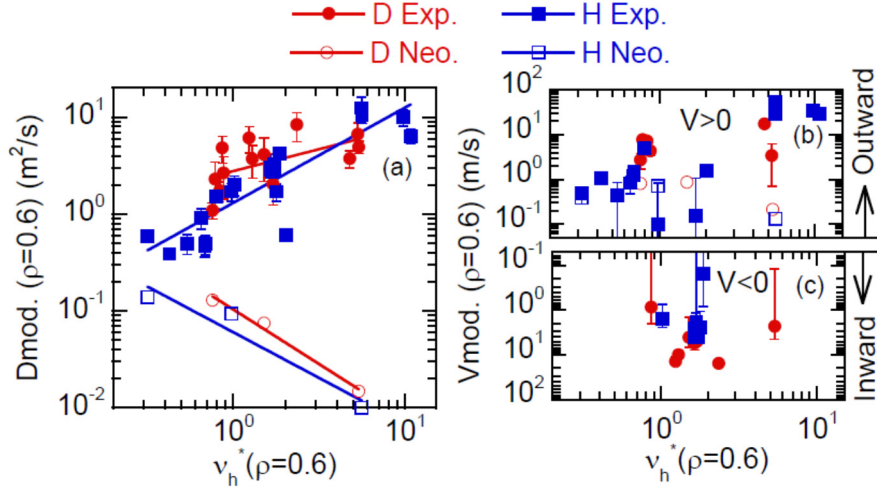


FIG. 13 Collisionality dependence of (a)  $D_{mod}(\rho=0.6)$ , (b) positive  $V(\rho=0.6)$  and (c) negative  $V(\rho=0.6)$

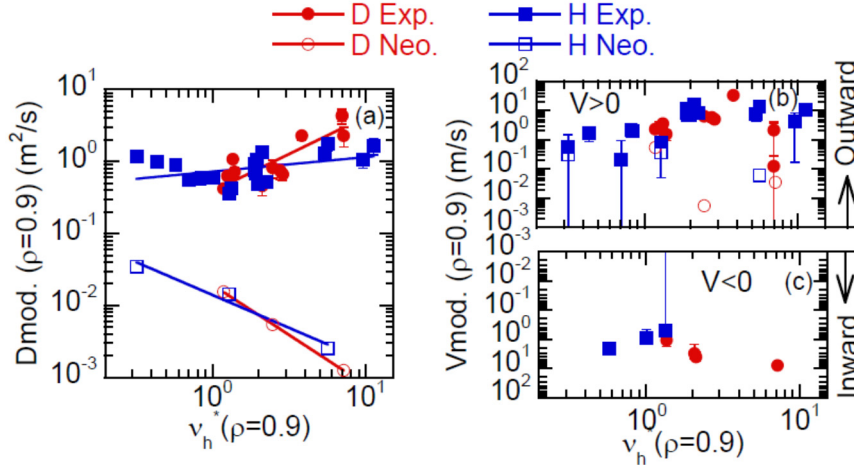


FIG. 14 Collisionality dependence of (a)  $D(\rho=0.9)$ , (b) positive  $V(\rho=0.9)$  and (c) negative  $V(\rho=0.9)$

#### 4. Summary

Extensive investigation of isotope effects in ECRH plasma were performed. Power balance analyses and turbulence analyses are carried out for the data set of density scan with identical ECRH 154GHz  $\sim 2\text{MW}$   $\rho = 0.1$  heating. Ion scale turbulence ( $k=0.1\text{-}0.8\text{m}^{-1}$ ) measured by 2D-PCI was higher in D plasma than in H plasma for the low density regime and clearly lower in D plasma than in H plasma for the high density region. The reduction of the ion scale turbulence is evident in core region, where  $\rho < 0.8$ . On the other hand, high  $k$  turbulence ( $k=3\text{mm}^{-1}$  and electron scale) measured by high  $k$  BS was comparable in low density regime and higher in D plasma in high density regime. Power



balance analysis showed that anomalous contributions of  $\chi_e$  at  $\rho = 0.5\sim 0.8$  were comparable between of H and D plasma in low density regime. However, they were clearly reduced in H plasma compared with D plasma in high density regime. Thus, low k ion scale turbulence measured by PCI is likely to play a role on electron transport. The values of  $\chi_i$  were lower in D plasma than in H plasma over the whole experimental region of  $v_h^*$ . This is due to the lower  $P_{ei}$  in D plasma than in H plasma.

Gyrokinetic linear analyses were performed for two cases (low and high density cases) of low k (ITG) and high k (ETG) region in H and D plasma at  $\rho = 0.5$  and  $0.7$ . The dominant instability of low k region was ITG. In all cases, growth rate in low k region was lower in D plasma than in H plasma. ITG has gyro-Bohm characteristics, thus, lower growth rate is not due to the difference of the ion species, however is due to the difference of the profiles. In particular, hollowed density profile in high density case stabilize ITG and consistent with the reduced ion scale turbulence.

In high k region, ETG was unstable at  $\rho = 0.5$  of low density case both in D and H plasma and at  $\rho = 0.7$  of high density case both in H and D plasma. At  $\rho = 0.7$  of low density case, ETG was stable, however, high k turbulence was clearly measured.

Further gyrokinetic simulation is necessary. The experimental electron and ion heat flux should be validated with gyrokinetic non linear simulation. The particle transports should be investigated from gyrokinetic analyses. In the positive gradient region hollowed density profiles, the dominant instabilities are mainly ITG. ITG driven quasi linear particle flux at positive density gradient region is inwardly directed [48]. Such inwardly directed turbulence driven particle flux can be balanced with outwardly directed neoclassical particle flux in source free region [42,48]. The non linear gyrokinetic simulation will be tried in H and D plasma to understand the particle balance in the source free region. Density modulation experiments were performed for the investigation of isotope effects on particle transport.  $D_{mod}$  was anomaly large and anomalous contribution increase with increase of  $v_h^*$  both in H and D plasma. Isotope effects of  $D_{mod}$  depend on the location and  $v_h^*$ . At  $\rho = 0.6$ ,  $D_{mod}$  is higher at low  $v_h^*$ , and lower at high  $v_h^*$  in D plasma than in H plasma. At  $\rho = 0.9$ ,  $D_{mod}$  is comparable in D and H plasma at low  $v_h^*$ , and higher in D plasma than in H plasma at high  $v_h^*$ . At low  $v_h^*$ ,  $V_{mod}$  was comparable with  $V_{neo}$ , and at high  $v_h^*$ ,  $V_{mod}$  was clearly higher than  $V_{neo}$ . This is common to both  $\rho = 0.6$  and  $0.9$ .

Isotope effects on transport are evident at high  $v_h^*$  in core region ( $\rho < 0.8$ ). Anomalous  $\chi_e$  and  $\chi_i$  reduced and  $D_{mod}$  reduced in D plasma compared with H plasma. Key physics quantity is likely to be more hollowed density profile in D plasma. The most important question is why density profile is more hollowed in D plasma. There are no direct isotope effects on linear ITG growth rate.  $E_r$  does not show clear difference and  $E_r$  shear is lower than measurements uncertainty.  $E_r$  shear does not play role. Higher poloidal Mach number ( $M_p = V_{ExB}/(\epsilon_t/q V_{ti}) \propto E/B \sqrt{m_i/T_i}$ , where  $V_{ExB}$  is the ExB rotation velocity,  $\epsilon_t$  the toroidal ripple,  $q$  the safety factor, the  $m_i$  ion mass, and the  $V_{ti}$  ion

thermal velocity) number has been shown to generate larger zonal flow [49]. This is favorable for heavier ions, however, given  $V_{EXB} = \pm 2 \text{ km/s}$  at  $\rho = 0.7$  as shown in Fig. 5 (a-3 and (b-3),  $M_p$  is 0.06 in H plasma and 0.08 in D plasma. Such  $M_p$  dose not help generation of zonal flow[49]. Also, neoclassical transport does not have isotope effects in i-root at high  $v_h^*$ .

At high  $v_h^*$ ,  $P_{ei}$  becomes lower in D plasma than in H plasma. Thus, electron heating power ( $P_e$ ) becomes higher in D plasma. Because of the higher  $P_e$ ,  $T_e$  can be higher. Higher  $T_e$  increases  $V_{neo}$  in the outwards direction. Conversely, in H plasma, with lower  $T_e$ ,  $V_{neo}$  can be less outwards directed, making density profile less hollow. . This hollower density profile reduces the turbulence. The reduced turbulence reduces anomalous diffusion, then, density profile becomes even more hollow. Such feedback might be possible as shown in Fig.15

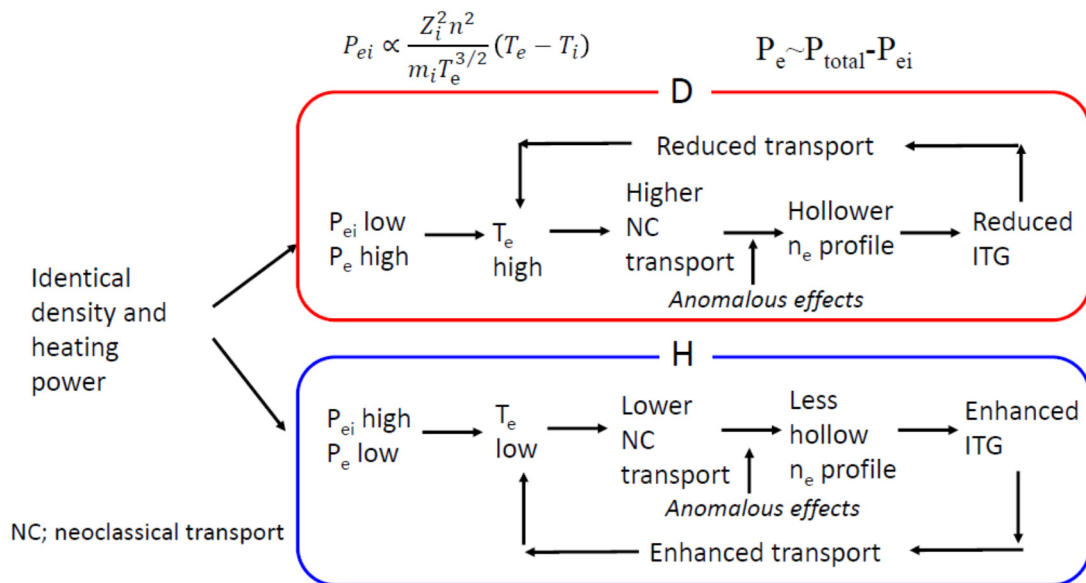


Fig.15 Possible mechanism of isotope effects in high density core region

However, as shown in Fig. 12(b) and 13(b),  $V_{mod}$  is much than  $V_{neo}$  at high  $v_h^*$  region, where isotope effects are clear, thus,  $V_{mod}$  is anomalous. Therefore, a turbulence driven mechanism is necessary to make density profiles hollower in D plasma than in H plasma. Also, conversion from modulation coefficients ( $D_{mod}$ ,  $V_{mod}$ ) to equilibrium coefficients ( $D_{eq}$ ,  $V_{eq}$ ) will help the understanding of difference of density profile. Such conversions are possible by the grad  $n_e$  integration for  $D_{mod}$  and  $n_e$  integration for  $V_{mod}$  [48]. These further investigation is necessary for the next step.

Generation of the zonal flow could play a role in the isotope effects. Presently, turbulence driven zonal flow was not yet measured. Measurements using heavy ion beam probe should be tried. Alternatively, fluctuation of phase velocity from PCI could show zonal flow. This requires high time

resolution of phase velocity measurements and need further development of diagnostics and analyses technique.

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